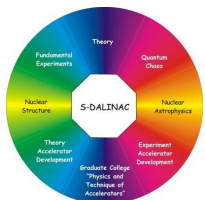




A2: Nuclear Structure with Virtual Photons

- Electron scattering at low momentum transfers
 - selectivity on low-multipolarity transitions → collectivity ($\lambda \leq 2$)
- High-resolution experiments
 - fragmentation → test of complexity of the nuclear interaction
 - weak transitions → test of “exotic” parts of the nuclear interaction
- Combination with hadronic probes
 - decomposition of p/n degrees of freedom
 - spin and orbital contributions to transition currents

SFB 634

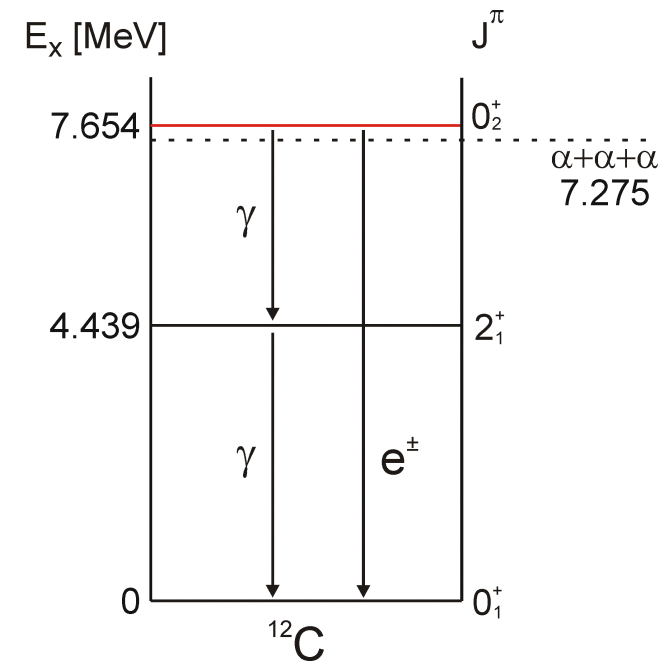


- **A1:** Study of dipole response in nuclei, experimental synergies (electronics, neutron ball)
- **C2 / C5:** Strong experimental overlap (spectrometers, electronics, Si ball, data analysis tools)
- **C4:** Analysis of complex wave functions
- **D2 / D3:** Test of nuclear structure models
- **E2 / E3 / E4:** Improvement of beam properties

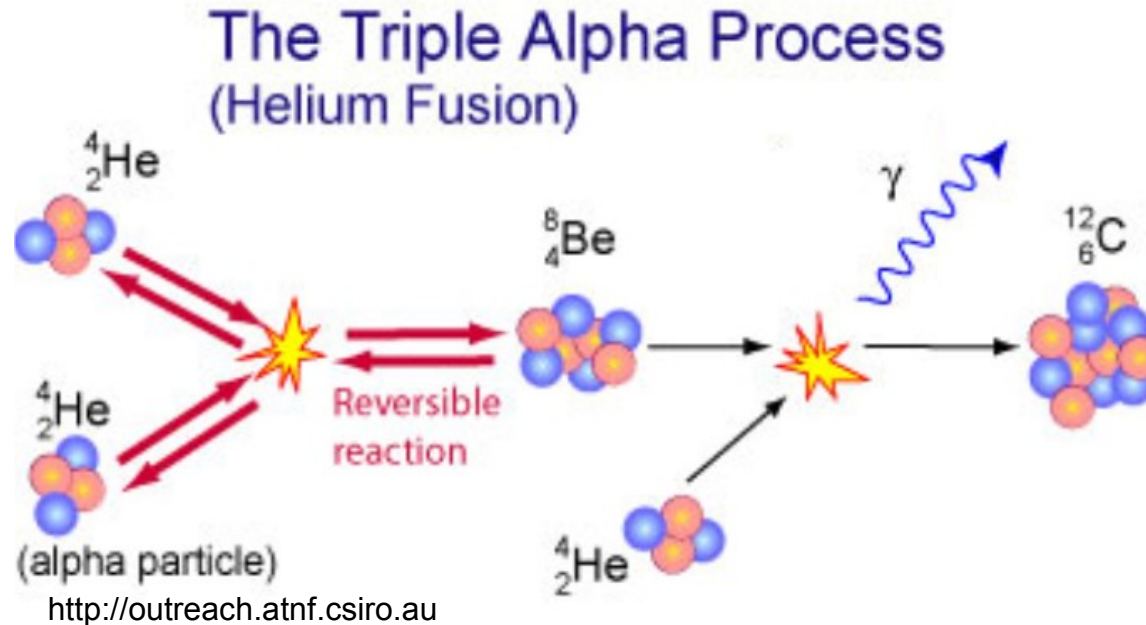
- **Fine structure of giant resonances**
 - Y. Kalmykov et al., Phys. Rev. Lett. 99, 202502 (2007) (+D3)
 - A. Shevchenko et al., Phys. Rev. C 77, 024302 (2008) (+D2)
 - A. Shevchenko et al., Phys. Rev. C 79, 044305 (2009) (+D2)
 - I. Petermann et al., Phys. Rev. C 81, 014308 (2010) (+D3)
 - I. Usman et al., Phys. Lett. B (in preparation) (+D2)
- **Magnetic and GT response**
 - A. Byelikov et al., Phys. Rev. Lett. 98, 082501 (2007) (+D3)
 - F. Beck et al., Phys. Lett. B 645, 128 (2007)
 - L. Popescu et al., Phys. Rev. C 75, 054312 (2007)
 - A. F. Lisetzkiy et al., Nucl. Phys. A 789, 114 (2007) (+D3)
 - F. Hofmann et al., Phys. Rev. C 76, 014314 (2007) (+D2)
 - P. von Neumann-Cosel et al., Phys. Rev. C 79, 059801 (2009)
 - K. Heyde et al., Rev. Mod. Phys. (submitted)
- **Monopole transitions as a signature of symmetries**
 - J. Bonnet et al., Phys. Rev. C 79, 034307 (2009)
 - N. Y. Shirikova et al., Eur. Phys. J. A 41, 393 (2009)
- **Structure of the Hoyle state** ✓
 - M. Chernykh et al., Phys. Rev. Lett. 98, 032501 (2007)
 - M. Chernykh et al., Phys. Rev. Lett. (in preparation)
- **Complete dipole response from polarized proton scattering at 0°** ✓
 - A. Tamii et al, Phys. Rev. Lett. (in preparation) (+D2)
- **Mixed-symmetry states** ✓
 - O. Burda et al., Phys. Rev. Lett. 99, 092503 (2007) (+D2)
 - J. D. Holt et al., Phys. Rev. C 76, 034325 (2007)
 - N. Pietralla et al., Prog. Part. Nucl. Phys. 60, 225 (2008)
 - C.E. Alonso et al., Phys. Rev. C 78, 017301 (2008)
 - V. Werner et al., Phys. Rev. C 78, 031301 (2008)
 - T. R. Saito et al., Phys. Lett. B 669, 19 (2008)
 - L. Bettermann et al., Phys. Rev. C 79, 034315 (2009)
 - T. Ahn et al., Phys. Lett. B 679, 19 (2009)
 - N. Lo Iudice et al., Phys. Rev. C 80, 024311 (2009)
 - C. Walz et al., Phys. Rev. Lett. (in preparation) (+D2)

Structure of the Hoyle state in ^{12}C

- The Hoyle state is a prototype of α -cluster states in light nuclei
- Cannot be described within the shell model but within α -cluster models
- Some α -cluster models predict the Hoyle state to consist of a dilute gas of weakly interacting α particles
with properties of a Bose-Einstein Condensate (BEC)
A. Tohsaki et al., Phys. Rev. Lett. 87,192501 (2001)
- High-precision electron scattering data as a test of FMD and α -cluster models: generally good agreement
but $M(E0)$ systematically overpredicted
M. Chernykh et al. Phys. Rev. Lett. 98, 032501 (2007)



Triple alpha process



- Triple alpha reaction rate

$$r_{3\alpha} \propto \Gamma_{rad} \exp\left(-\frac{Q_{3\alpha}}{kT}\right)$$

$$\Gamma_{rad} = \Gamma_{\gamma} + \Gamma_{\pi} = \frac{\Gamma_{\gamma} + \Gamma_{\pi}}{\Gamma} \cdot \frac{\Gamma}{\Gamma_{\pi}} \cdot \Gamma_{\pi}$$

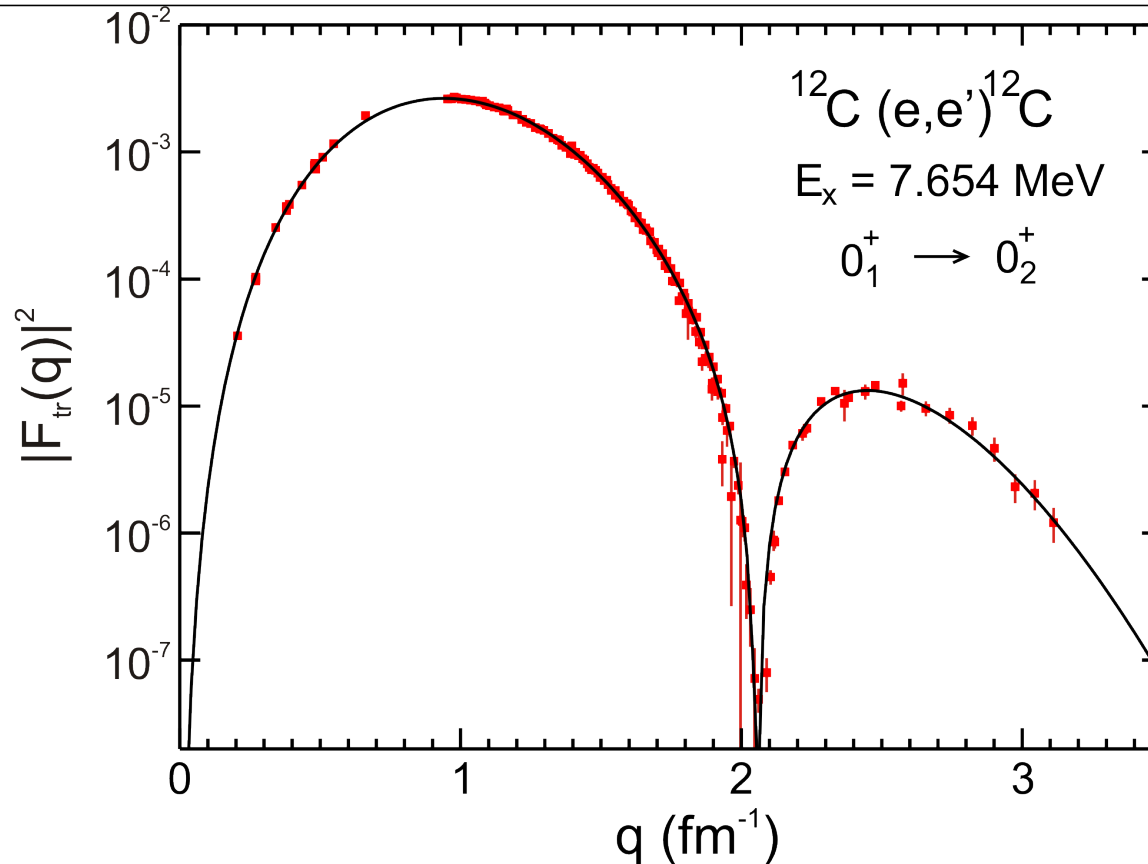
$\begin{matrix} \nearrow & & \nearrow & & \nearrow \\ (\alpha, \alpha') & & (p, p') & & (e, e') \\ \downarrow & & \downarrow & & \downarrow \\ \Gamma & & \Gamma_{\pi} & & \Gamma_{\pi} \end{matrix}$

Triple alpha reaction rate

- Reaction rate needed with accuracy $\sim 5\%$
S.M. Austin, Nucl. Phys. A 758, 375c (2005)

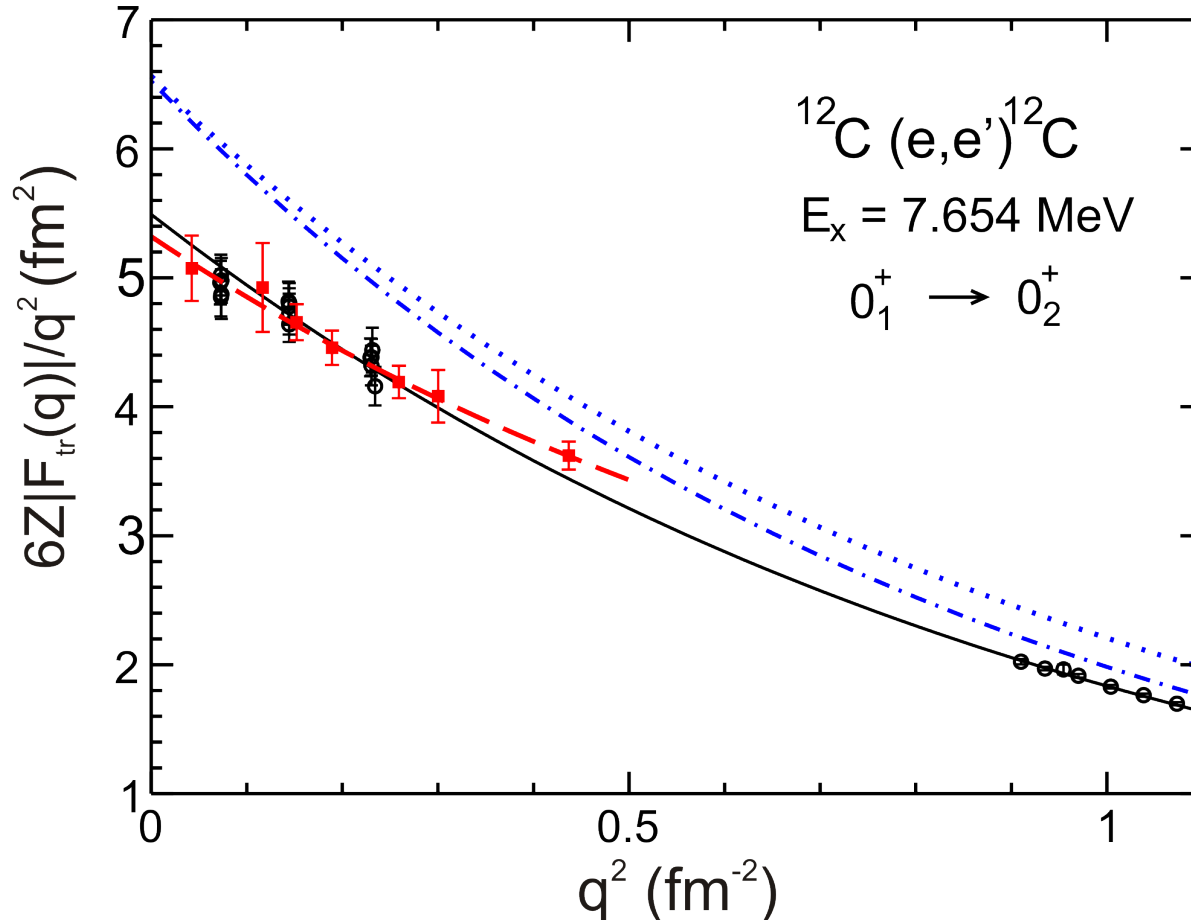
Quantity	Value	Error (%)
$Q_{3\alpha}$	379.38 ± 0.20 keV	1.2 ($T_9=0.2$)
Γ_{rad}/Γ	$(4.12 \pm 0.11) \times 10^{-4}$	2.7
Γ_{π}/Γ	$(6.74 \pm 0.62) \times 10^{-6}$	9.2
Γ_{π}	$(62.0 \pm 6.0) \times 10^{-6}$ eV	9.7 Crannell <i>et al.</i> (1967)
Γ_{π}	$(59.4 \pm 5.1) \times 10^{-6}$ eV	8.6 Strehl (1970)
Γ_{π}	$(52.0 \pm 1.4) \times 10^{-6}$ eV	2.7 Crannell <i>et al.</i> (2005)

Form factor analysis



- Novel ansatz: $F_{\text{tr}}(q) = \frac{1}{Z} e^{-\frac{1}{2}(bq)^2} \sum_{n=1}^{n_{\text{max}}} c_n (bq)^{2n} \longrightarrow \Gamma_{\pi} = 66.3(2.0) \mu\text{eV}$

Low-q expansion

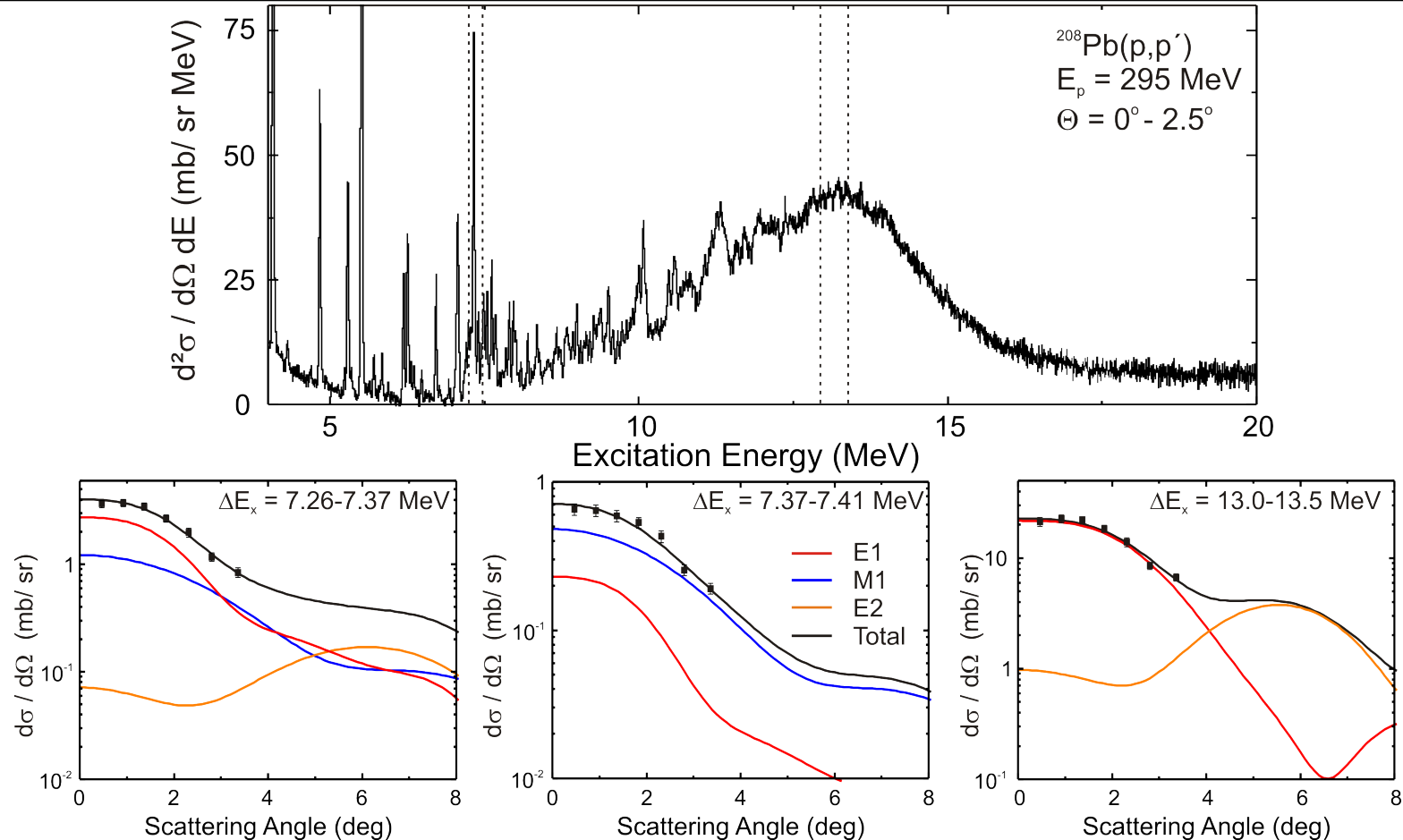


$$-\frac{6ZF_{tr}(q)}{q^2} = \langle r^2 \rangle_{tr}^{lowq} - \frac{q^2}{20} \langle r^4 \rangle_{tr}^{lowq} + \frac{q^4}{840} x^3 (\langle r^2 \rangle_{tr}^{lowq})^3 - \frac{q^6}{60480} x^4 (\langle r^2 \rangle_{tr}^{lowq})^4$$

Complete E1 and M1 Strength Distributions

- Method: polarized proton scattering at 0°
- Experiments at RCNP, Osaka
 - intermediate energy: 300 MeV optimal
 - high resolution: $\Delta E = 25$ keV (FWHM)
 - angular distributions: E1 / M1 separation
 - polarization observables: spinflip / non-spinflip separation
- ^{208}Pb : a reference case
- ^{120}Sn : resonance character of the PDR
- ^{154}Sm : double-hump structure of the spin M1 resonance
PDR in a heavy deformed nucleus (approved proposal)

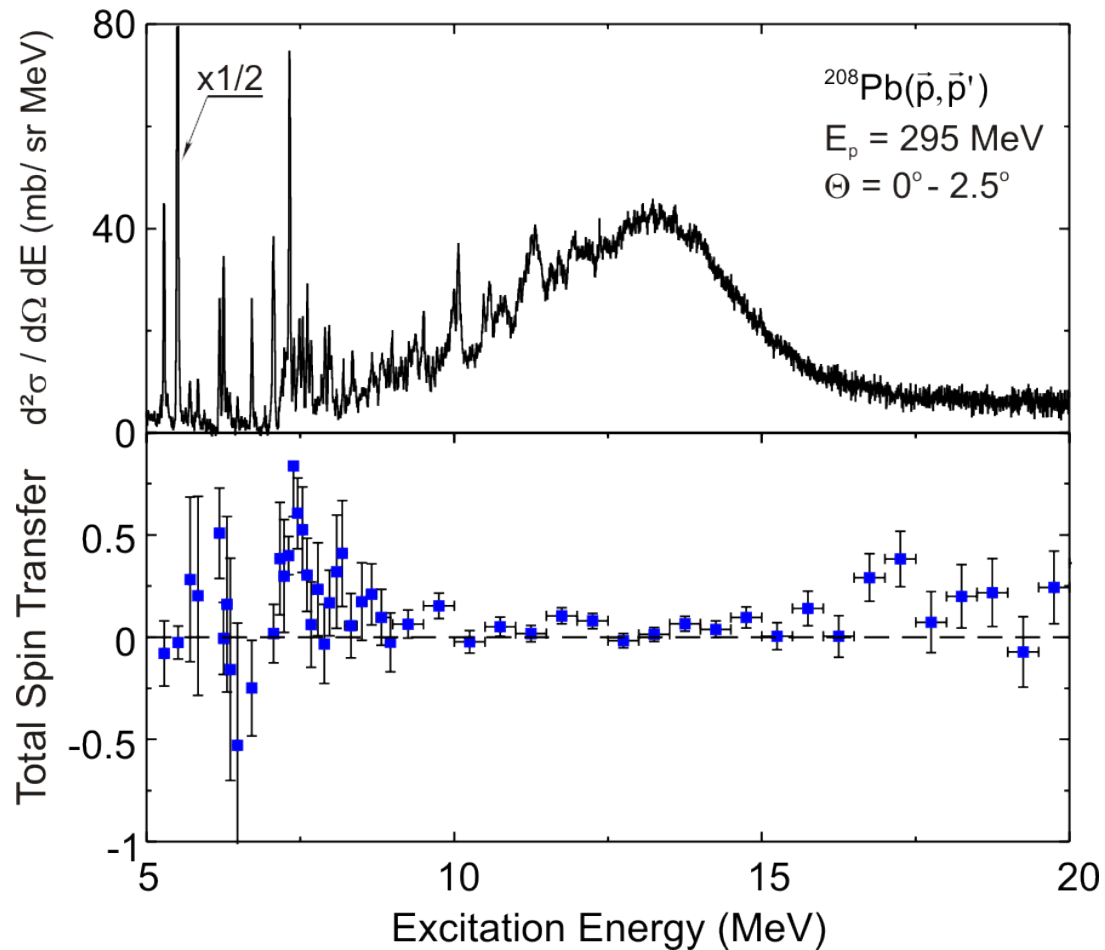
Multipole decomposition of angular distributions



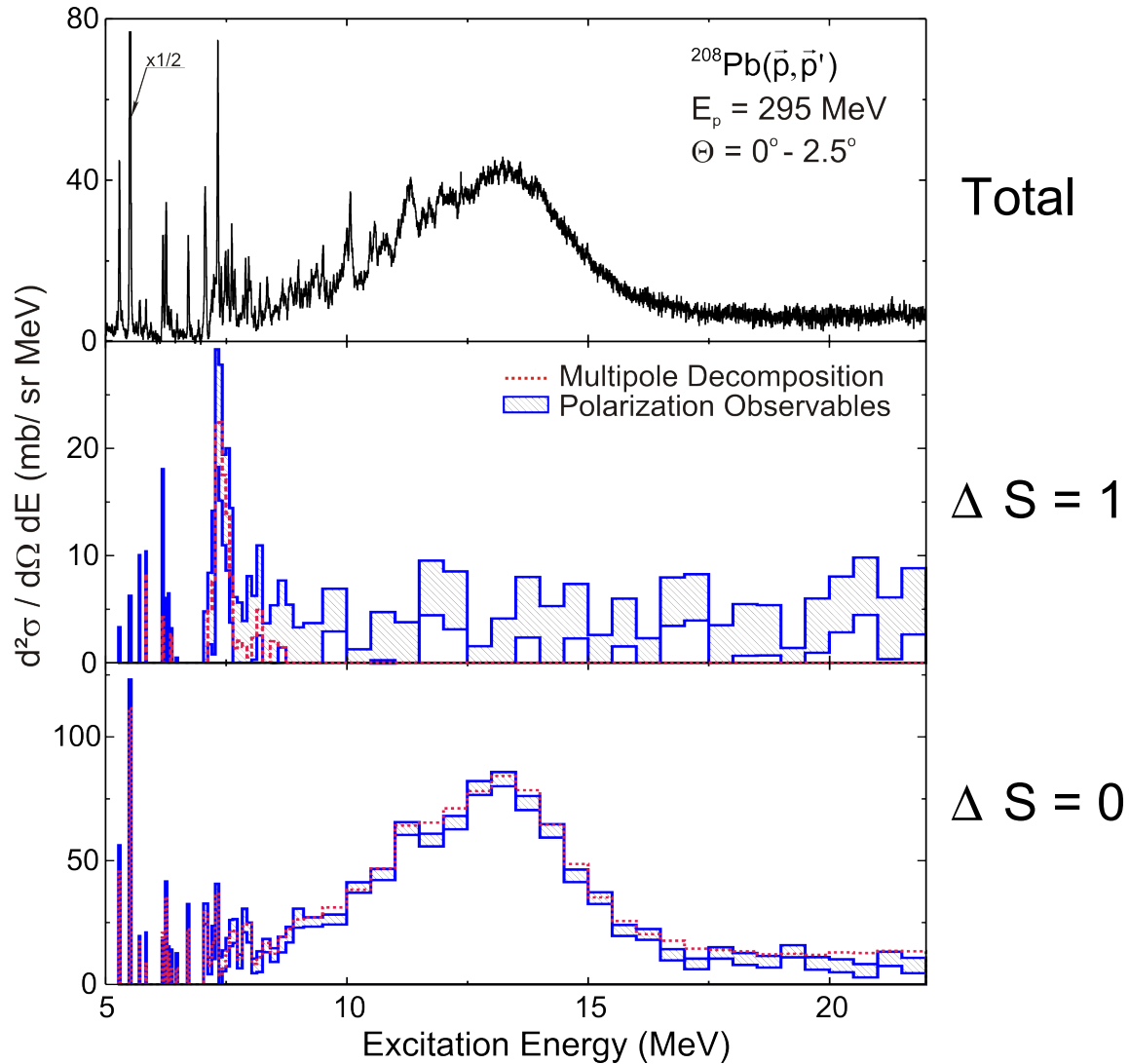
- Neglect of data for $\Theta > 4^\circ$: (p,p') response too complex
- Included E1 / M1 / E2 or E1 / M1 / E3 (little difference)

Spin transfer

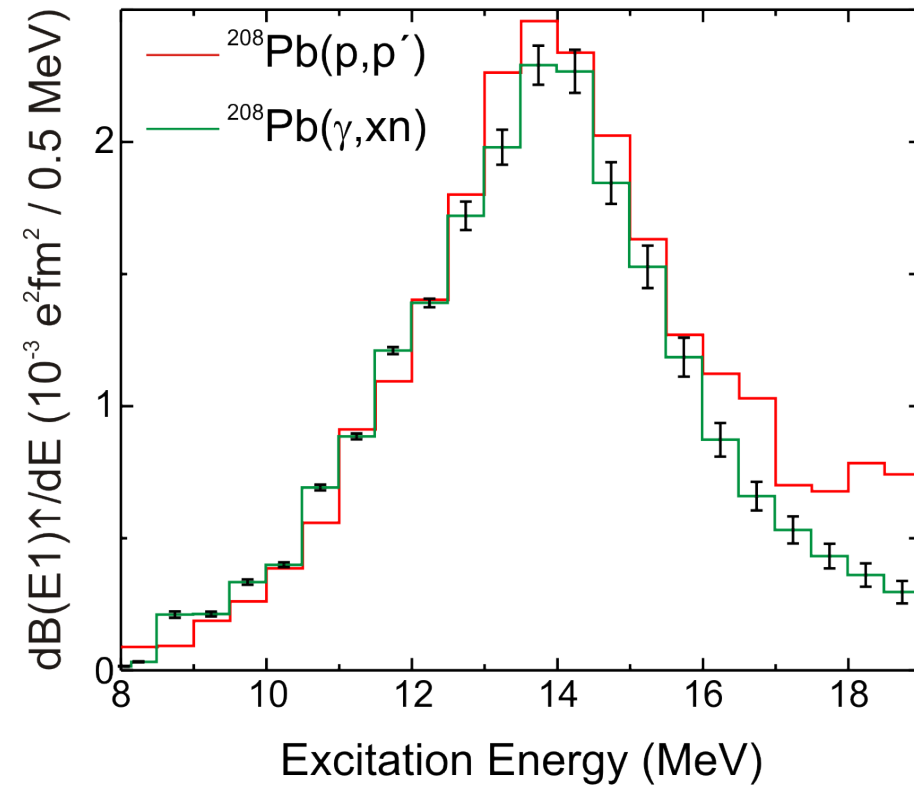
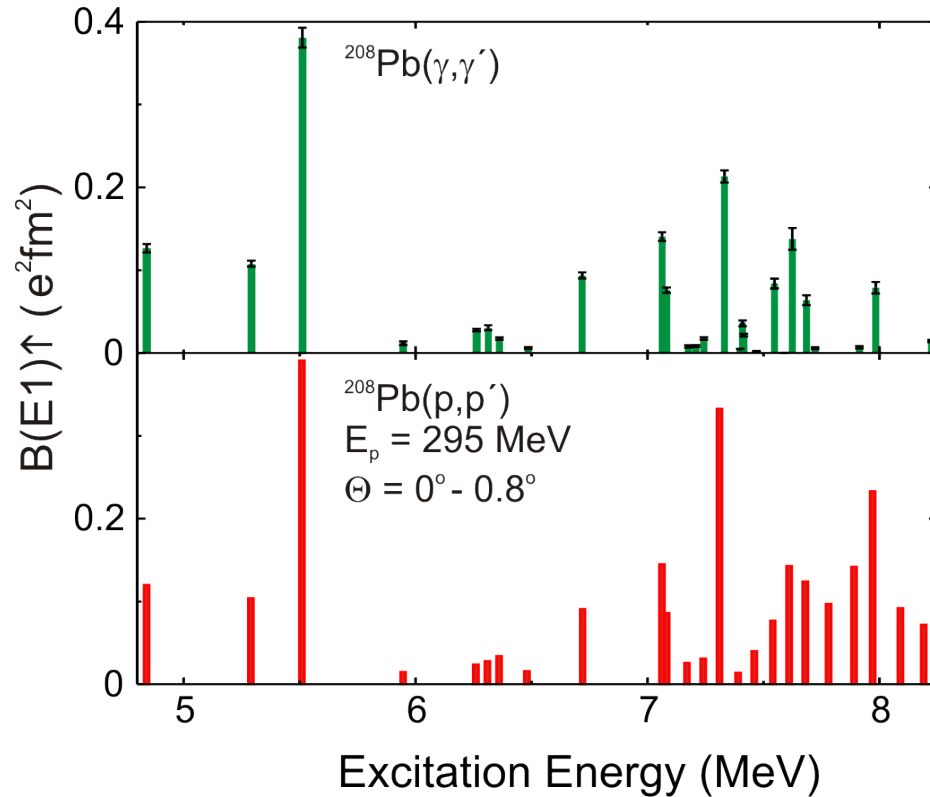
$$\text{Total Spin Transfer } \Sigma \equiv \frac{3 - (2D_{SS} + D_{LL})}{4} = \begin{cases} 1 & \text{for } \Delta S = 1 \\ 0 & \text{for } \Delta S = 0 \end{cases}$$



Comparison of both methods

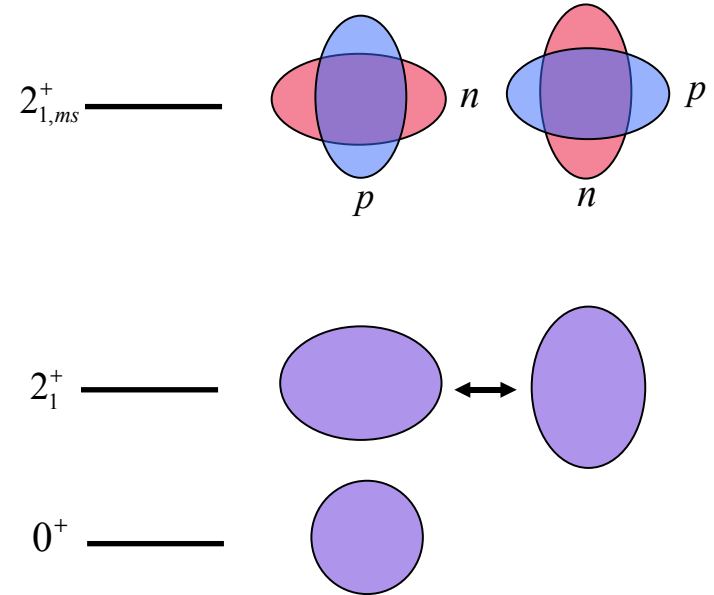
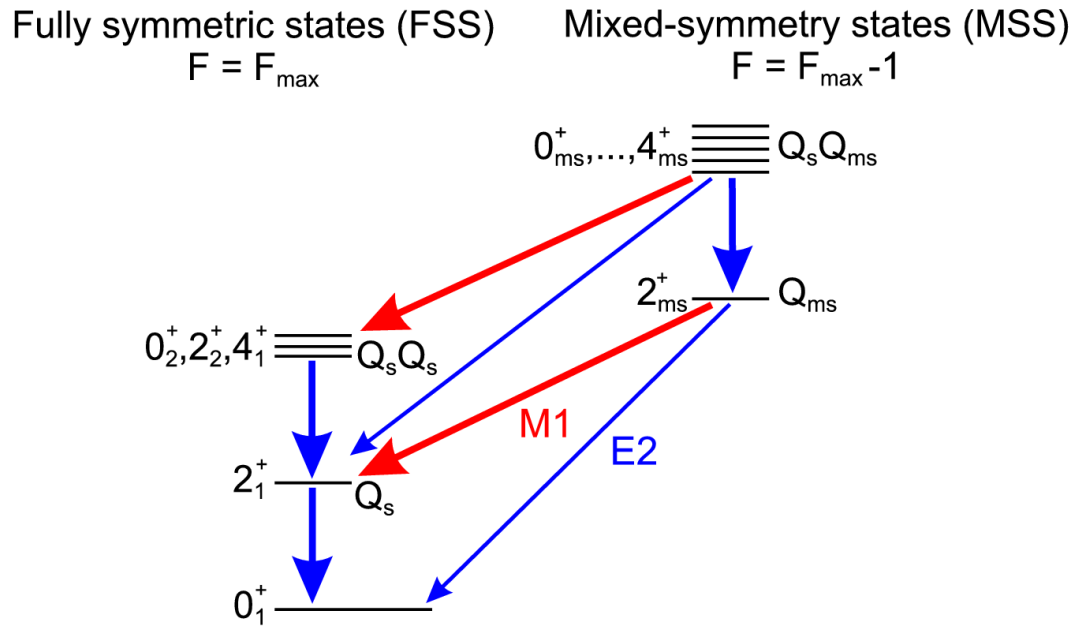


B(E1) Strength



- extracted assuming semiclassical Coulomb excitation

Mixed-symmetry states as low-energy building blocks



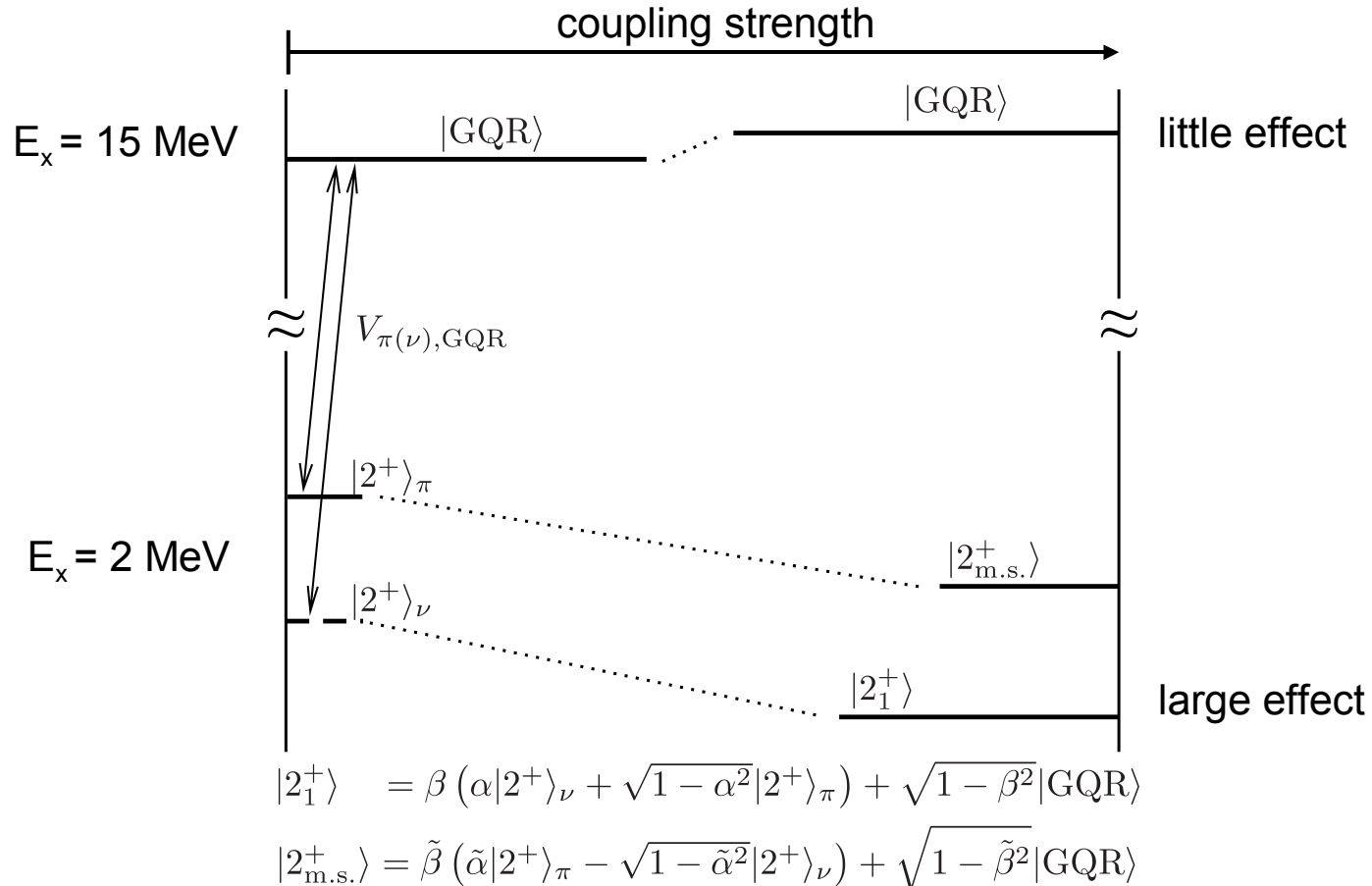
- Strong **E2** transitions for decay of Q_s -phonon
- Weakly collective **E2** transitions for decay of Q_{ms} -phonon
- Strong **M1** transitions for decay of MSS to FSS

Study of MS 2^+ states with (e,e') and (p,p') reactions



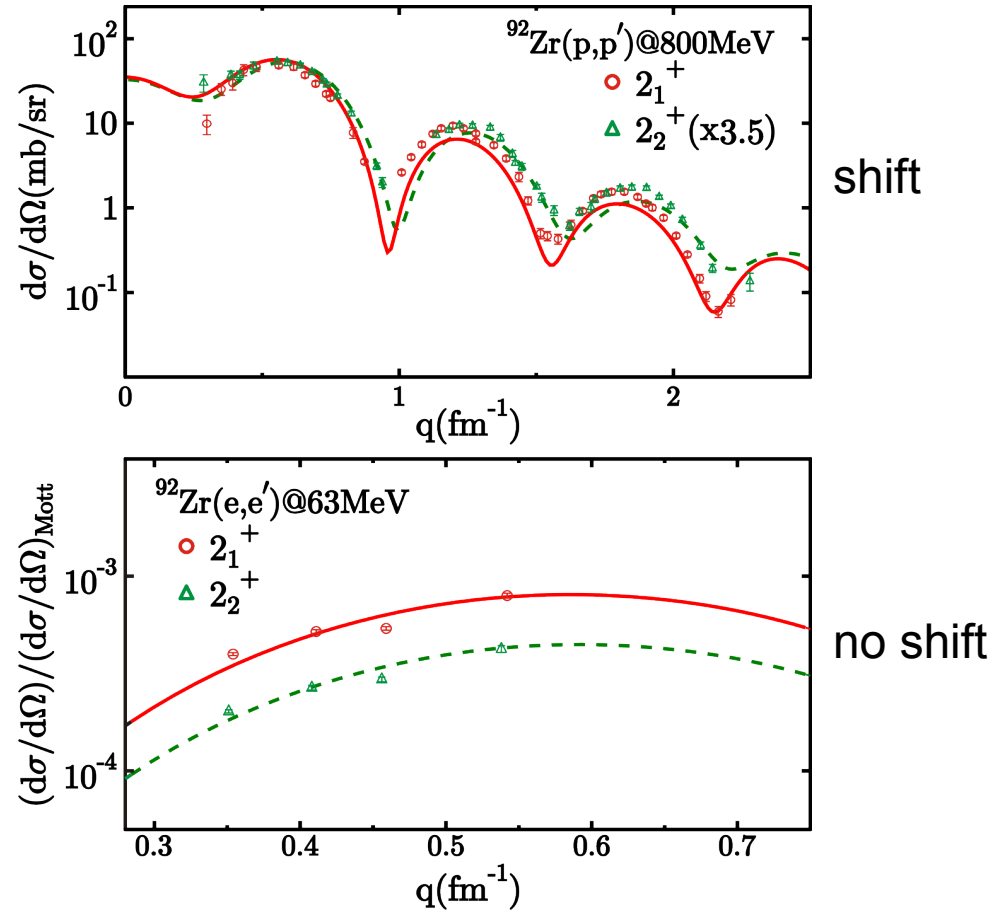
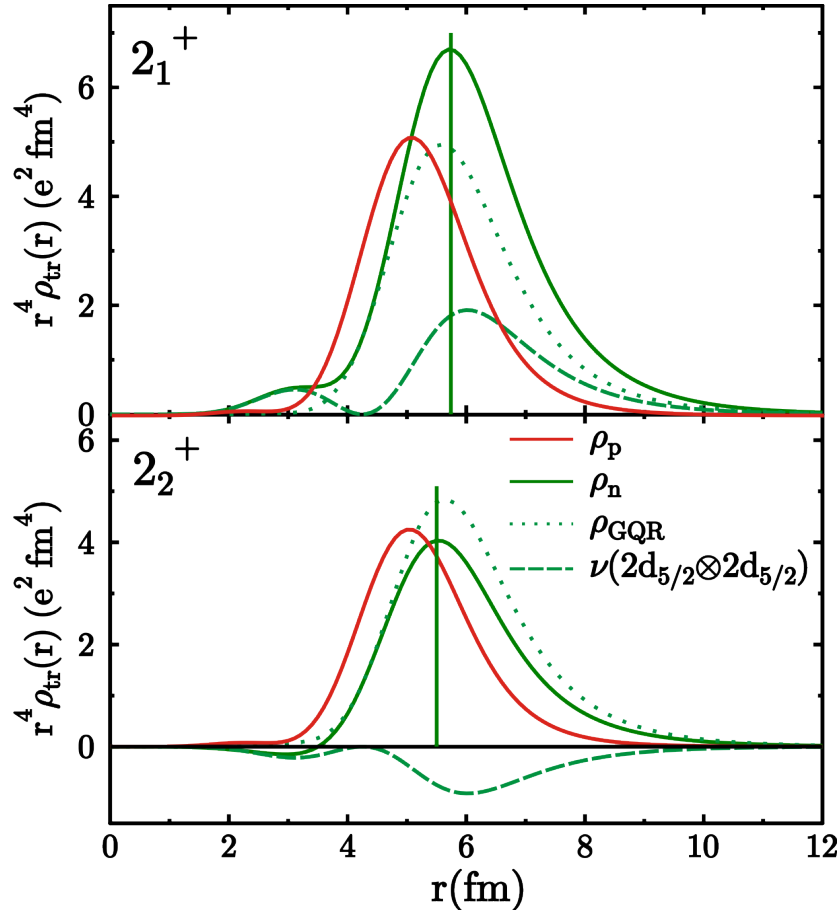
- (e,e') and (p,p') test collectivity
- Comparison of (e,e') and (p,p') allows proton/neutron decomposition of the wave function
- Isovector Character (in the valence shell) of MS 2^+ states experimentally confirmed in ^{92}Zr , ^{94}Mo
- Current questions:
 - What determines collectivity of transition to 2^+ MS states?
 - What regulates transition from initial p / n to IS / IV structure?
 - coupling to GQR

Coupling to GQR: a 3-state model



- reminiscent of EFT: high-energy sector can be integrated out → effective charges

New experimental test of MS character of 2^+ states



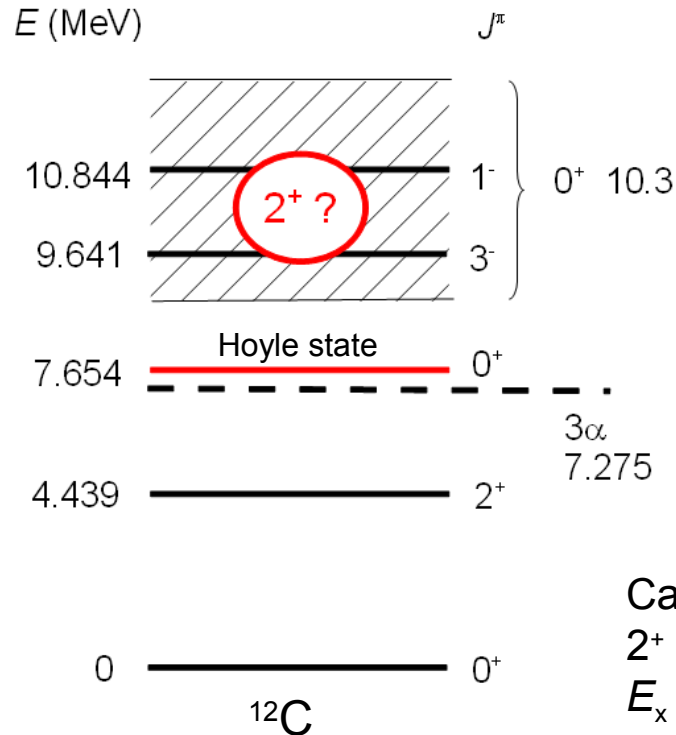
■ shift of neutron transition density

■ direct signature for MS state!

Plans for the new funding period

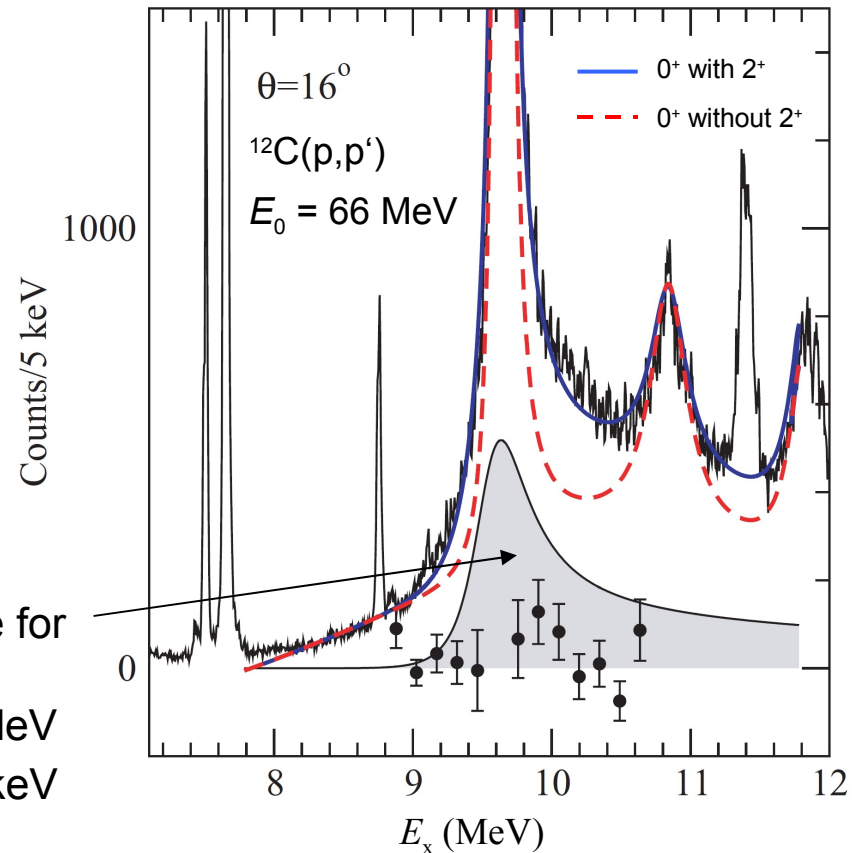
- Study of α cluster states in coincidence experiments J. Birkhan
- Structure of the PDR I. Poltoratska
- Isoscalar giant dipole resonance in $(e, e'n)$ coincidence experiments A.M. Heilmann
- Mixed-symmetry states A. Scheikh-Obeid
C. Walz
- Test of IBM symmetries A. Krugmann

Search for 2^+ state built on the Hoyle state



Candidate for
 2^+ state
 $E_x = 9.6$ MeV
 $\Gamma = 600$ keV

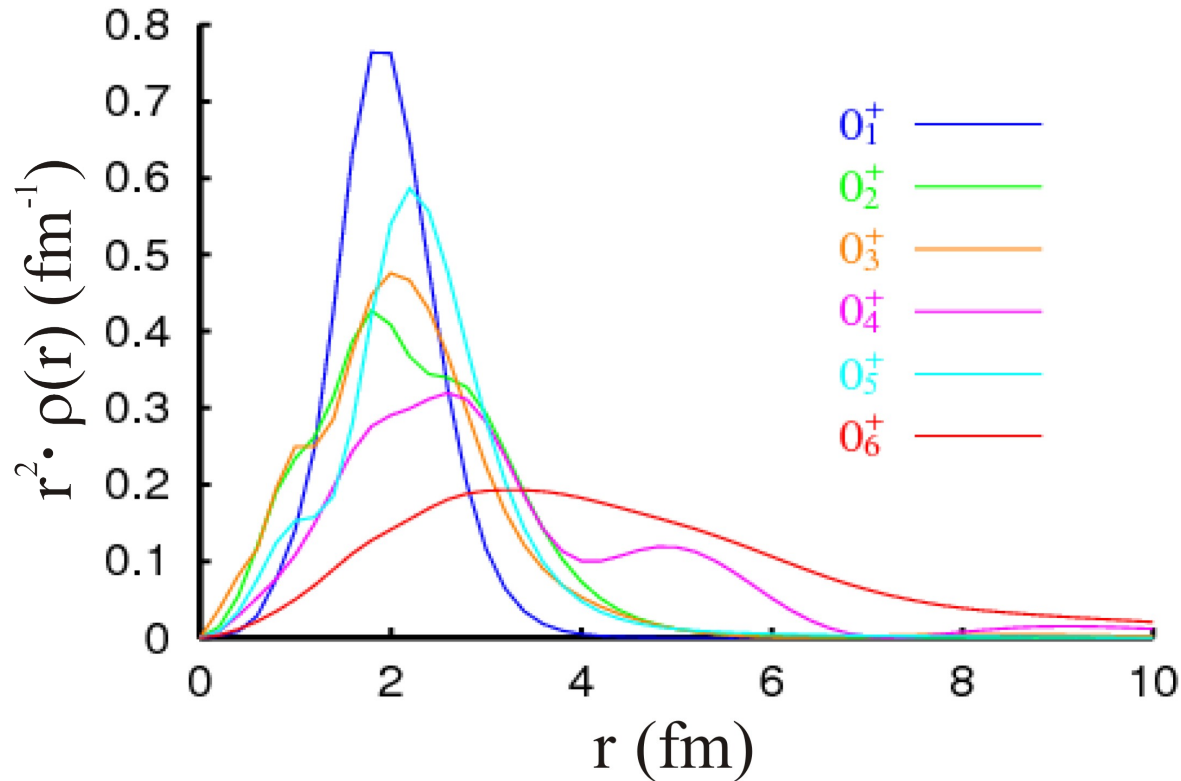
iThemba LABS



M. Freer et al., Phys. Rev. C **80**, 041303(R) (2009)

Analog of the Hoyle state in ^{16}O

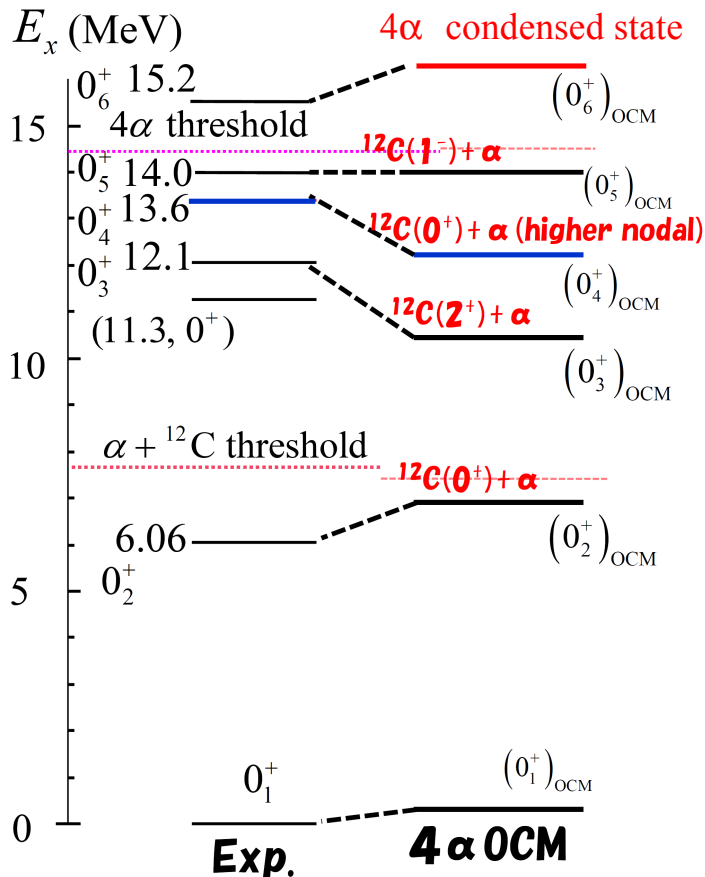
Y. Funaki, talk at COMEX3 (2009)



0_6^+ : **dilute α gas**

Analog of the Hoyle state in ^{16}O

Level scheme of ^{16}O



0_4^+ state: T. Wakasa, Y. F. et al, PLB 653, 173 (2007).

	R_{rms} (fm)	$M(E0)$ (fm^2)	$M(E0)$ (fm^2) Exp.
$(0_1^+)_{\text{OCM}}$	2.7		
$(0_2^+)_{\text{OCM}}$	3.0	3.9	0_2^+: 3.55
$(0_3^+)_{\text{OCM}}$	3.1	2.4	0_3^+: 4.03
$(0_4^+)_{\text{OCM}}$	4.0	2.4	0_4^+: no data
$(0_5^+)_{\text{OCM}}$	3.1	2.6	0_5^+: 3.3
$(0_6^+)_{\text{OCM}}$	5.6	1.0	0_6^+: no data

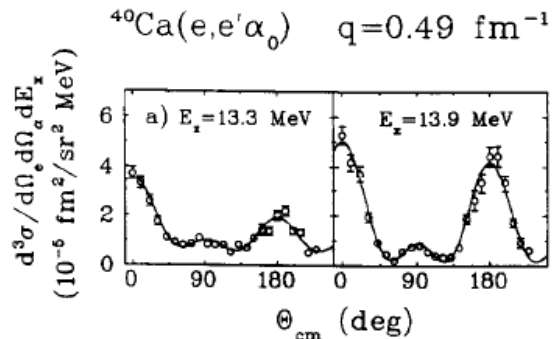
Prediction: $\Gamma(0_6^+) = 50$ keV (R-matrix theory)

Experiment: $\Gamma(0_6^+) = 166(30)$ keV

Y. Funaki et al., Phys. Rev. Lett. 101, 082502 (2008)

Y. Funaki et al., Phys. Rev. C 80, 064326 (2009)

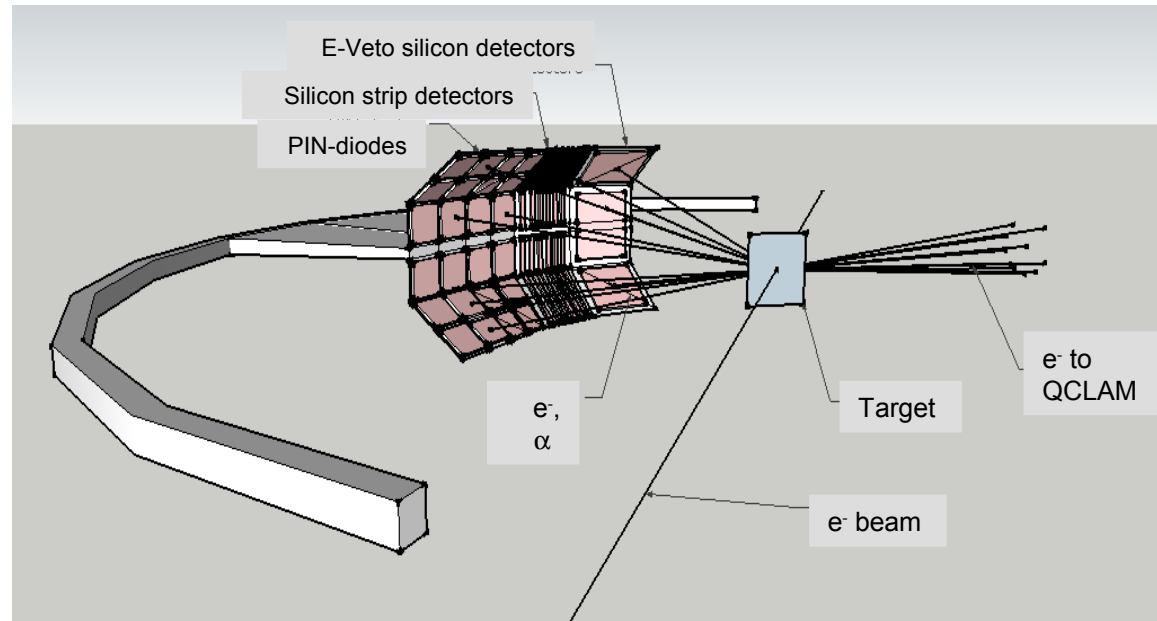
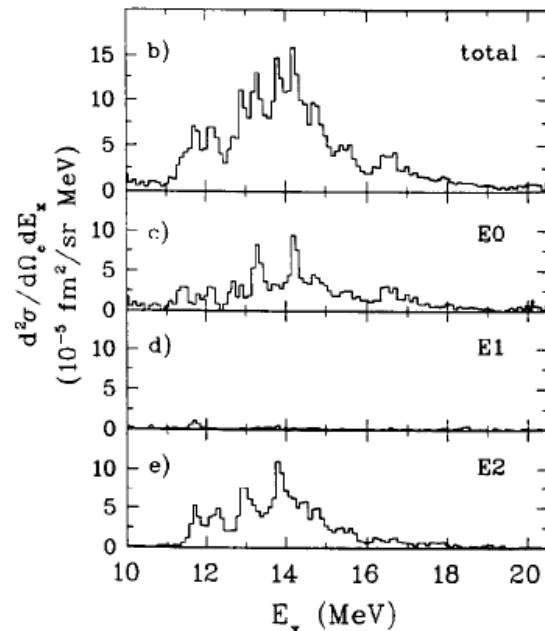
Multipole decomposition via (e,e'α) – coincidence experiment



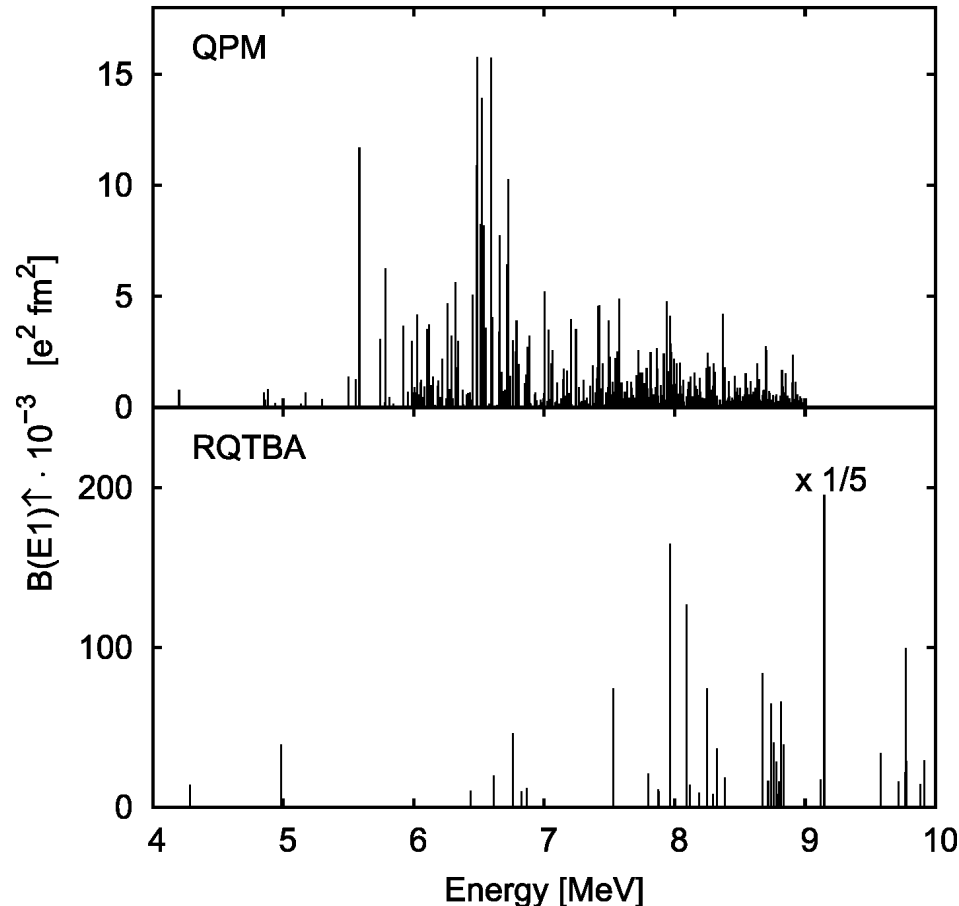
$$W(\theta, E_x, q) = \left| \sum_{\lambda=0}^2 \sqrt{2\lambda+1} \cdot C_\lambda(E_x, q) \cdot e^{i\delta_\lambda(E_x, q)} \cdot P_\lambda(\cos\theta) \right|^2 = \sum_{n=0}^4 a_n \cos^n \theta$$

→ multipole decomposition

Large solid angle detector → test setup



Complete E1 response: example ^{120}Sn

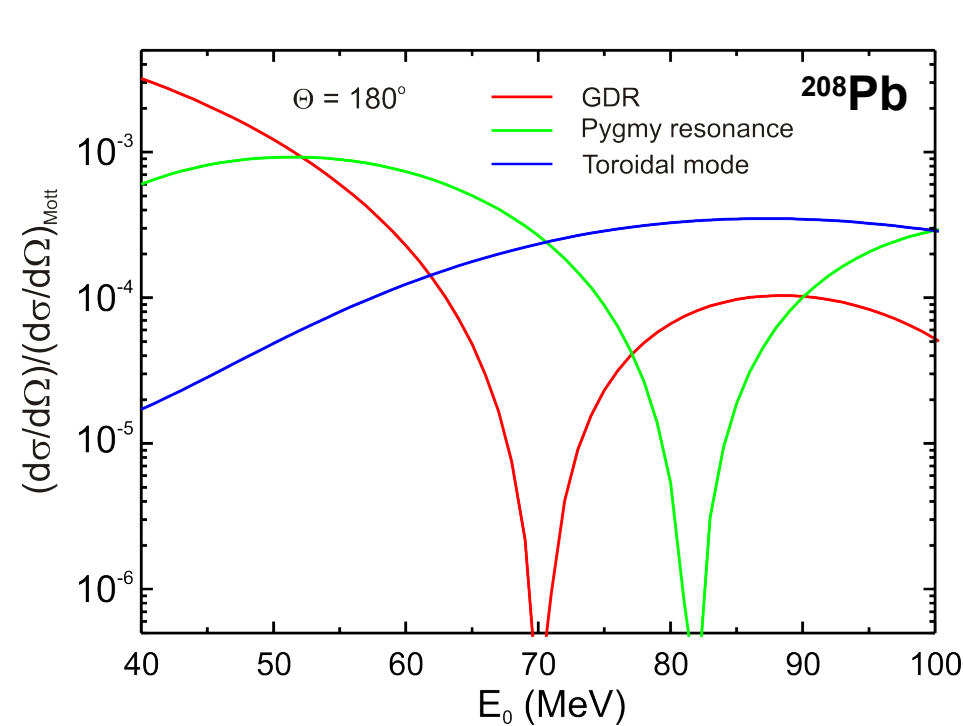


V.Yu. Ponomarev

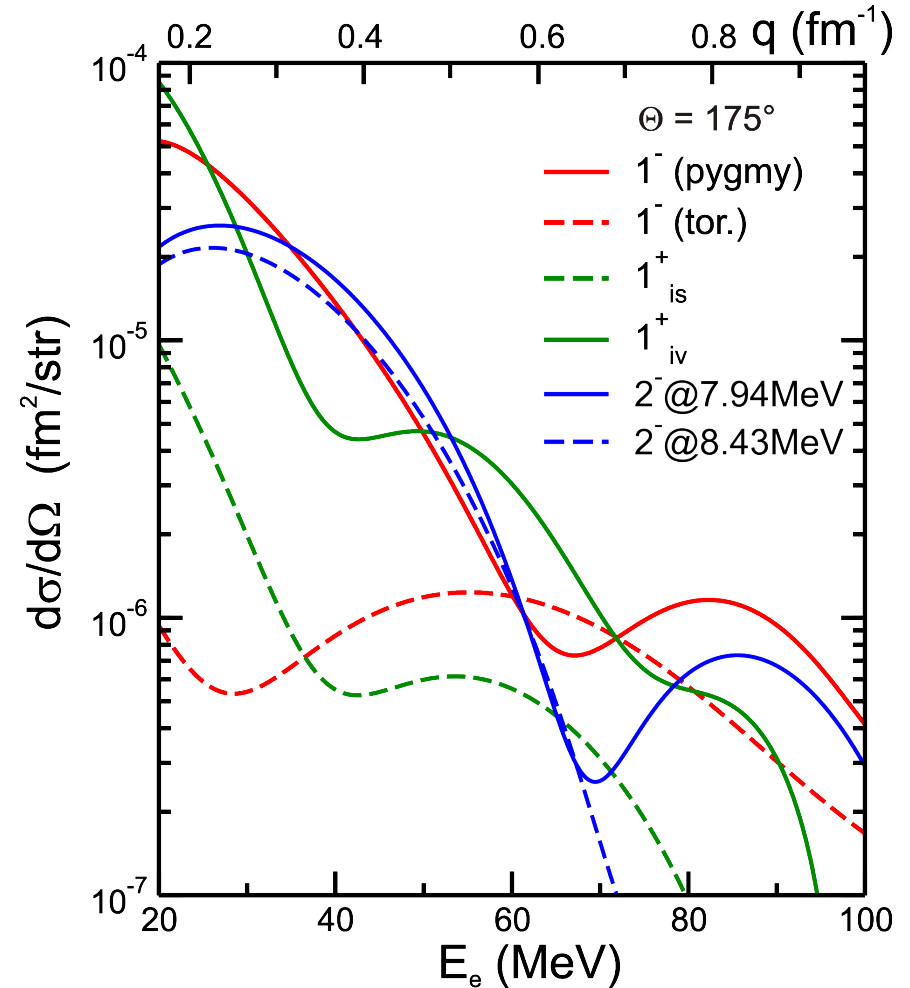
E. Litvinova

- Very different predictions for centroid and strength of the PDR
→ distinction from measurements of the complete E1 response

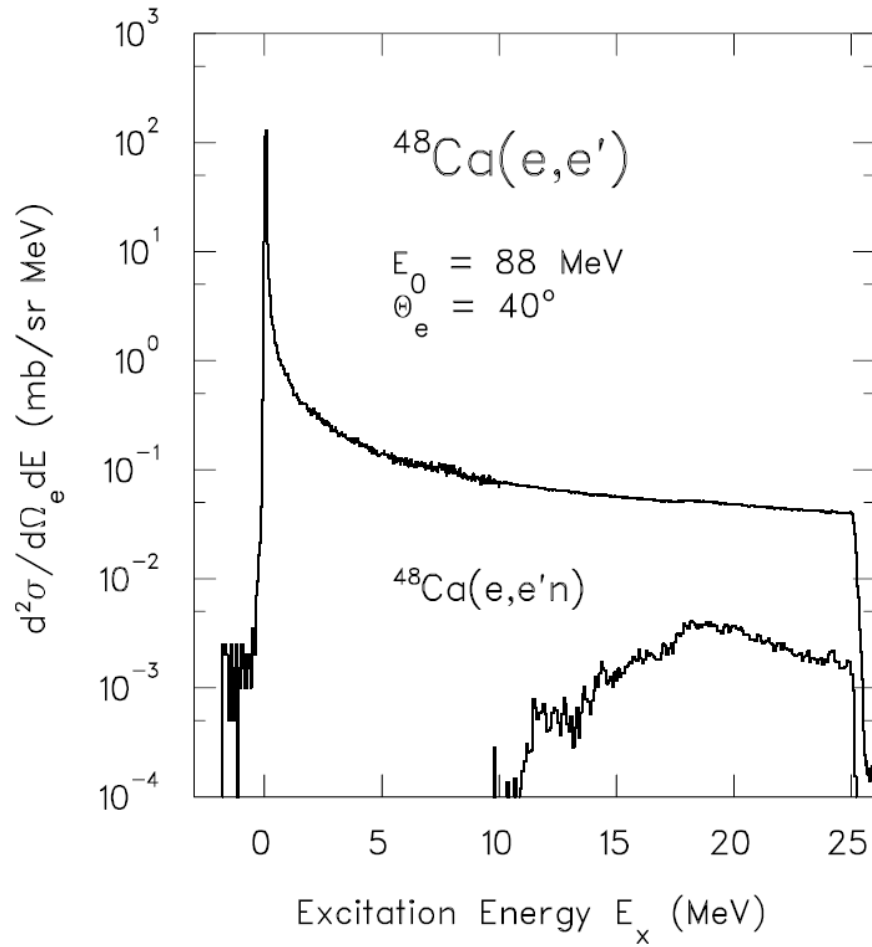
Structure of the PDR from transverse electron scattering



- Clear signature, but can one distinguish from other J^π ?



Neutron Ball for (e,e'n) experiments



S.Strauch et al, Phys. Rev. Lett. (1998)

exclusive experiments almost
background-free but very
small coincidence cross
sections

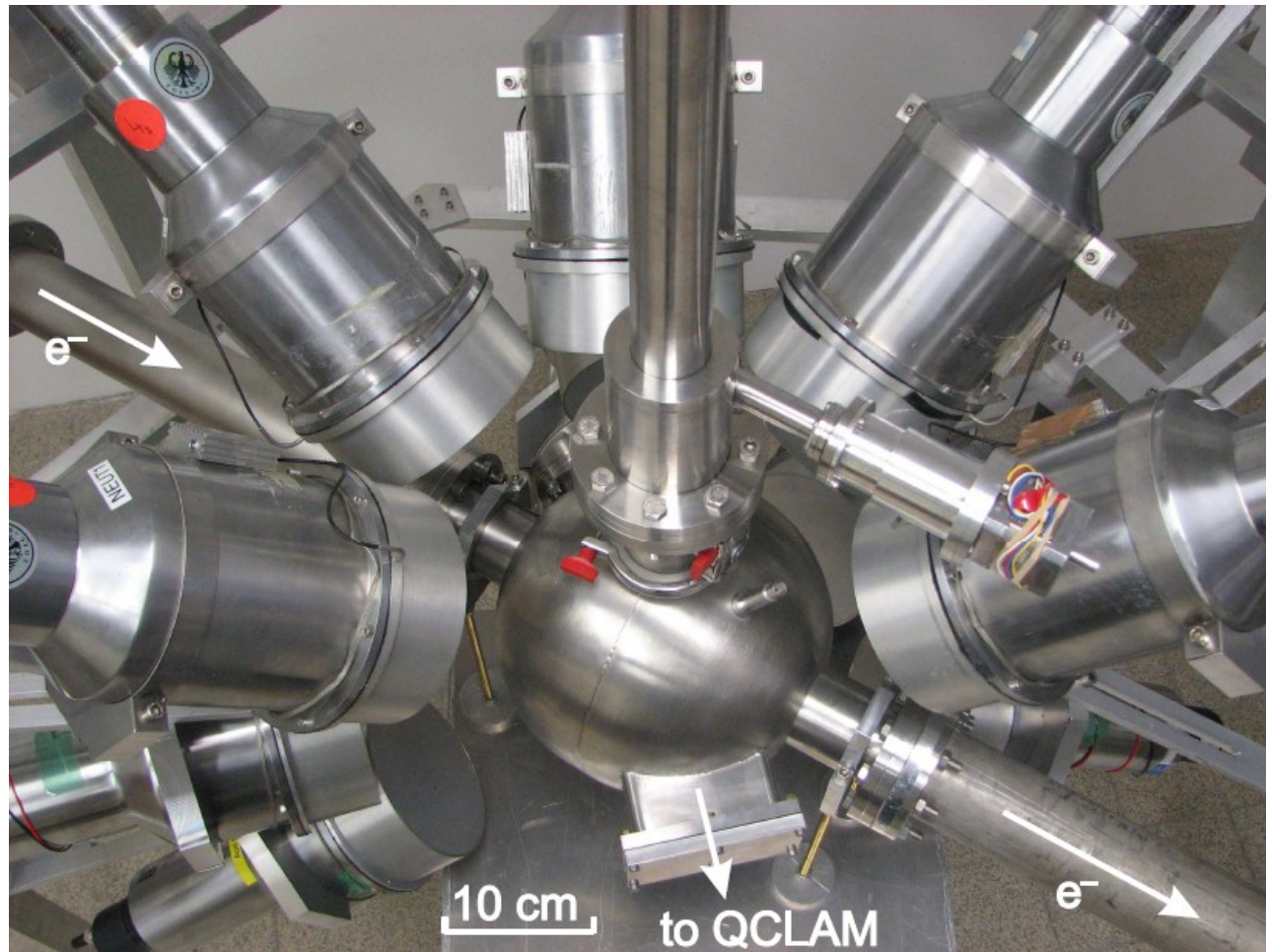
→ large solid angle ball

works as trigger
(no angular correlations)

Neutron Ball



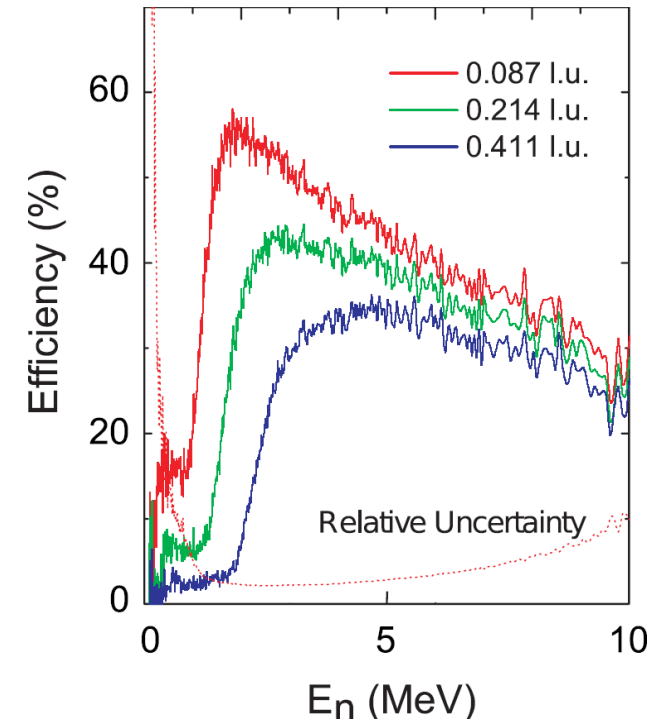
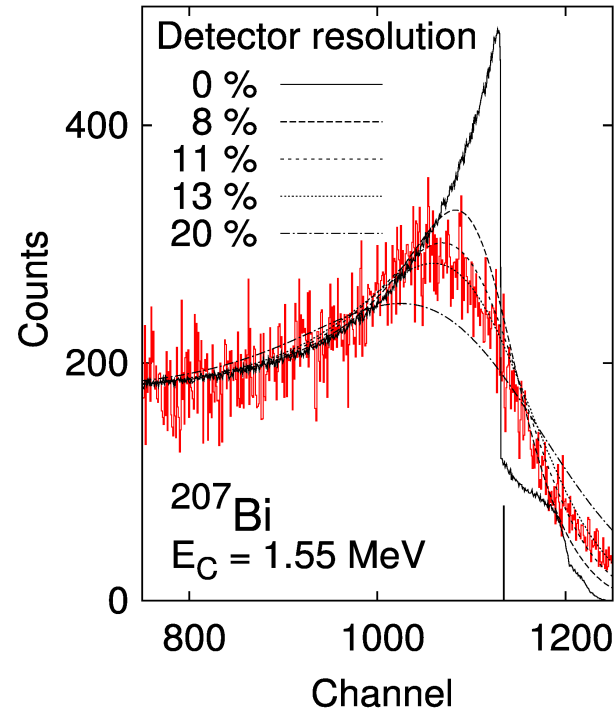
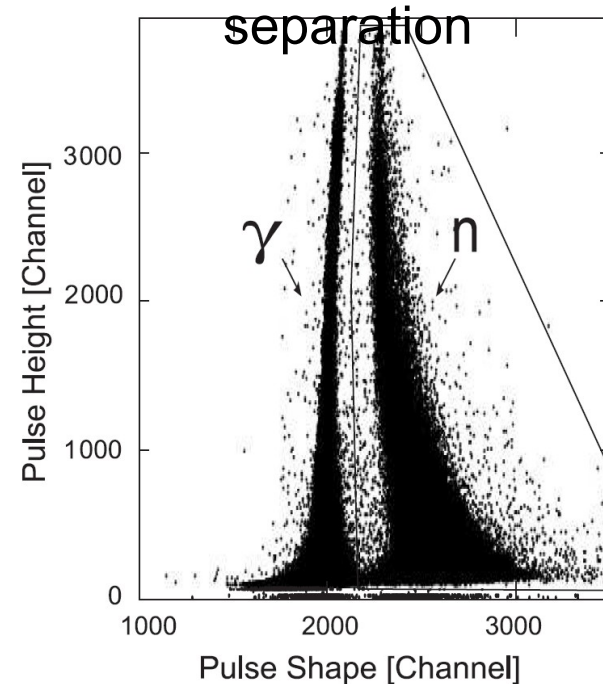
TECHNISCHE
UNIVERSITÄT
DARMSTADT



n/γ

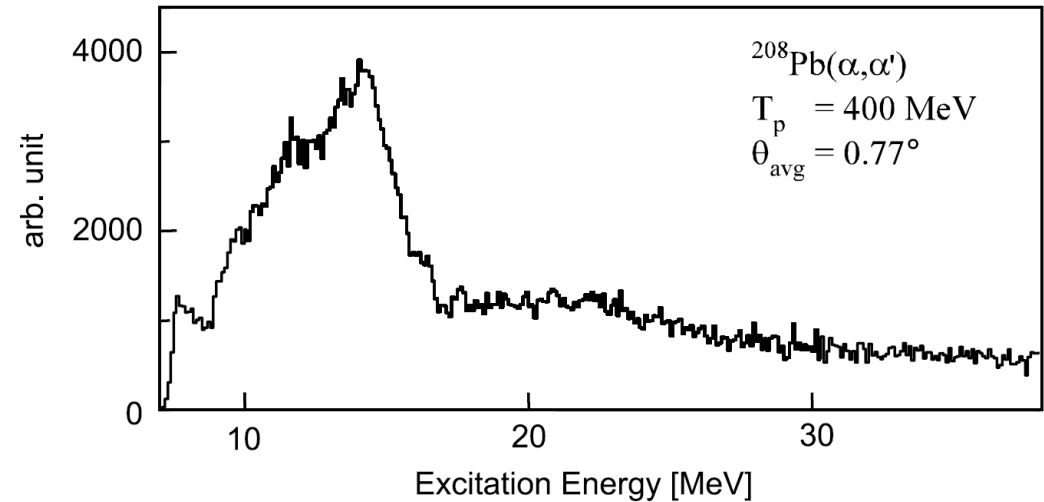
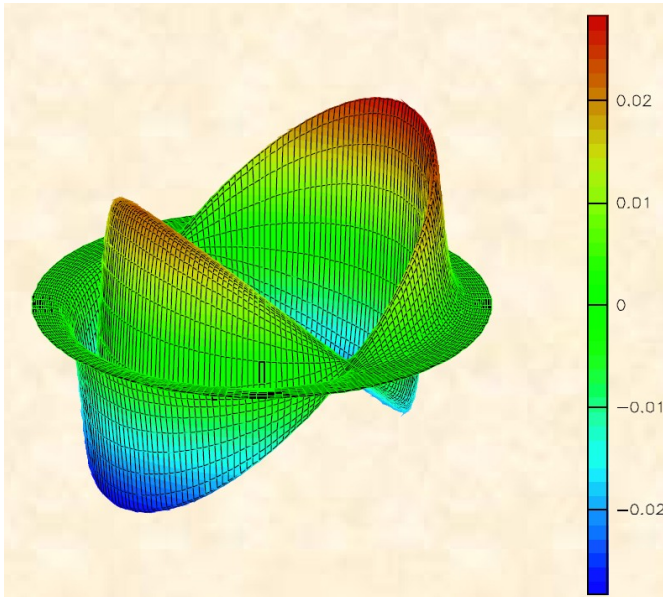
detector response

efficiency



- needs commissioning run

Physics: The isoscalar giant dipole resonance

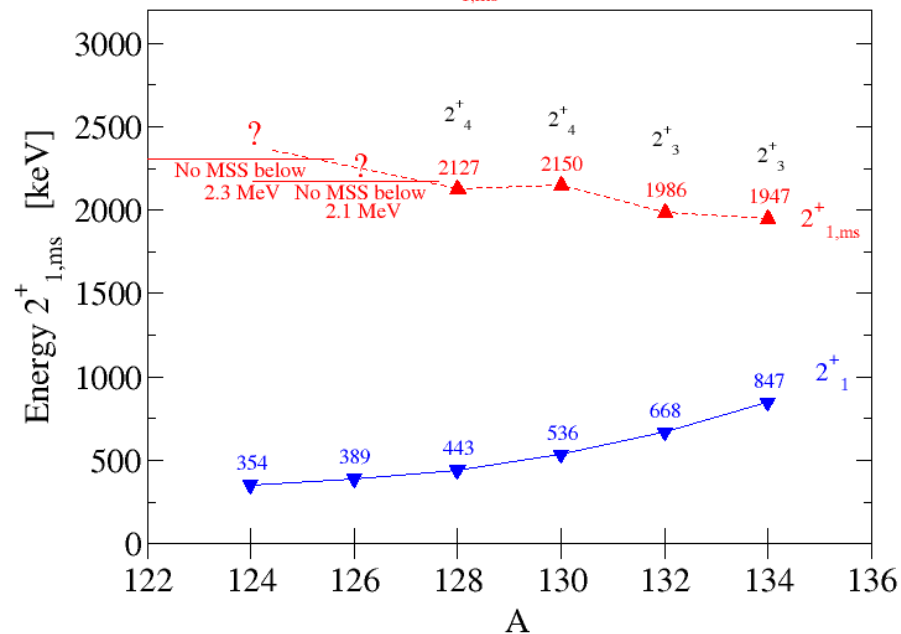


$$E_{ISGDR} = \hbar \sqrt{\frac{7}{3} \frac{K_A + \frac{27}{25} \epsilon_F}{m \langle r^2 \rangle}}$$

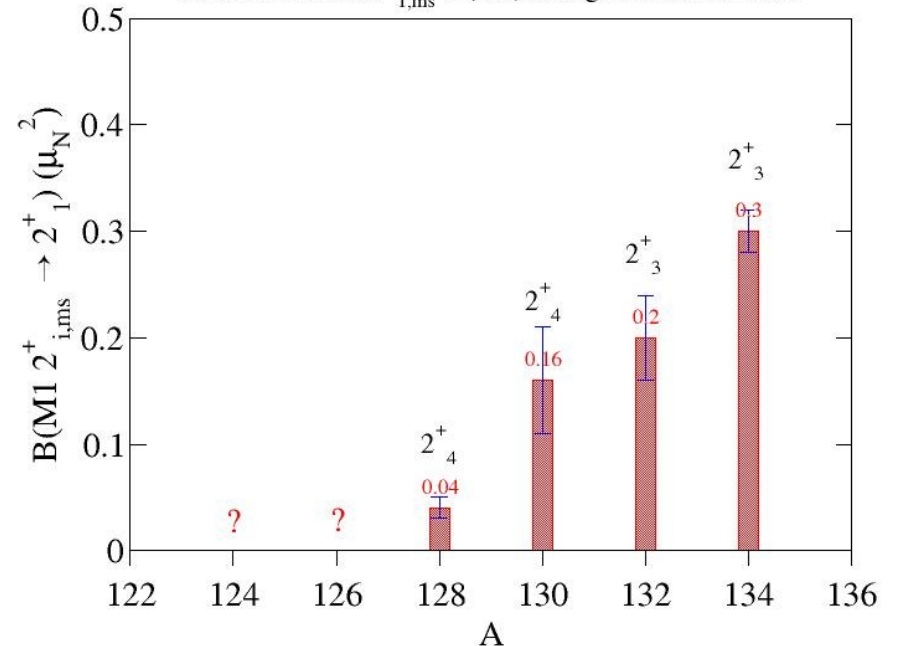
- multipole decomposition
- large quasi-free background
- large uncertainties
- no reliable values for EWSR

Mixed symmetry states: the Xe isotope chain

Evolution of the $2^+_{1,ms}$ Energy in the Xe chain



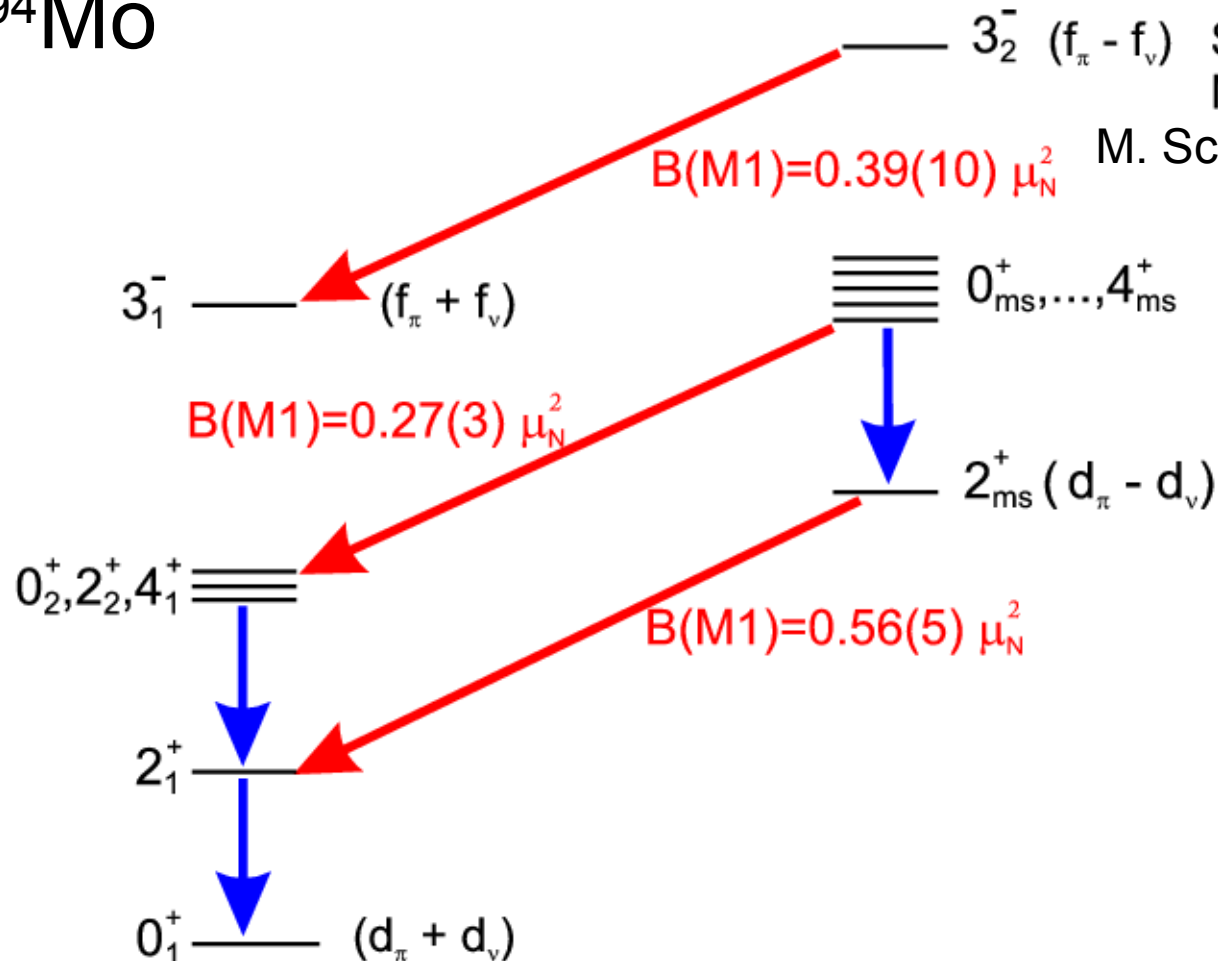
Evolution of the $2^+_{1,ms}$ B(M1) strength in the Xe chain



- Test GQR coupling scheme in transition towards deformation

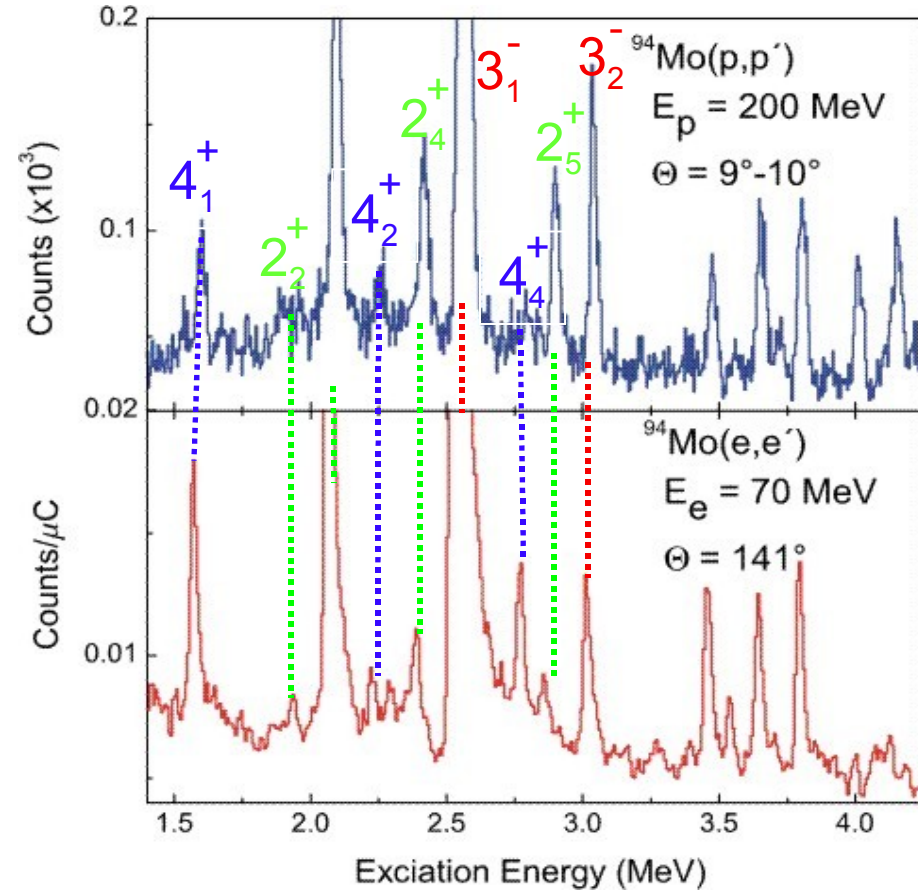
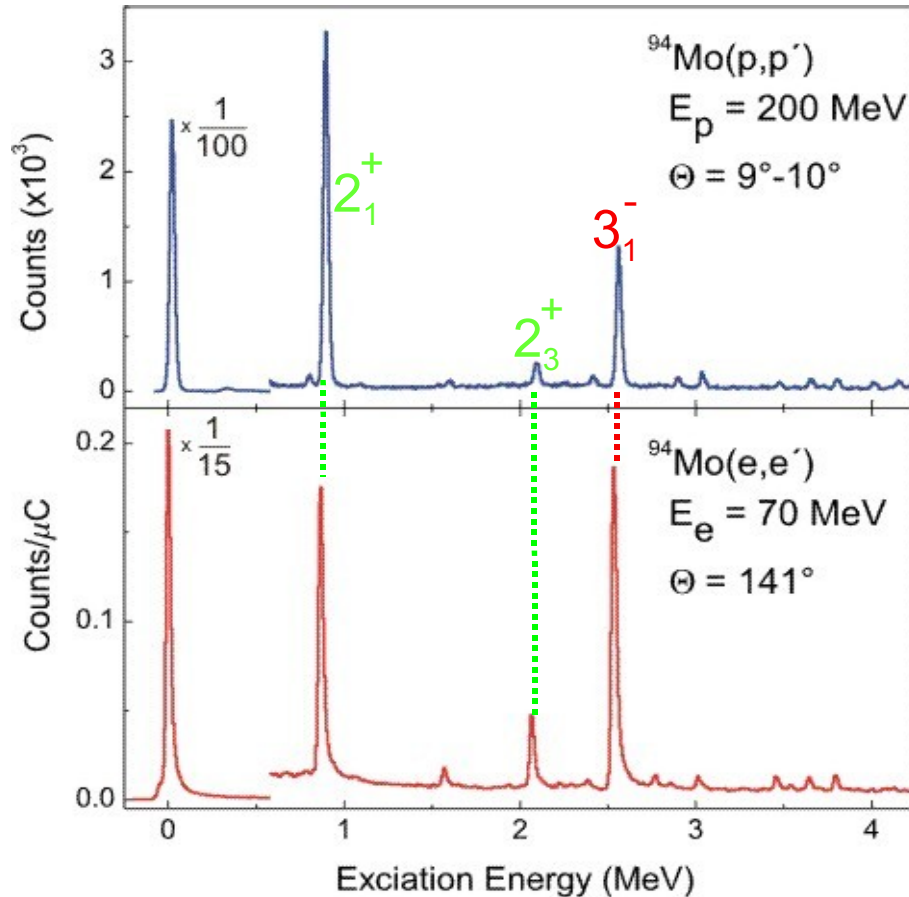
Mixed symmetry 3- states?

^{94}Mo



M. Scheck et al., to be published

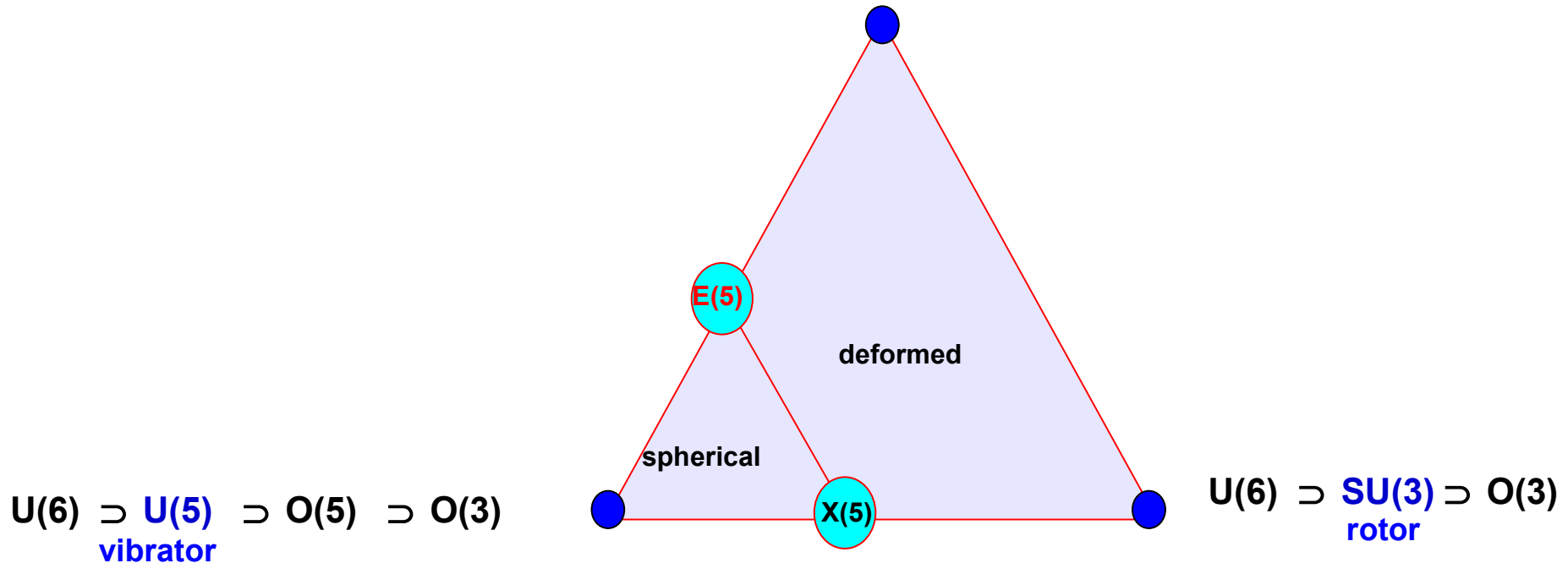
Mixed symmetry 3⁻ and 4⁺ states?



IBM symmetries

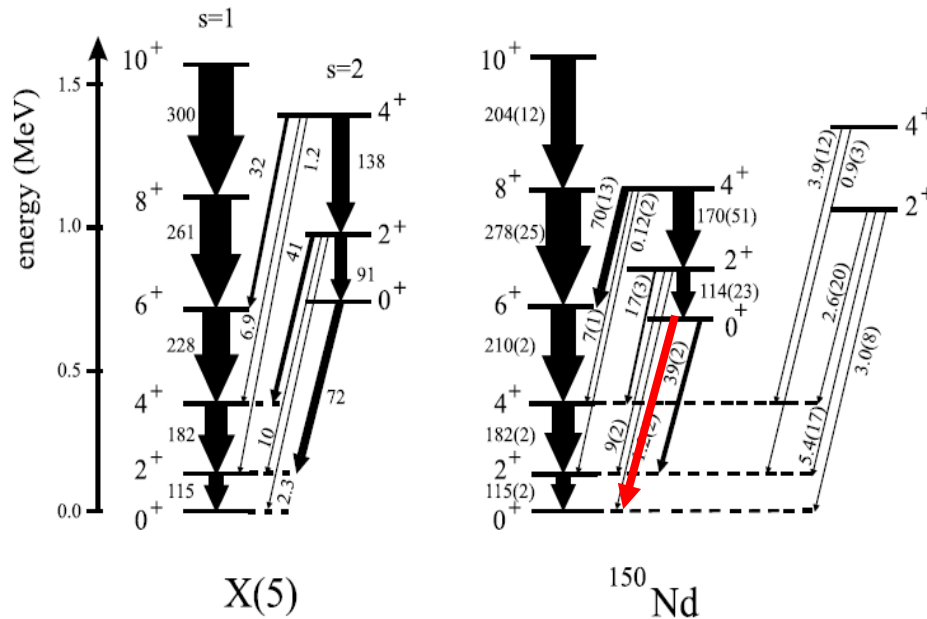
$$U(6) \supset O(6) \supset O(5) \supset O(3)$$

γ -soft



Testing the X(5) symmetry

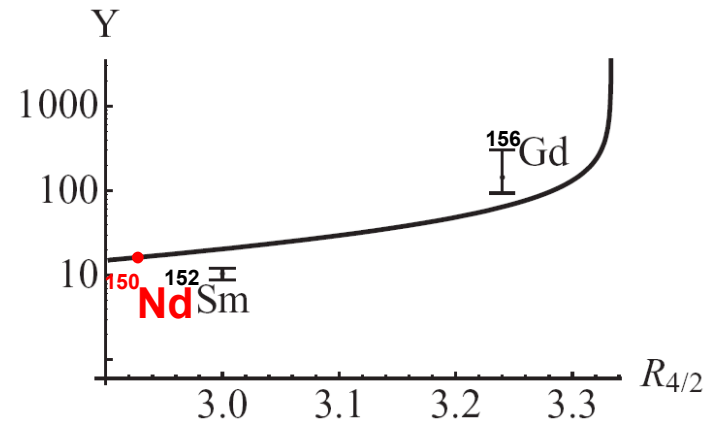
B(E2) transition strengths



R. Krücken et al., Phys. Rev. Lett. 88, 232501 (2002)

CBS model

$$Y = \frac{\rho^2(0_2^+ \rightarrow 0_1^+) (e^2 R^4 Z)^2 \left(\frac{3}{4\pi}\right)^2}{B(E2, 0_2^+ \rightarrow 2_1^+)^2}$$

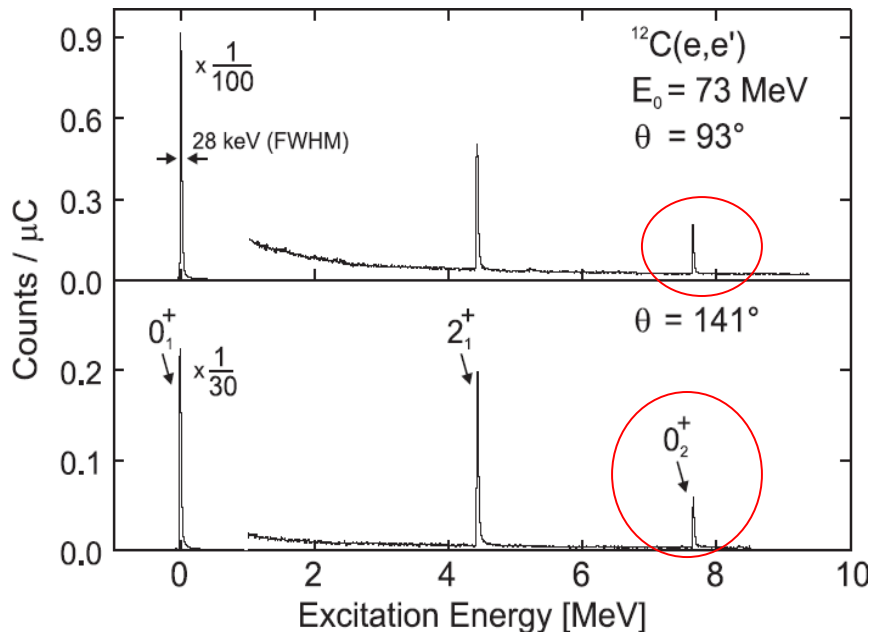


- absolute value of $\rho^2(E0)$ needed to test X(5) character of ^{150}Nd

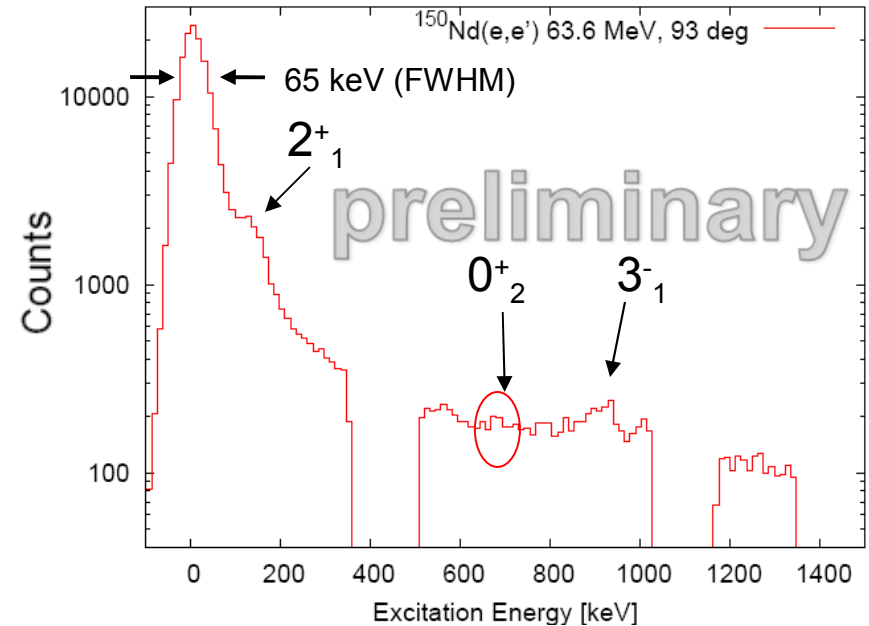
J. Bonnet et al., Phys. Rev. C 79, 034307 (2009)

E0 transition strengths at the S-DALINAC

0_2^+ (Hoyle) state in ^{12}C



0_2^+ state in ^{150}Nd



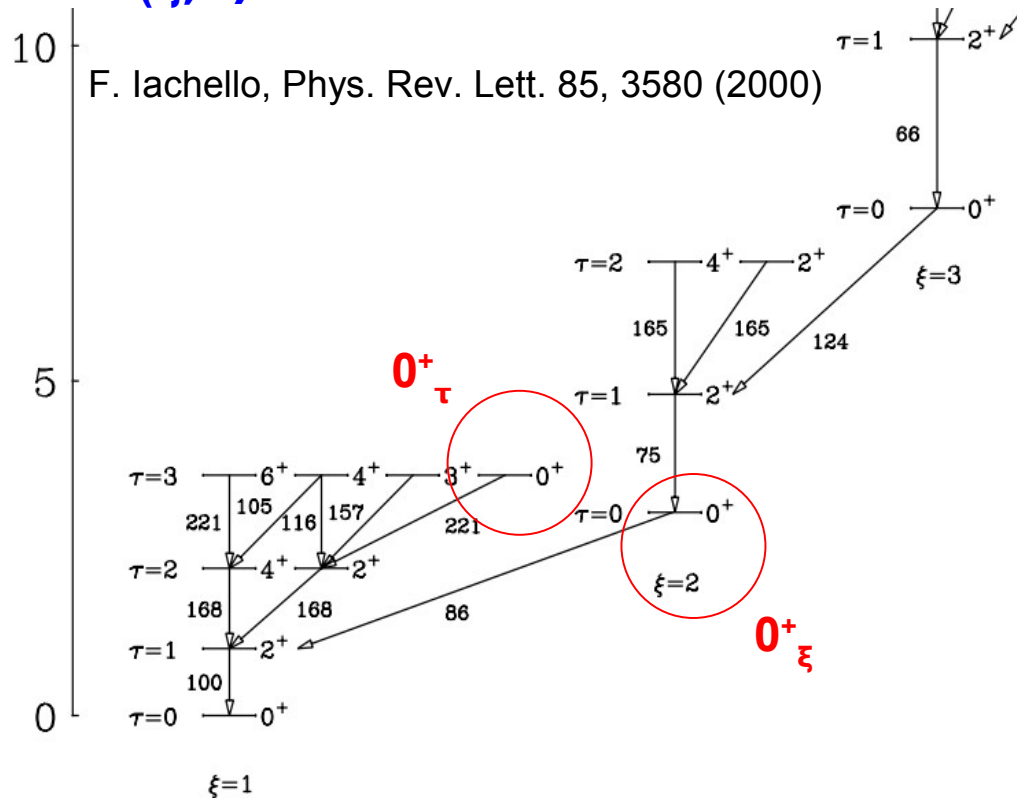
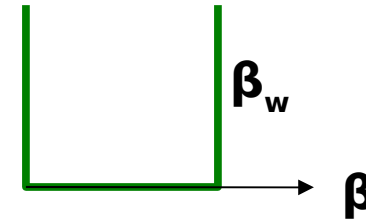
- $\rho^2(E0) = 560 \cdot 10^{-3}$ measured

- Short test run in December 2009
- CBS predicts $\rho^2(E0) \approx 100 \cdot 10^{-3}$

Signatures of E(5) symmetry

- Analytical solution H_{Bohr} with $V(\beta, \gamma) = V(\beta)$

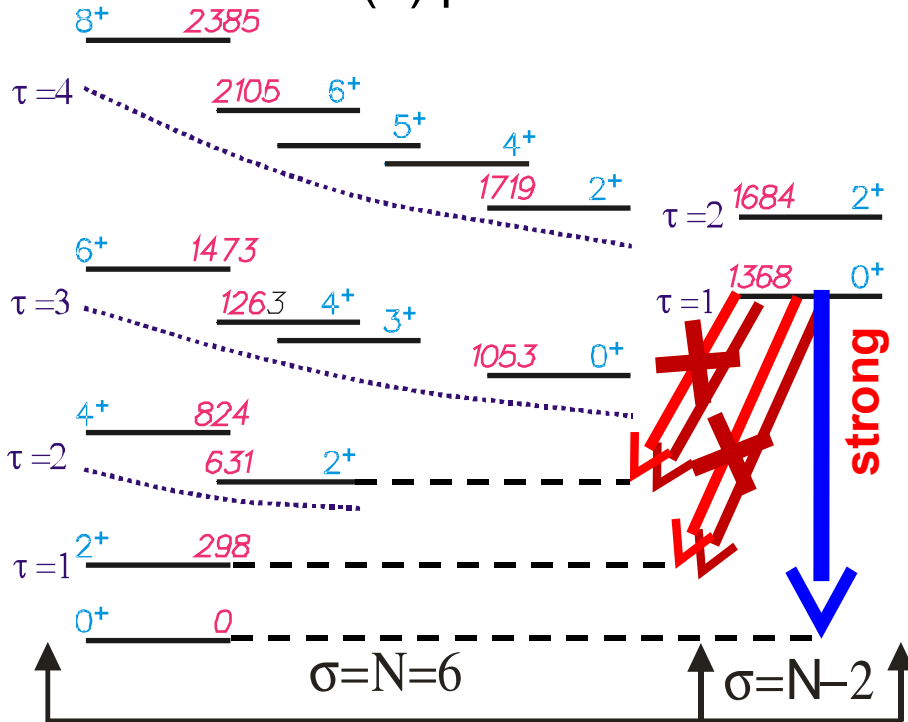
Solutions: zeros of Bessel functions \rightarrow
 $E(\xi, \tau)$



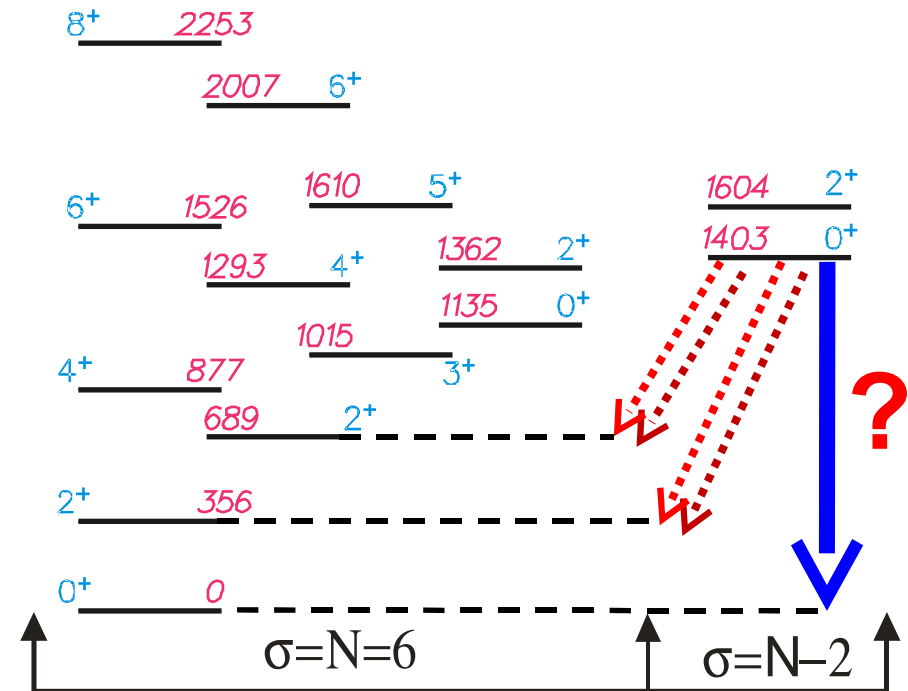
Key observables:
 $R_{4/2}$, $R_{0/2}$, $B(E0, E2)$ from 0^+ states

O(6) symmetry in ^{196}Pt

O(6) prediction



^{196}Pt experiment

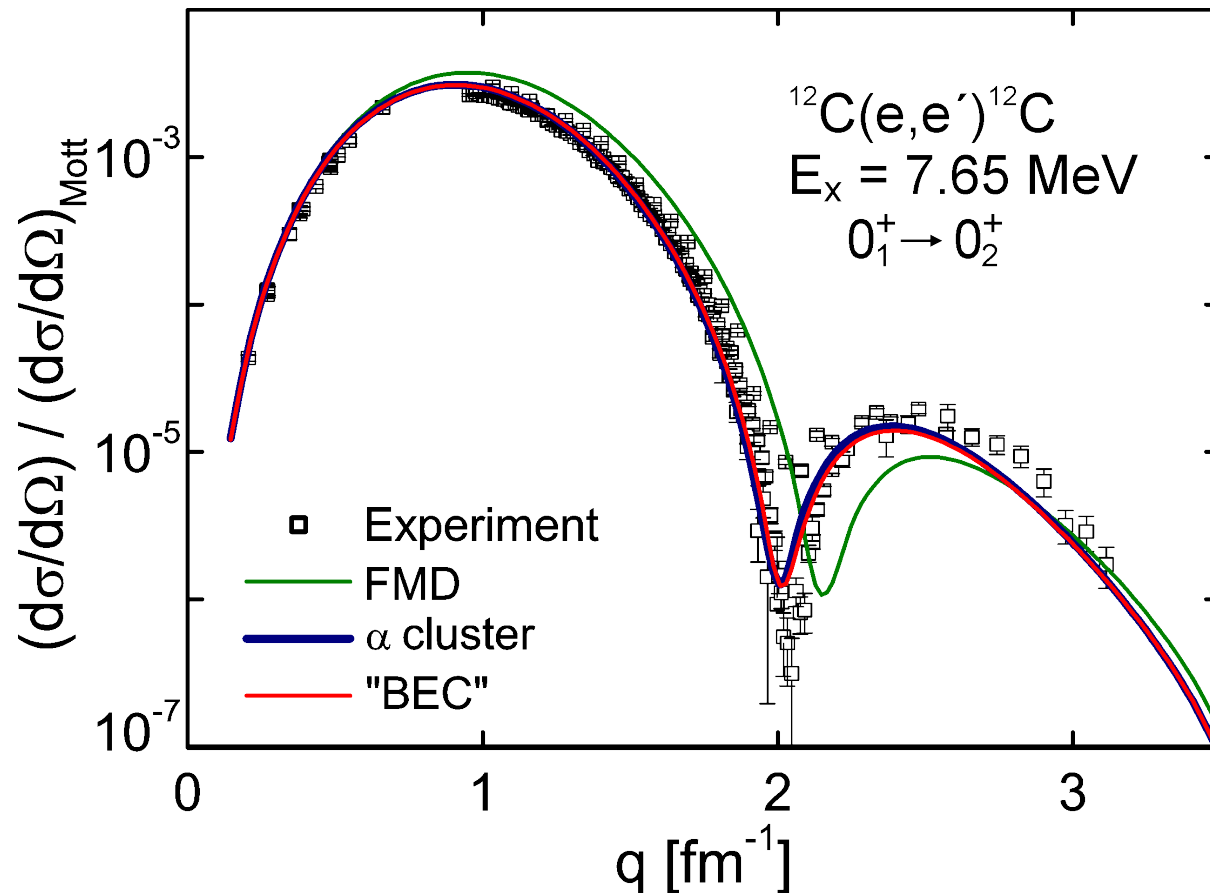


- E2 selection rules: $\Delta \sigma = 0, \Delta \tau = \pm 1$
- E0 selection rules: $\Delta \sigma = \pm 2, \Delta \tau = 0$

Decisive signature: $\rho^2(E0)$

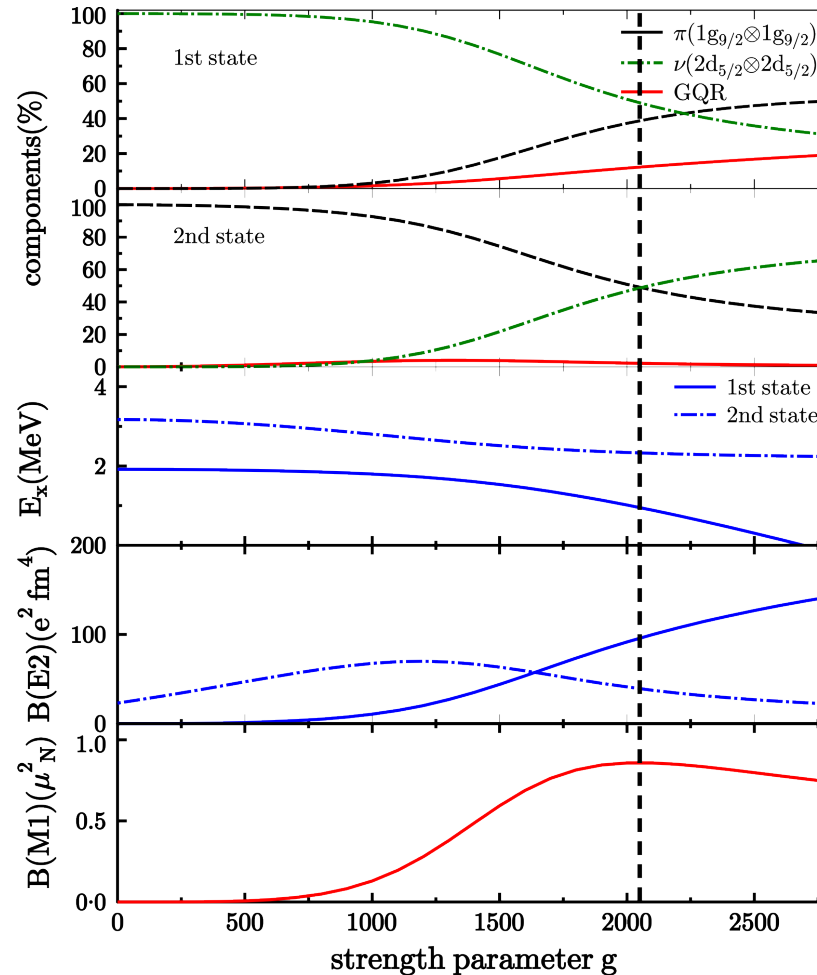


Transition form factor to the Hoyle state



- generally good agreement, but E0 matrix element systematically overpredicted by all models

3-state model for ^{92}Zr



- good correspondence with full microscopic QPM result