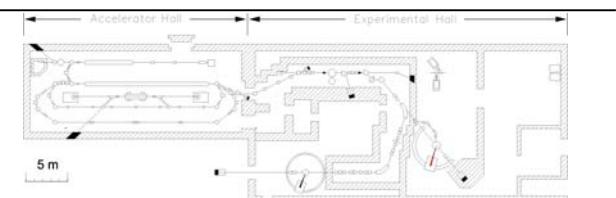


Precision Measurement of the Proton Charge Radius with Elastic Electron Scattering

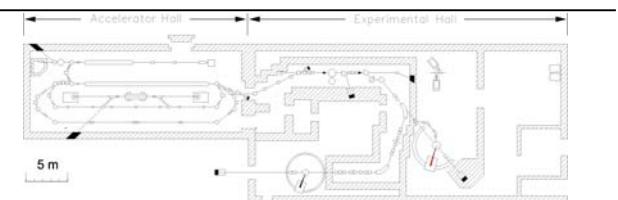
*P. von Neumann-Cosel, I. Pysmenetska,
S. Rathi, A. Richter, G. Schrieder and A. Shevchenko*

- Motivation
- Experimental technique
- Measured spectra
- Preliminary results
- Outlook

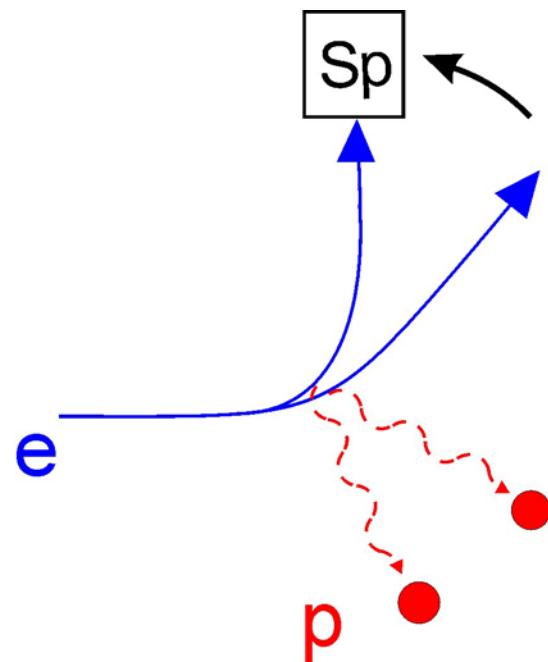


Motivation

- proton radius
 - fundamental quantity in physics
 - important for nuclear theory
- recent Lamb shift measurements as a test of QED
 - theory limited by higher order corrections, which depend on R_p

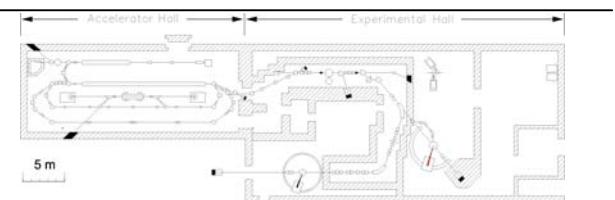


Measuring Method

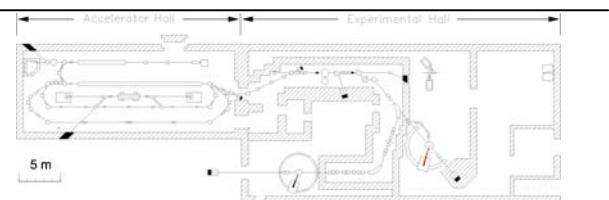
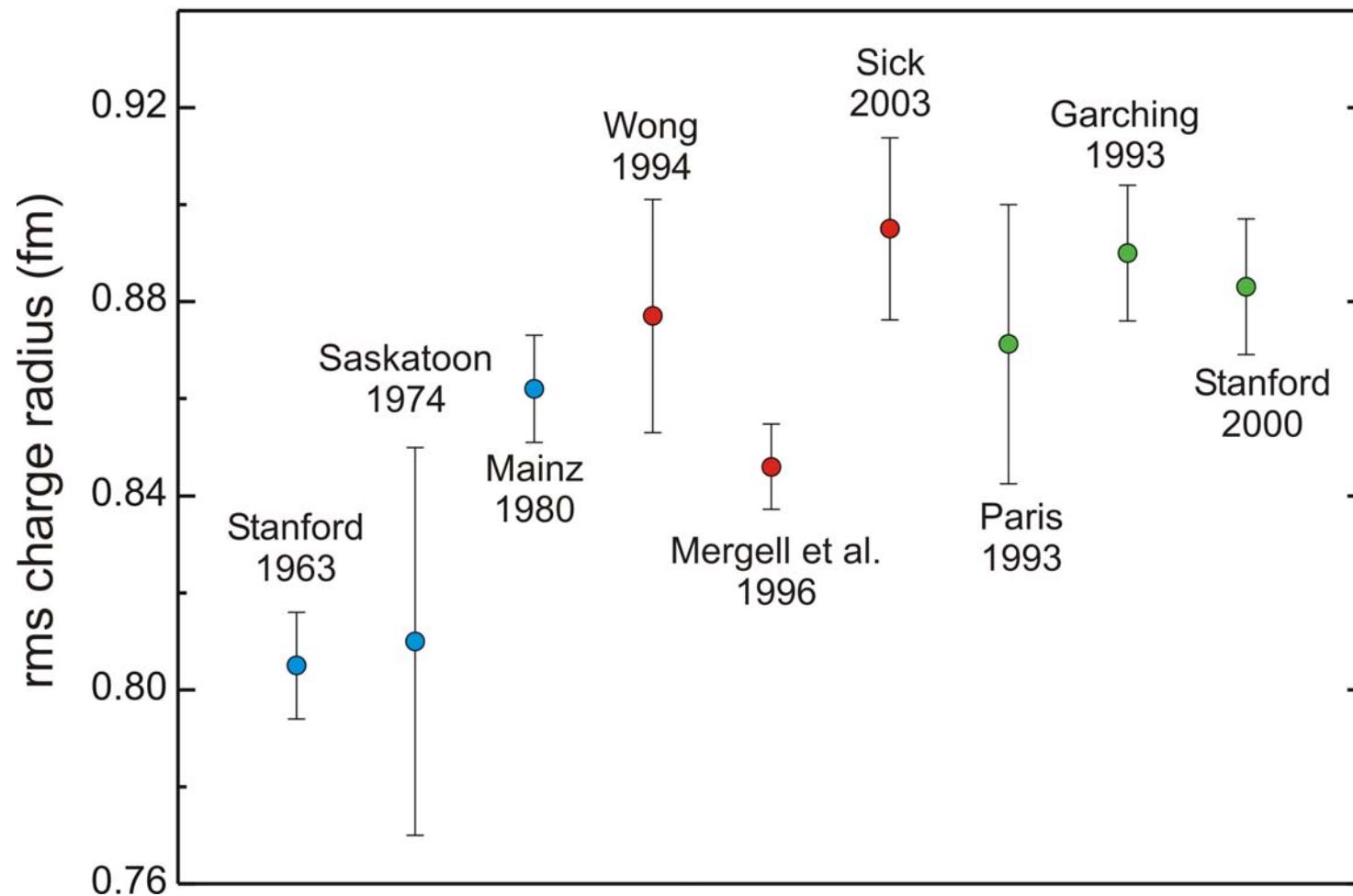


$$\frac{d\sigma}{d\Omega} = \left. \frac{d\sigma}{d\Omega} \right|_{Mott} \cdot \left(1 - \frac{\langle r^2 \rangle q^2}{3!} + \frac{\langle r^4 \rangle q^4}{5!} - \dots \right)$$

$$\frac{\langle r^2 \rangle}{6} = \left. -\frac{dG_E^P(q^2)}{dq^2} \right|_{q \rightarrow 0}$$

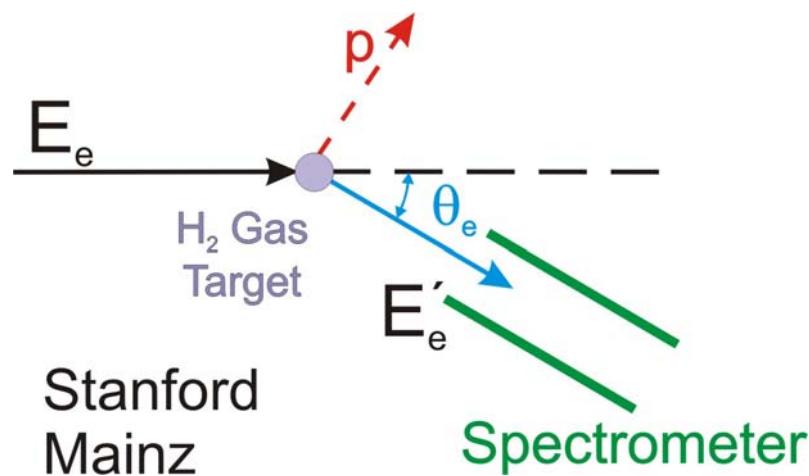


Previous Results

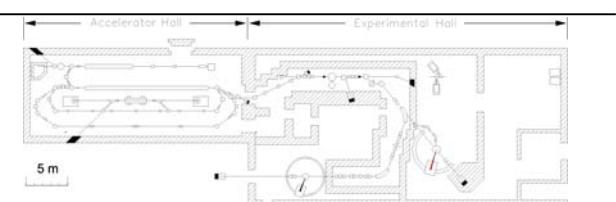
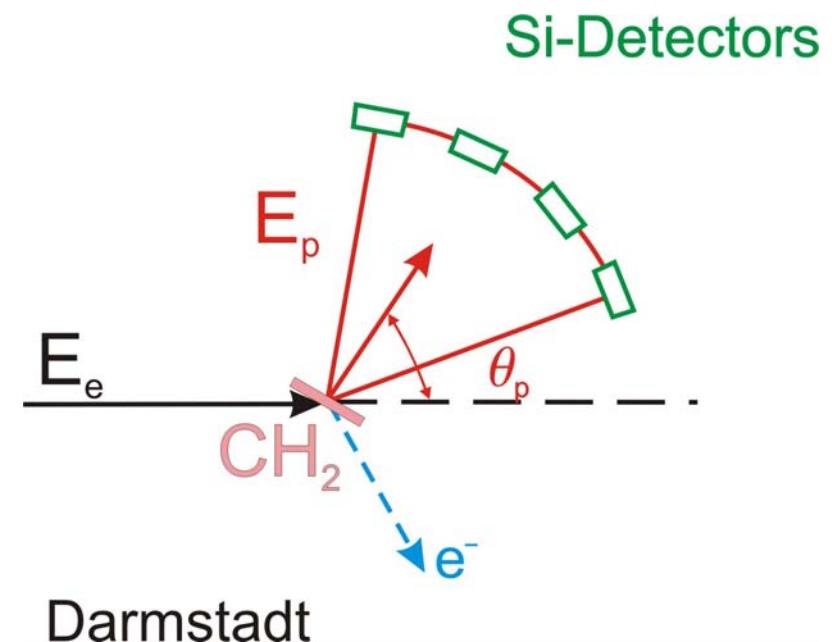


New Idea: Detect Protons and not Electrons!

Previous

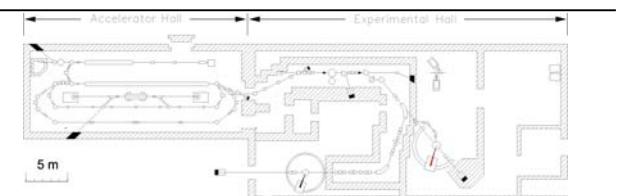


Present

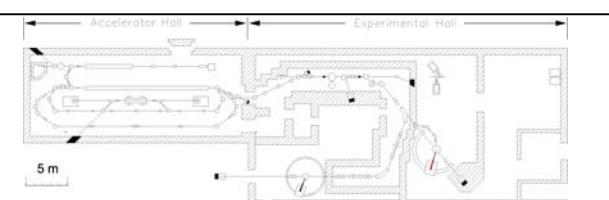
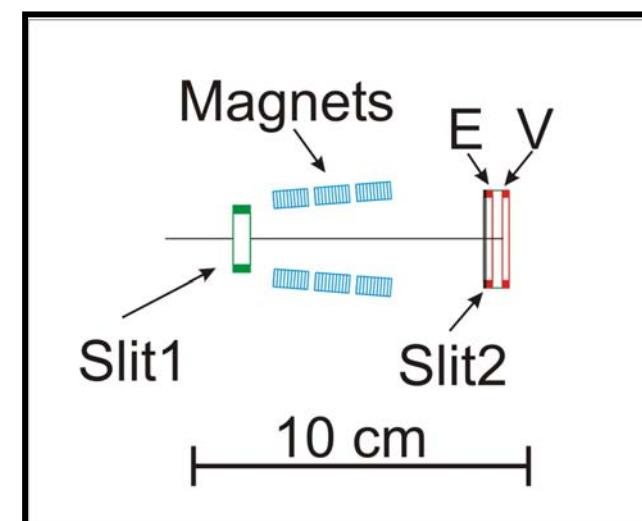
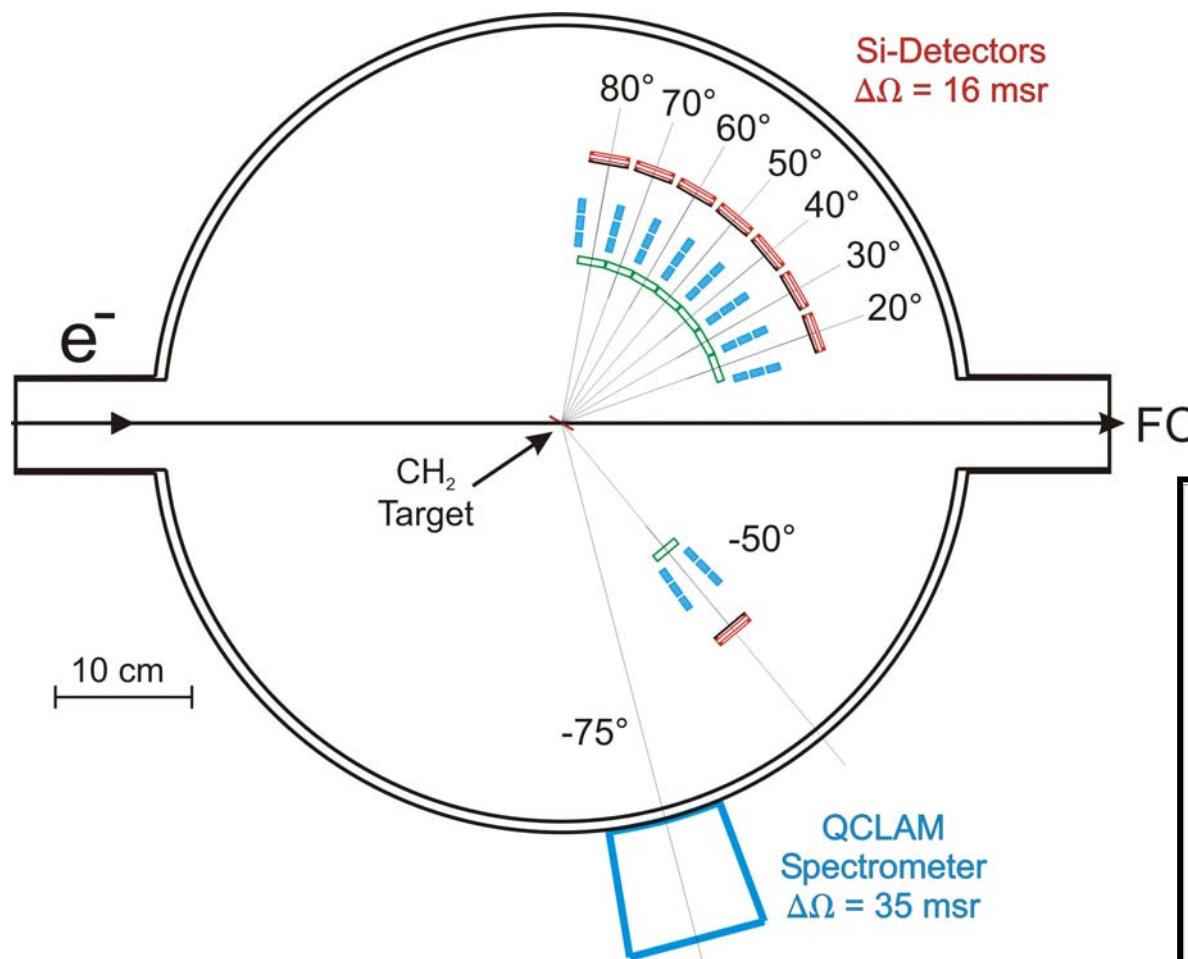


Advantages

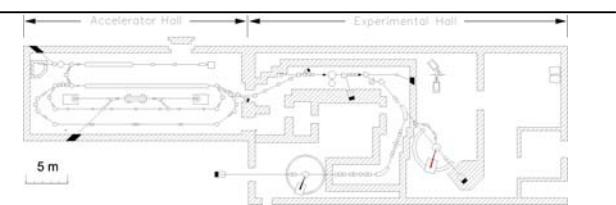
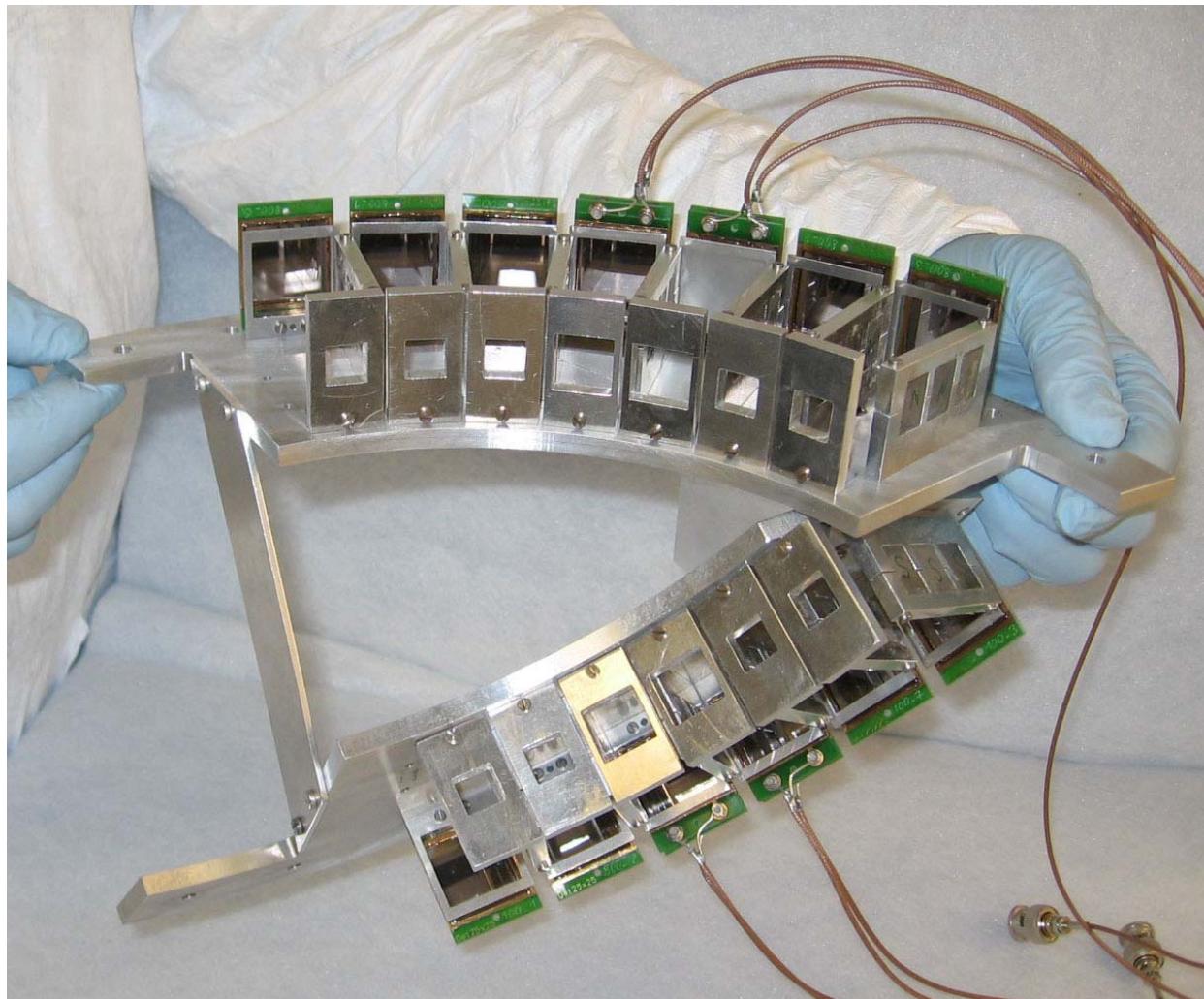
- complete angular distribution measured simultaneously
→ $q = 0.15 - 1 \text{ (fm}^{-1}\text{)}$ in a single run
- avoid difficult normalization
- proton detection efficiency is ~ 1
- precise definition of solid angle
- Rosenbluth separation



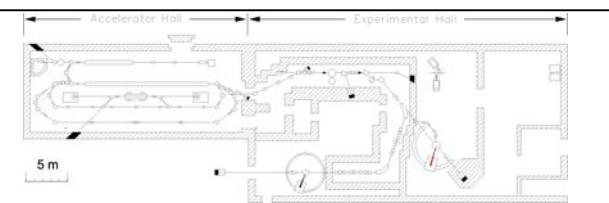
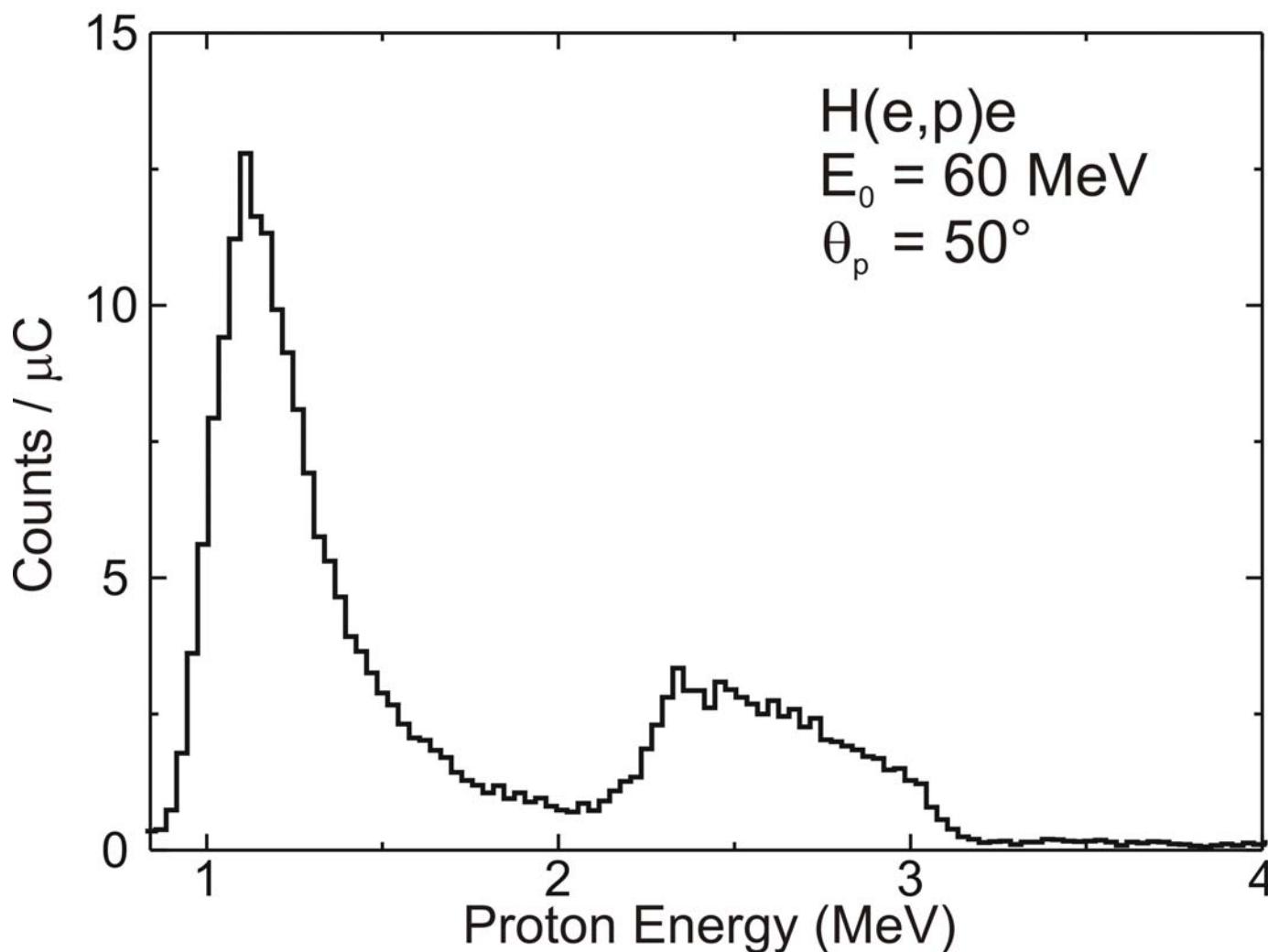
Experimental Setup



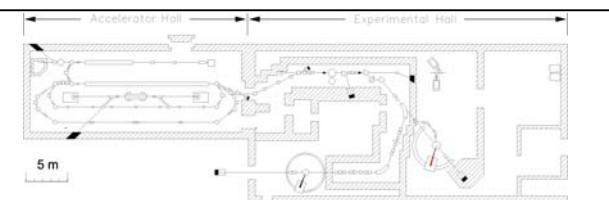
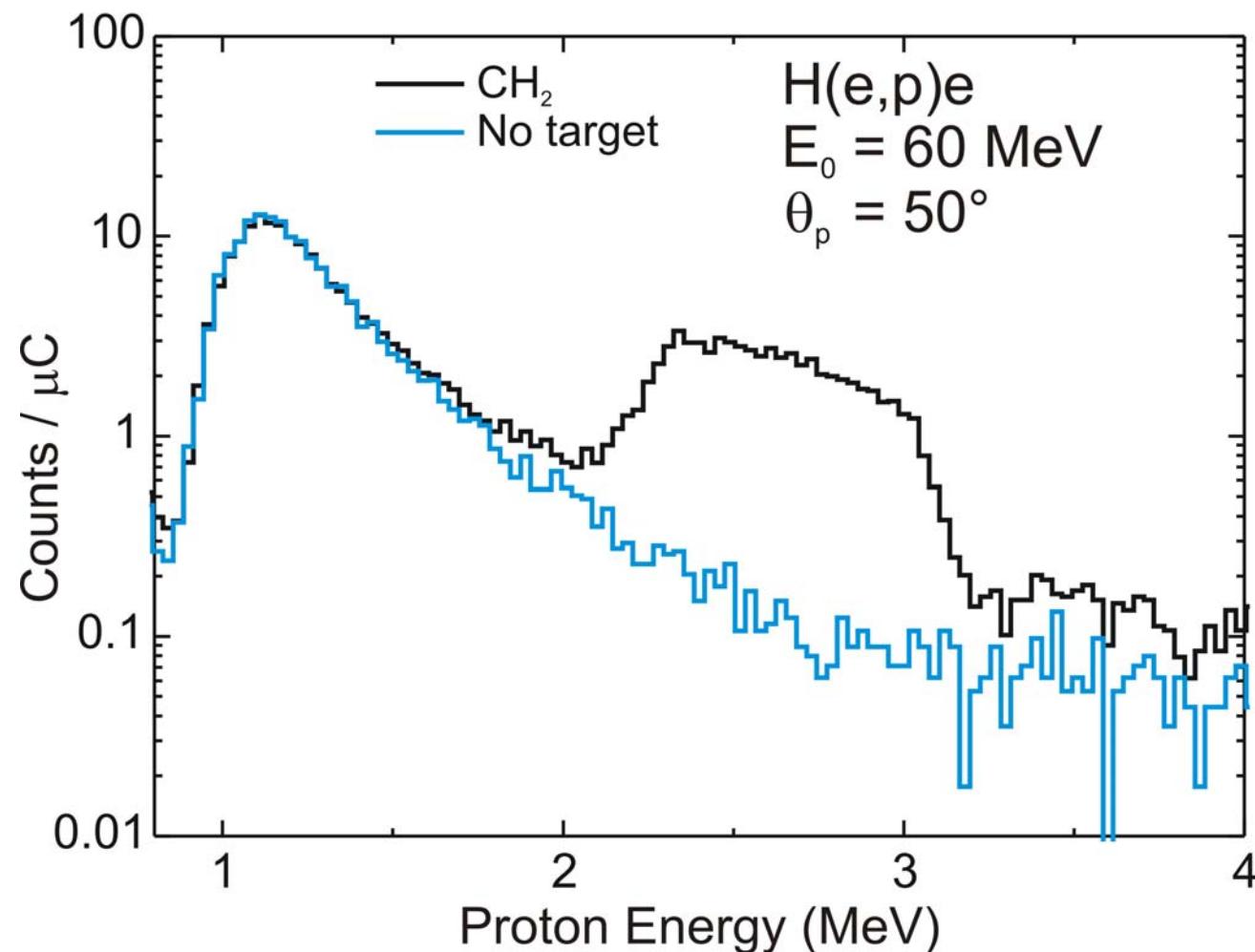
Experimental Setup



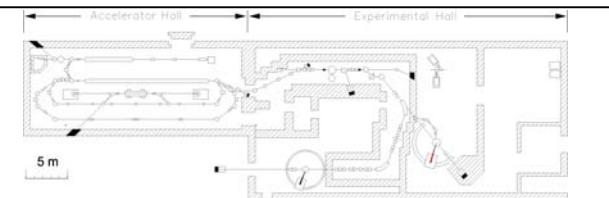
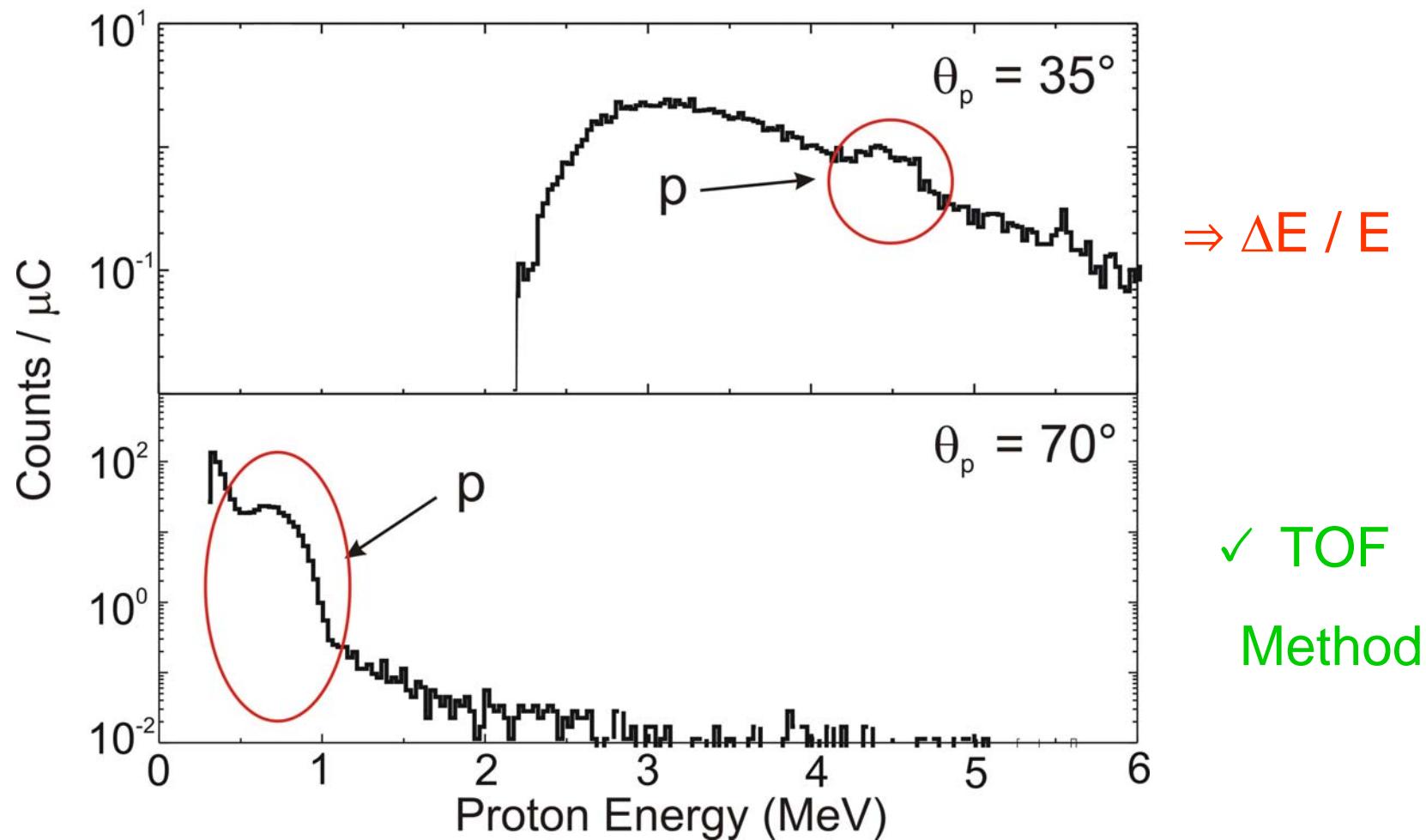
Measured Spectrum



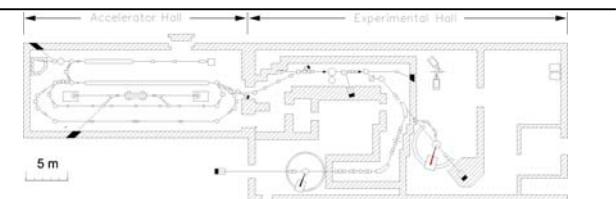
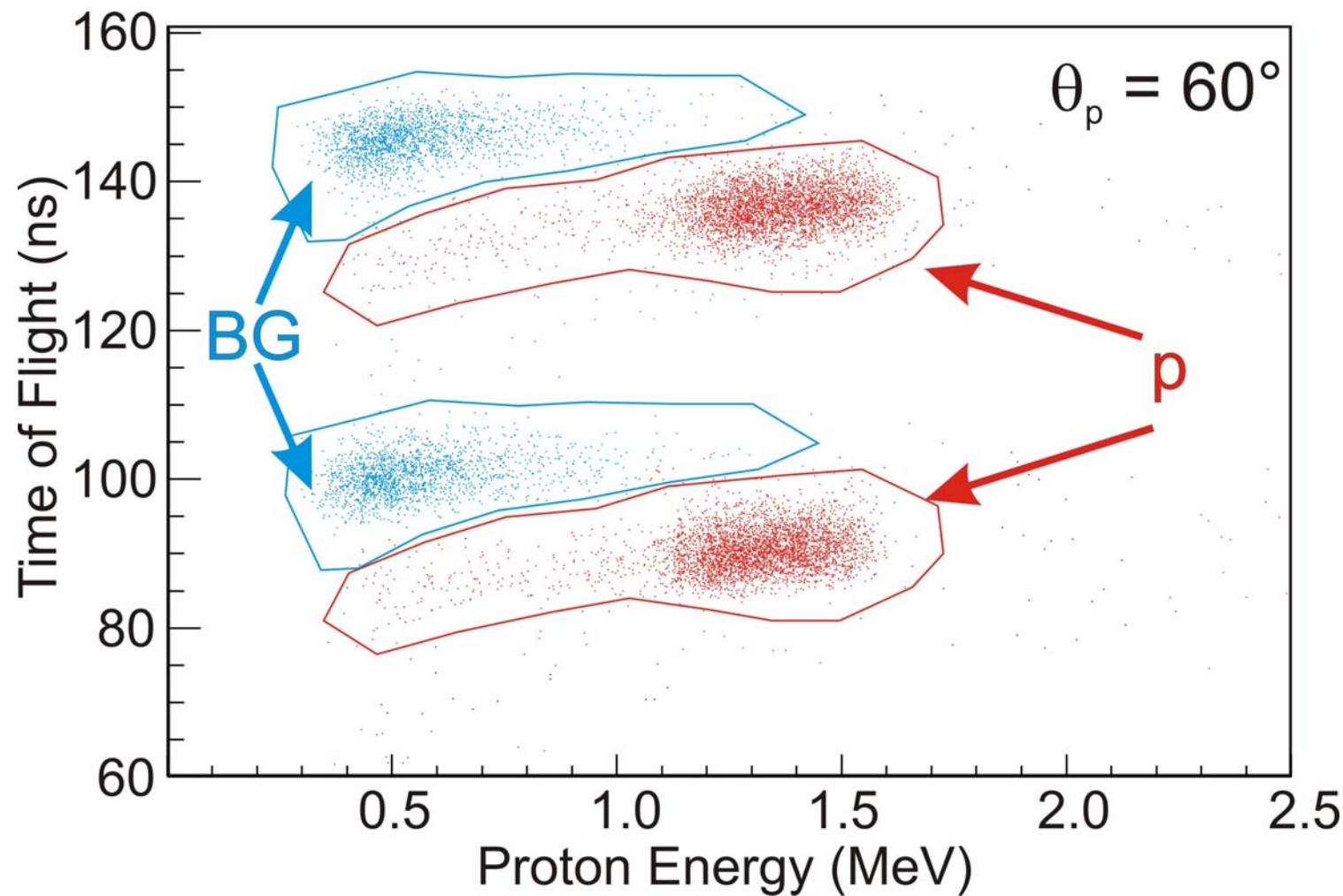
Background Contribution



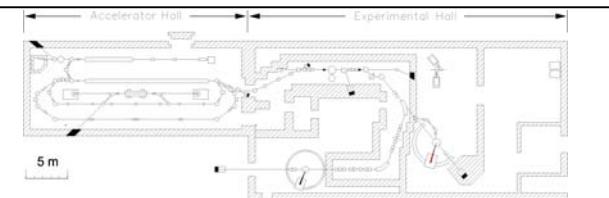
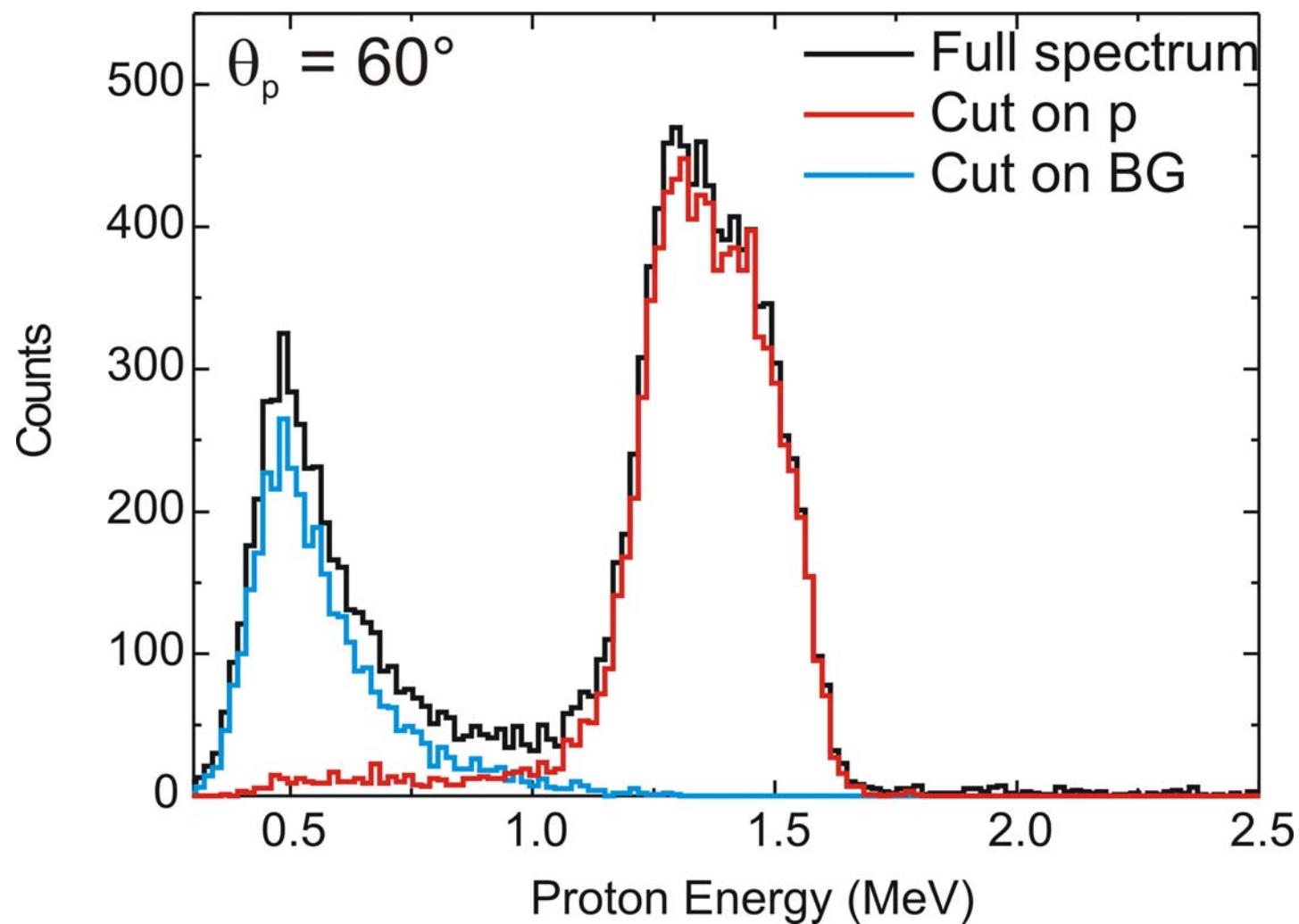
Background at Different Angles



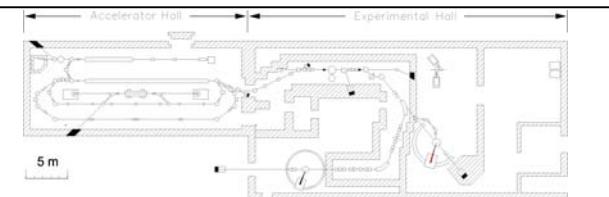
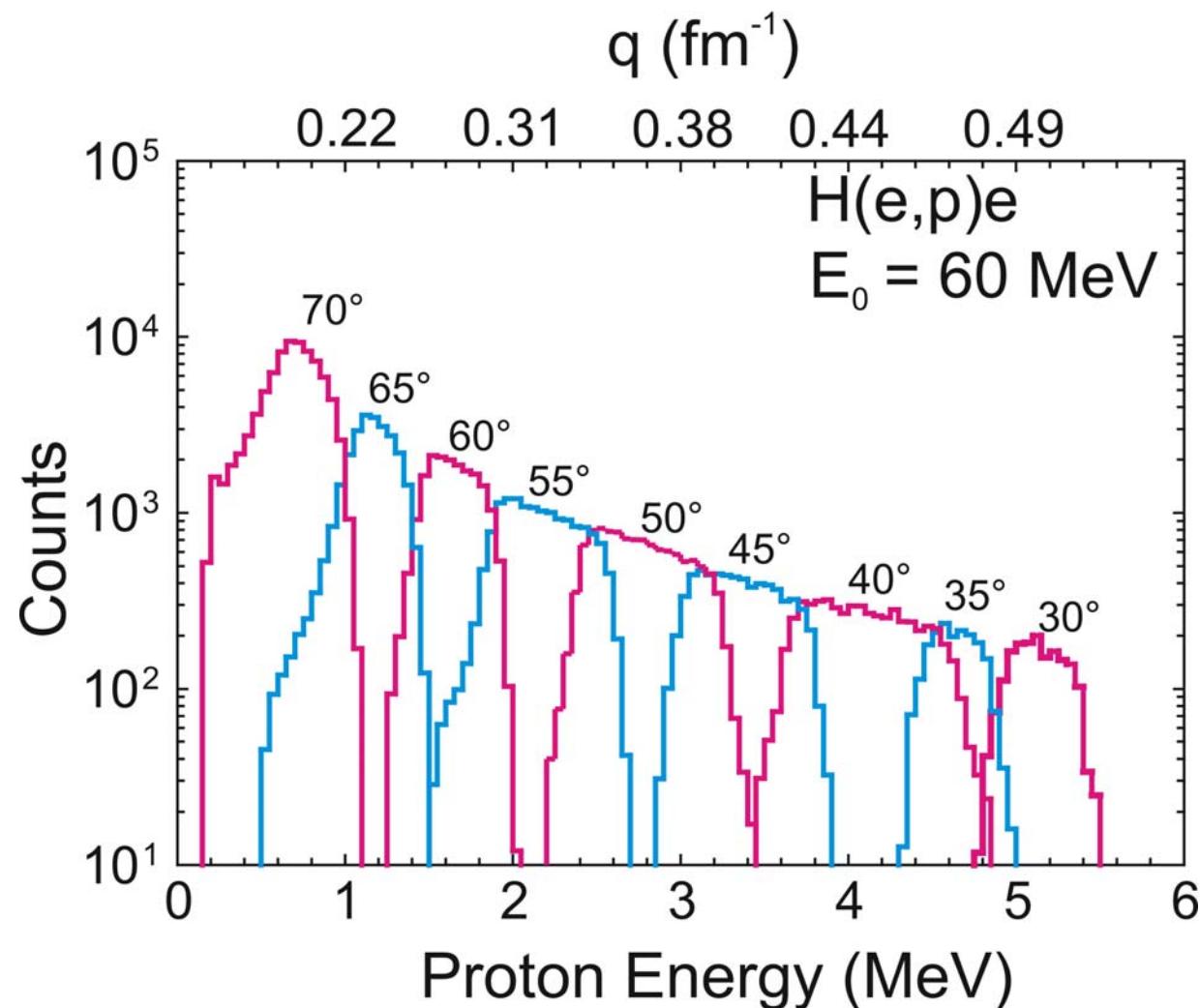
Background Subtraction by TOF Method



Projected Spectra

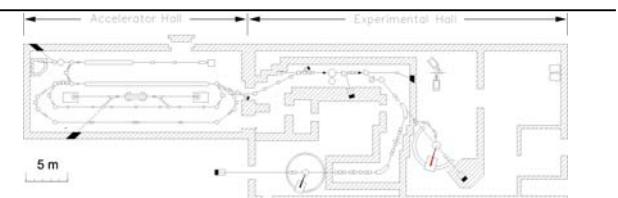


Measured Energy Spectra



Outlook

- **Final design**
 - setup with new detectors
- **New requirements**
 - adjustment of setup
 - backward angles → define q by angle definition
 - BG at forward angles → $\Delta E/E$ telescopes
- **Experiment**
 - first half 07
- **Different beam energies**
 - Rosenbluth separation → magnetic FF



Radius Extraction

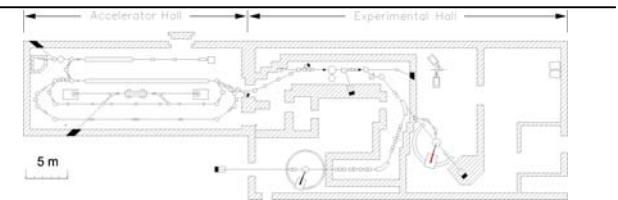
$$\frac{d\sigma}{d\Omega} = \left. \frac{d\sigma}{d\Omega} \right|_{Mott} \cdot F(q^2)$$

$$F(q^2) = \left\{ \left(\frac{G_E^2 + \cancel{\tau \cdot G_M^2}}{1 + \tau} \right) + \cancel{2\tau \cdot G_M^2 \tan^2(\theta/2)} \right\}$$

$$\tau = \frac{q^2}{4M^2} \quad q \rightarrow 0 \quad \tau = 0$$

$$\frac{d\sigma}{d\Omega} = \left. \frac{d\sigma}{d\Omega} \right|_{Mott} \cdot \left(1 - \frac{\langle r^2 \rangle q^2}{3!} + \frac{\langle r^4 \rangle q^4}{5!} - \dots \right)$$

$$\frac{\langle r^2 \rangle}{6} = - \left. \frac{dG_E^P(q^2)}{dq^2} \right|_{q \rightarrow 0}$$



Preliminary Results

