



Beta decay probing weak interaction properties

Parts 4 - 6

TU Darmstadt, Sept. 3-5, 2018

Nathal Severijns

KU Leuven University, Belgium



Outline- 1

1. Introduction / 2 lectures

- role of beta decay in weak interaction physics
- beta decay Hamiltonian
- beta decay angular distribution

2. ft-values / 3 lectures

- definition
- corrected ft-values
- test of CKM matrix unitarity
- role of mirror beta transitions and neutron decay

3. Correlation measurements / 5 lectures

- correlation formula
- physics content and opportunities
- testing parity violation
- searching for time reversal violation
- probing the structure of the weak interaction (scalar and tensor currents)

Outline - 2

4. Status of new physics searches / 1 lecture

- overview
- prospects and comparison to LHC
- weak magnetism

5. Beta spectrum shape / 1 lecture

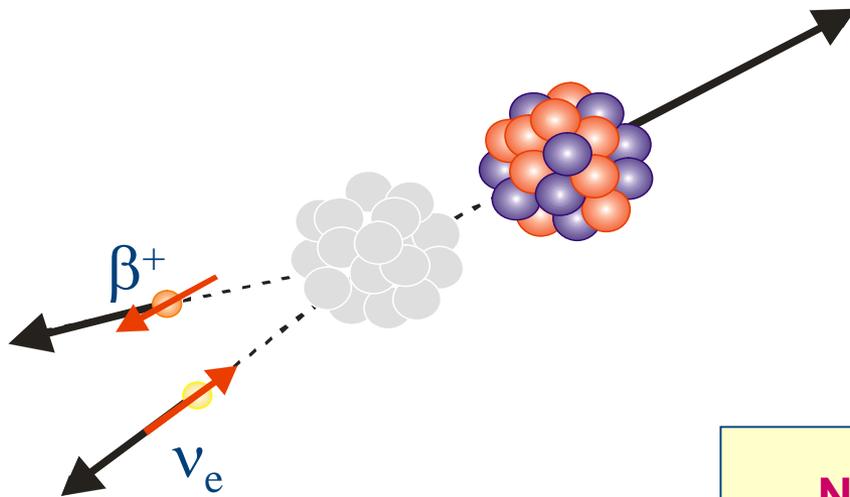
- description
- ongoing and planned experiments

6. Reactor neutrino anomaly / 1 lecture

- the problem (rate and bump)
- critical analysis
- searches for a fourth, sterile neutrino
- role of first-forbidden beta transitions

4. Status of new physics searches

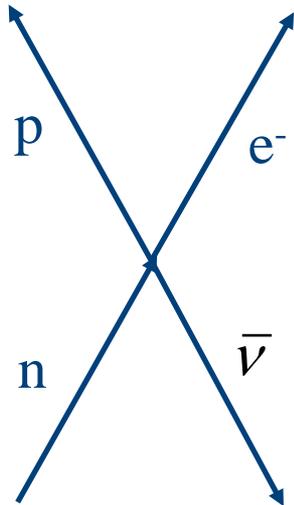
overview
comparison to LHC and prospects
weak magnetism



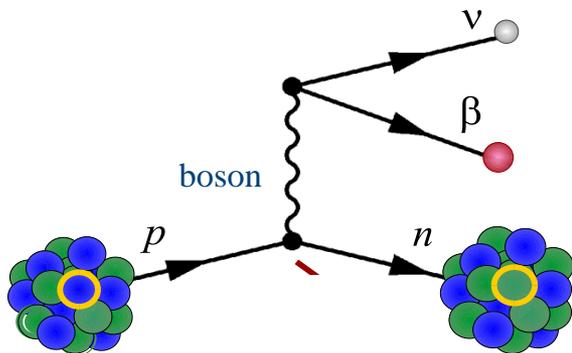
Nathal Severijns
KU Leuven Univ., Belgium

Structure of the weak interaction in β decay

β -decay Hamiltonian (Lee & Yang, 1956) :



$$\begin{aligned}
 H_{\beta}/g \propto & (\bar{p} \mathbf{1} n) [\bar{e} \mathbf{1} (C_S + C'_S \gamma_5) \nu] \\
 & + (\bar{p} \gamma_{\mu} n) [\bar{e} \gamma_{\mu} (C_V + C'_V \gamma_5) \nu] \\
 & + \frac{1}{2} (\bar{p} \sigma_{\mu\nu} n) [\bar{e} \sigma_{\mu\nu} (C_T + C'_T \gamma_5) \nu] \\
 & - (\bar{p} \gamma_{\mu} \gamma_5 n) [\bar{e} \gamma_{\mu} \gamma_5 (C_A + C'_A \gamma_5) \nu] \\
 & + \cancel{(\bar{p} \gamma_5 n) [\bar{e} \gamma_5 (C_P + C'_P \gamma_5) \nu]} \\
 & \quad \quad \quad \approx 0
 \end{aligned}$$



with γ_i ($i = 1, 2, 3, 4$) Dirac matrices ($\gamma_5 = \gamma_1 \gamma_2 \gamma_3 \gamma_4$)

and $\sigma_{\mu\nu} = -\frac{i}{2}(\gamma_{\mu} \gamma_{\nu} - \gamma_{\nu} \gamma_{\mu})$

P-violation if $C_i \neq 0$ and $C'_i \neq 0$

T-violation if $\text{Im}(C_i^{(0)} / C_j) \neq 0$

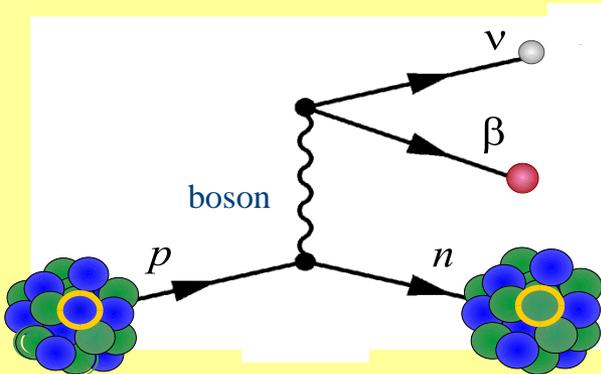
the Standard Model:

$C_i^{(')}$: coupling constants for the different types of weak interaction

- * V-A interaction $C_V \equiv 1; C_A = -1.27$ (C_A/C_V from n-decay)
- * maximal P violation $C_V' = C_V$ & $C_A' = C_A$
- * no S, T, or P components $C_S = C_S' = C_T = C_T' = C_P = C_P' \equiv 0$
- * no time reversal violation **all C's are real**
(except for the CP-violation included in the CKM matrix)

and Beyond:

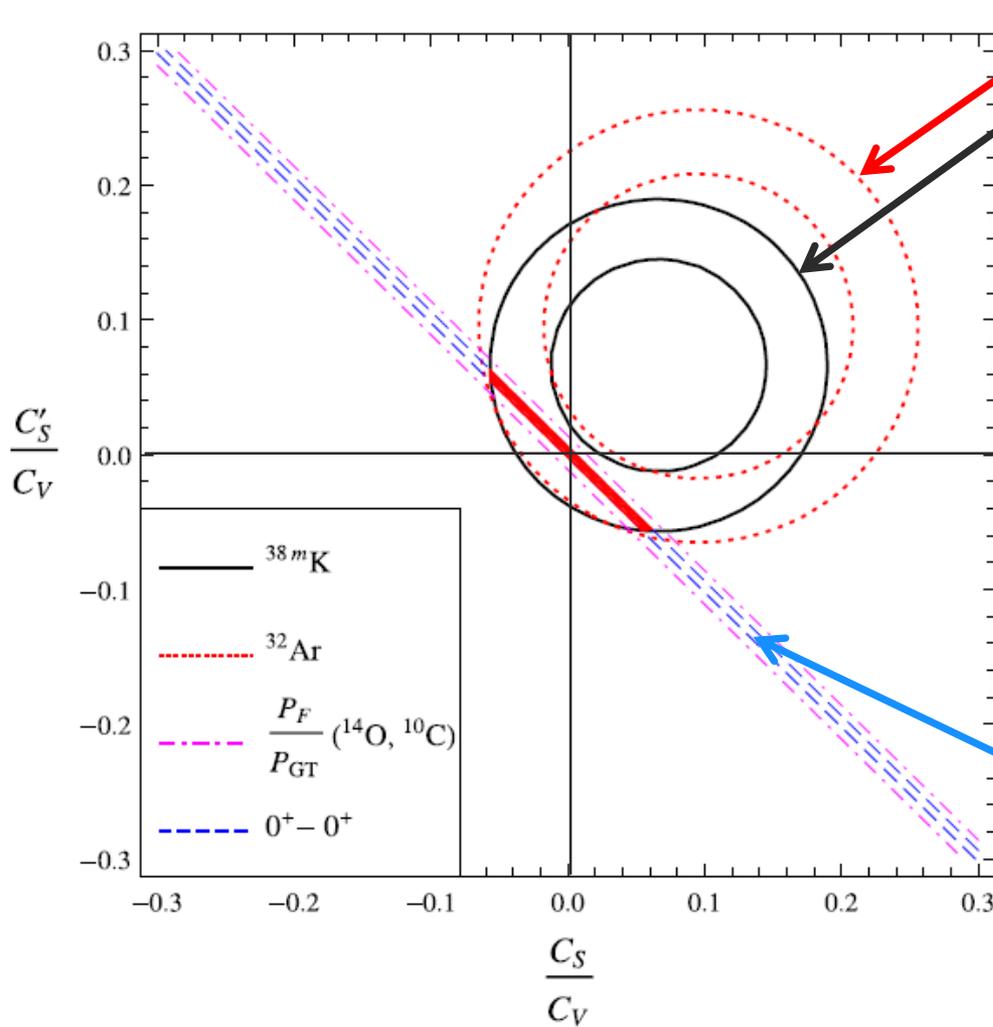
experimental upper limits for $|C_T^{(')}/C_A|$ and $|C_S^{(')}/C_V|$ at few % level
(neutron and nuclear β -decay)



5% level $\rightarrow \sim 350$ GeV
per mille level $\rightarrow \sim 2.5$ TeV

$$C_i \propto \frac{M_W^2}{M_{new}^2}$$

Limits on scalar currents



^{32}Ar : Adelberger et al., PRL 83 (1999) 1299

^{38m}K : Gorelov, Behr et al., PRL 94 (2005) 142501

$$\tilde{a} = \frac{a}{1 + b \frac{\gamma m_e}{E_e}}$$

$$a_F \cong 1 - \frac{|C_S|^2 + |C'_S|^2}{|C_V|^2}$$

with:

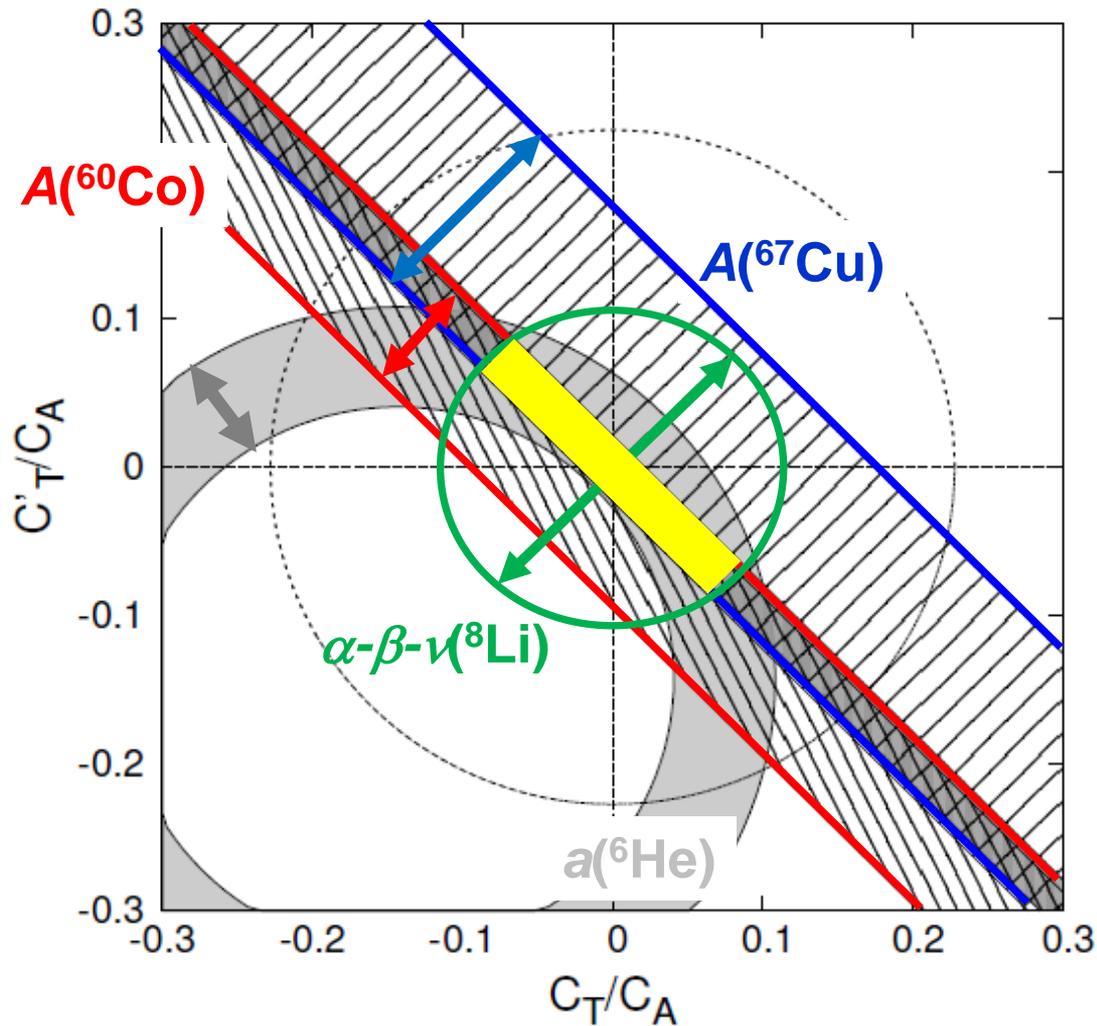
$$b_F = \frac{\gamma m_e}{\langle E_e \rangle} \left(\frac{C_S + C'_S}{C_V} \right)$$

$$\mathcal{F}_t^{0^+ \rightarrow 0^+} = \frac{K}{2G_F^2 V_{ud}^2 C_V^2 (1 + \Delta_R^V)} \frac{1}{(1 + b_F)}$$

Hardy & Towner, Phys. Rev. C 91 (2015) 025501

B. R. Holstein, J. Phys. G 41 (2014) 114001

Limits on tensor currents



$a(^6\text{He})$

C. Johnston et al.,
PR 132 (1963) 1149

$\alpha\text{-}\beta\text{-}\nu(^8\text{Li})$

M.G. Sternberg, G.Savard et al.,
PRL 115 (2015) 182501

$A(^{60}\text{Co})$

F. Wauters, N.S. et al.,
PR C 82 (2010) 055502

$A(^{67}\text{Cu})$

G. Soti, N.S. et al.,
PR C 90 (2014) 035502

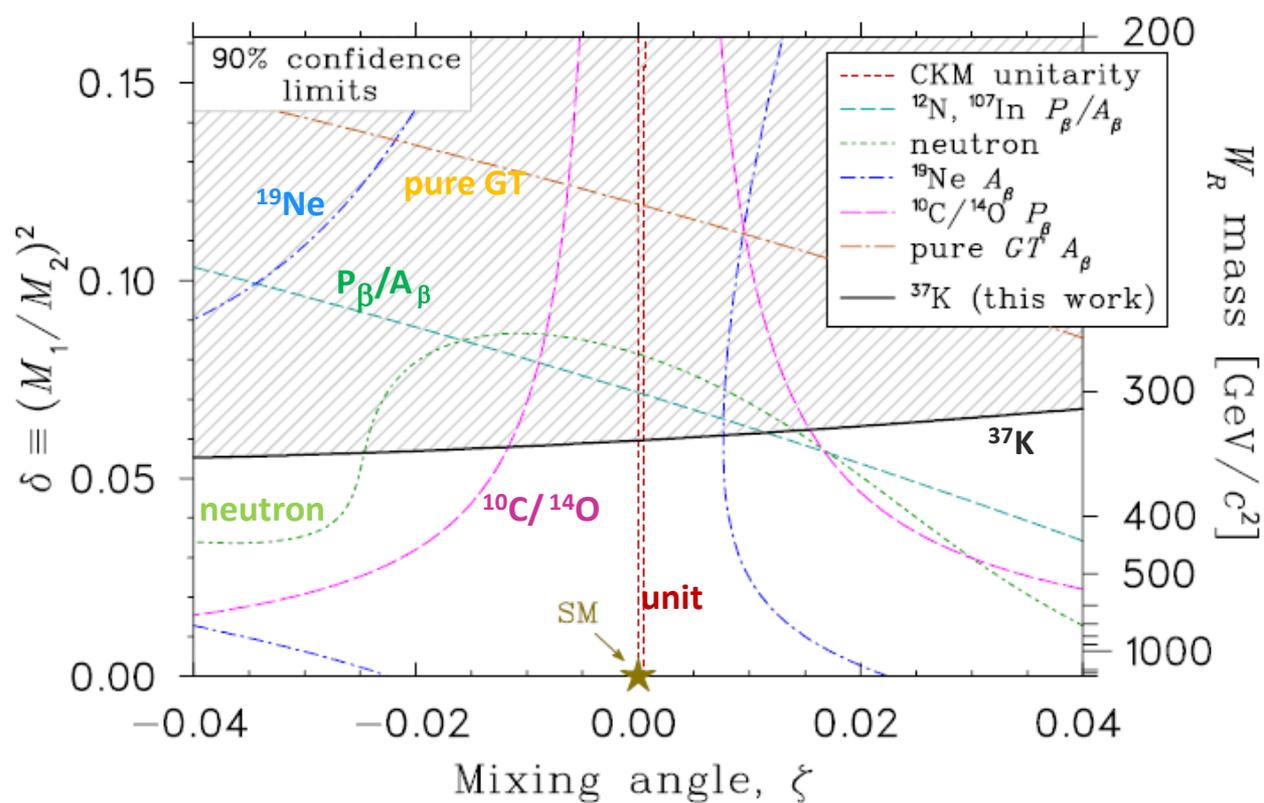


FIG. 5. (Color online) Constraints on manifest L-R symmetric models from nuclear and neutron [34] β decay. We show complementarity of our result with: CKM unitarity [16]; the ratio of β^+ polarization to A_β of ^{12}N and ^{107}In [2, 35]; A_β of mixed GT/F ^{19}Ne [14, 36–38]; the β^+ polarization of ^{10}C compared to ^{14}O [39]; and the weighted average of A_β of three recent GT cases [40–42]. All present results include SM, i.e. $\zeta = 0$ and $\delta = 0$, at 90%.

Status of new physics searches in beta decay

New full analysis of all experimental data available in neutron and nuclear β decay

M. Gonzalez-Alonso, O. Naviliat-Cuncic, NS, in Prog. Part. Nucl. Phys. (2018)
<https://doi.org/10.1016/j.pnpnp.2018.08.002> and arXiv:1803.08732

Data that were used in the fits (see arXiv:1803.08732 for details):

$\mathcal{F}t$ values from **superallowed Fermi decays**

Parent	$\mathcal{F}t$ (s)	$\langle m_e/E_e \rangle$
^{10}C	3078.0 ± 4.5	0.619
^{14}O	3071.4 ± 3.2	0.438
^{22}Mg	3077.9 ± 7.3	0.310
^{26m}Al	3072.9 ± 1.0	0.300
^{34}Cl	3070.7 ± 1.8	0.234
^{34}Ar	3065.6 ± 8.4	0.212
^{38m}K	3071.6 ± 2.0	0.213
^{38}Ca	3076.4 ± 7.2	0.195
^{42}Sc	3072.4 ± 2.3	0.201
^{46}V	3074.1 ± 2.0	0.183
^{50}Mn	3071.2 ± 2.1	0.169
^{54}Co	3069.8 ± 2.6	0.157
^{62}Ga	3071.5 ± 6.7	0.141
^{74}Rb	3076.0 ± 11.0	0.125

Experimental data from **neutron decay**

Parameter	Value	Rel. error
τ_n (s)	879.75(76)	0.09 %
a_n	-0.1034(37)	3.6 %
\tilde{a}_n	-0.1090(41)	3.8 %
\tilde{A}_n	-0.11869(99)	0.83 %
\tilde{B}_n	0.9805(30)	0.31 %
λ_{AB}	-1.2686(47)	0.37 %
D_n	-0.00012(20)	
R_n	0.004(13)	

Note: these are often weighted average values, including results from several experiments (see the reference above for more details).

Data that were used in the fits (see arXiv:1803.08732 for details):

Data from measurements in nuclear decays

Parent	J_i	J_f	Type	Parameter	Value	Rel. error
${}^6\text{He}$	0	1	GT/ β^-	a	$-0.3308(30)^{\text{a)}$	0.91 %
${}^{32}\text{Ar}$	0	0	F/ β^+	\tilde{a}	0.9989(65)	0.65 %
${}^{38m}\text{K}$	0	0	F/ β^+	\tilde{a}	0.9981(48)	0.48 %
${}^{60}\text{Co}$	5	4	GT/ β^-	\tilde{A}	$-1.014(20)$	2.0 %
${}^{67}\text{Cu}$	3/2	5/2	GT/ β^-	\tilde{A}	0.587(14)	2.4 %
${}^{114}\text{In}$	1	0	GT/ β^-	\tilde{A}	$-0.994(14)$	1.4 %
${}^{14}\text{O}/{}^{10}\text{C}$			F-GT/ β^+	P_F/P_{GT}	0.9996(37)	0.37 %
${}^{26}\text{Al}/{}^{30}\text{P}$			F-GT/ β^+	P_F/P_{GT}	1.0030 (40)	0.4 %
${}^8\text{Li}$	2	2	GT/ β^-	R	0.0009(22)	

Major results from the fits (see arXiv:1803.08732 for details)

type of fit	SM	general
χ^2/ν		
$ C_V $		
C_A/C_V		
C_S/C_V		
C_T/C_V		

with $|C_V| = |V_{ud}| (1+\Delta_R)^{1/2} G_F/\sqrt{2}$ and $\Delta_R = 0.02361(38)$

Major results from the fits (see arXiv:1803.08732 for details)

type of fit	only Ft^{0+0+}	
	SM	general
χ^2/ν	0.51	0.44
$ C_V $	0.98558(11)	0.98595(34)
C_A/C_V		
C_S/C_V		0.0014(12)
C_T/C_V		

with $|C_V| = |V_{ud}| (1+\Delta_R)^{1/2} G_F/\sqrt{2}$ and $\Delta_R = 0.02361(38)$

Major results from the fits (see arXiv:1803.08732 for details)

type of fit	only Ft ⁰⁺⁰⁺		Ft ⁰⁺⁰⁺ and neutron τ and A	
	SM	general	SM	general
χ^2/ν	0.51	0.44	0.61	0.46
$ C_V $	0.98558(11)	0.98595(34)	0.98559(11)	0.98595(34)
C_A/C_V			-1.27510(66)	-1.2728(17)
C_S/C_V		0.0014(12)		0.0014(12)
C_T/C_V				0.0020(22)

with $|C_V| = |V_{ud}| (1+\Delta_R)^{1/2} G_F/\sqrt{2}$ and $\Delta_R = 0.02361(38)$

Major results from the fits (see arXiv:1803.08732 for details)

type of fit	only Ft ⁰⁺⁰⁺		Ft ⁰⁺⁰⁺ and neutron τ and A		Ft ⁰⁺⁰⁺ and all neutron and nuclear β decay
	SM	general	SM	general	general
χ^2/ν	0.51	0.44	0.61	0.46	0.65
$ C_V $	0.98558(11)	0.98595(34)	0.98559(11)	0.98595(34)	reduction of statistical uncertainty by up to 10%
C_A/C_V			-1.27510(66)	-1.2728(17)	
C_S/C_V		0.0014(12)		0.0014(12)	
C_T/C_V				0.0020(22)	

Major results from the fits (see arXiv:1803.08732 for details)

type of fit	Ft^{0+0+} and neutron τ and A general	present uncertainty $\times 10^{-4}$	projected uncertainty $\times 10^{-4}$
χ^2/ν	0.44		
$ C_V $	0.98595(34)	3.4	2
C_A/C_V	-1.2728(17)	17	2
C_S/C_V	0.0014(12)	12	7
C_T/C_V	0.0020(22)	22	4

type of error and observable	present uncertainty	projected uncertainty
$\Delta\tau$	0.8 s	0.1 s
δa_n	3.6%	0.1%
$\delta \tilde{A}_n$	0.8%	0.1%
$\delta \tilde{a}_F$	0.5%	0.1%
δa_{GT}	0.9%	0.1%
Δb_{GT}	0.01	0.001

Major results from the fits (see arXiv:1803.08732 for details)

type of fit	Ft ⁰⁺⁰⁺ and neutron τ and A general	present uncertainty x 10 ⁻⁴	projected uncertainty x 10 ⁻⁴
χ^2/ν	0.44		
$ C_V $	0.98595(34)	3.4	2
C_A/C_V	-1.2728(17)	17	2
C_S/C_V	0.0014(12)	12	7
C_T/C_V	0.0020(22)	22	4

$$\text{using } C_i \approx \frac{M_W^2}{M_{new}^2}$$

Note: values below are very approximative !!

$$M_S > 2.15_{-0.60}^{+3.50} \text{ TeV}$$

$$M_S > 3.0 \text{ TeV}$$

$$M_T > 1.80_{-0.55}^{+\infty} \text{ TeV}$$

$$M_S > 4.0 \text{ TeV}$$

Precision meas^{ts} in nuclear/neutron β decay in the LHC era

if particles that mediate new interactions are above threshold for LHC
→ Effective Field Theory allowing
direct comparison of low-energy and collider constraints

low-scale O(1 GeV) effective Lagrangian for semi-leptonic transitions
(contributions from W-exchange diagrams and four-fermion operators)

link betw. EFT couplings ε_i and Lee-Yang nucleon-level effect. couplings C_i :

$$C_i = \frac{G_F(0)}{\sqrt{2}} V_{ud} \bar{C}_i \quad \text{with} \quad \bar{C}_S = g_S (\varepsilon_S + \tilde{\varepsilon}_S), \quad \bar{C}_T = 4g_T (\varepsilon_T + \tilde{\varepsilon}_T), \dots$$

$$\varepsilon_i, \tilde{\varepsilon}_i \approx v^2 / \Lambda_{BSM}^2 \quad \text{with} \quad v = (2\sqrt{2} G_F^{(0)})^{-1/2} \approx 170 \text{ GeV}$$
$$\text{if } \Lambda_{BSM} \sim 5 \text{ TeV} \rightarrow \varepsilon_i \sim 10^{-3}$$

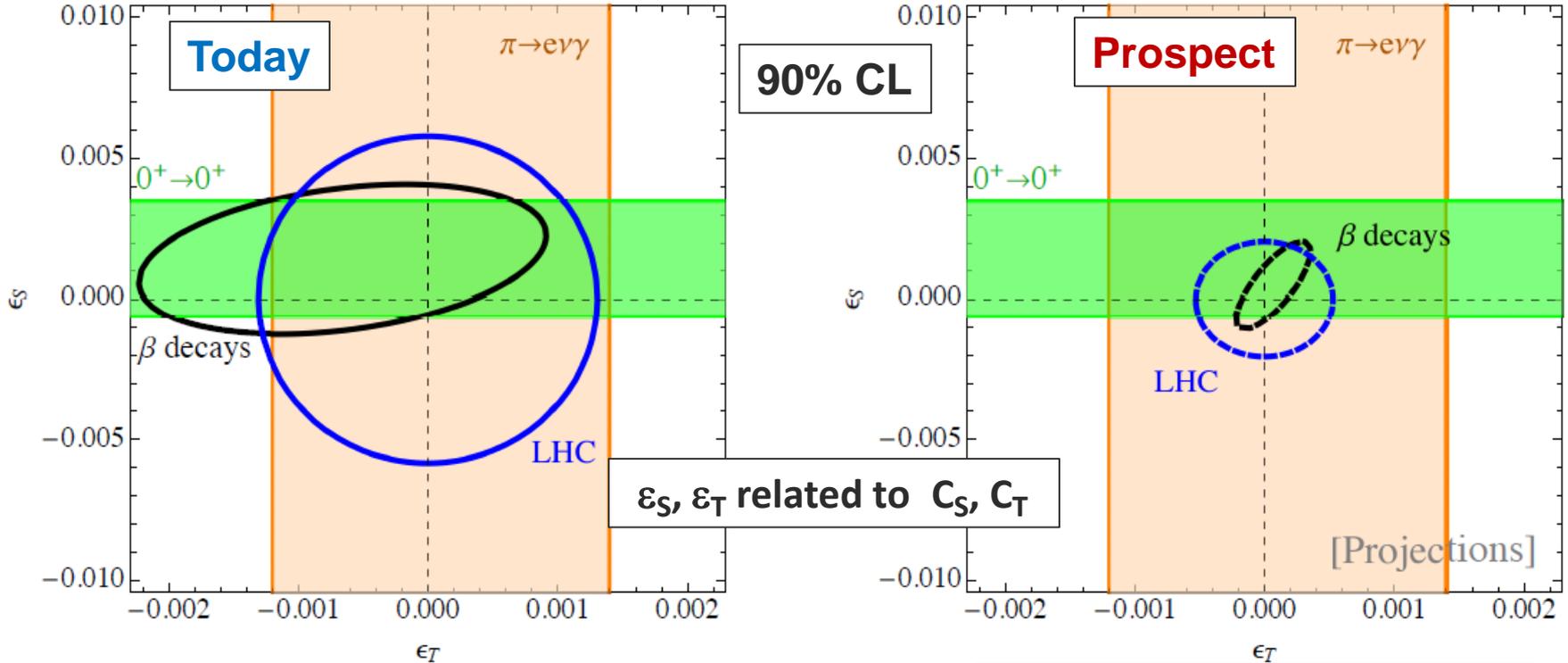
T. Bhattacharya et al., Phys. Rev. D 85 (2012) 054512

V. Cirigliano, et al., J. High. Energ. Phys. 1302 (2013) 046

O. Naviliat-Cuncic and M. Gonzalez-Alonso, Annalen der Physik 525 (2013) 600

V. Cirigliano, et al., Progr. Part. Nucl. Phys. 71 (2013) 93

Measurements in nuclear/neutron β decay in the LHC era



- current status of beta decays;
- LHC $pp \rightarrow e + \text{MET} + X$ at 8 TeV, 20 fb^{-1} .

Prospects for:

- 0.1 s on neutron lifetime
- 0.1 % for A_n, a_n, a_F and a_{GT}
- abs.unc. of 0.001 on b_{GT}
- LHC: 14 TeV, 300 fb^{-1} .

see also:

V. Cirigliano et al., J. High. Energ. Phys. 1302 (2013) 046

O. Naviliat-Cuncic and M. Gonzalez-Alonso, Annalen der Physik 525 (2013) 600

Table 3: Selected ongoing and planned experiments discussed in Section 3. See main text for details. The approximate relative precision goals are given together with their reference. If the SM value is zero, the absolute precision goal is then given. When precision goals are given as a percentage, relative uncertainties are meant. The symbol \mathcal{O} refers to the estimated order of magnitude for a precision goal. The precisions given for a are obtained setting the Fierz term b to zero (see Section 4.2 and Ref. [95]).

Coefficient	Precision goal	Experiment (Laboratory)	Comments
τ_n	1.0 s; 0.1 s [210]	BL2, BL3 (NIST) [210]	In preparation; two phases
	1.0 s; 0.3 s [214]	LiNA (J-PARC) [211, 214]	In preparation; two phases
	0.2 s [215]	Gravitrapp (ILL) [203, 215]	Apparatus being upgraded
	0.3 s [201]	Ezhov (ILL) [201]	Under construction
	0.1 s [222]	PENeLOPE (Munich) [222]	Being developed
	$\lesssim 0.1$ s [223]	UCN τ (LANL) [188, 189, 223, 224]	Ongoing
	0.5 s [225]	HOPE (ILL) [188, 225, 226]	Proof of principle Ref. [226]
	1.0 s; 0.2 s [188]	τ SPECT (Mainz) [188, 227]	Taking data; two phases
β -spectrum	$\mathcal{O}(0.01)$ [256]	Supercond. spectr. (Madison) [256]	Shape factor Eq. (51). Ongoing
β -spectrum	$\mathcal{O}(0.01)$ [253]	Si-det. spectr. (Saclay) [253, 254]	Shape factor Eq. (51). Ongoing
b_{GT}	0.001	Calorimetry (NSCL) [115, 260]	Analysis ongoing (${}^6\text{He}$, ${}^{20}\text{F}$)
	$\mathcal{O}(0.001)$ [270]	miniBETA (Krakow-Leuven) [263–265, 270]	Being commissioned
	$\mathcal{O}(0.001)$ [276]	UCNA-Nab-Leuven (LANL) [271, 272, 276]	Analysis ongoing (${}^{45}\text{Ca}$)
b_n	< 0.05 [293, 294]	UCNA (LANL) [390]	Ongoing with A_n data
	0.03 [295]	PERKEO III (ILL) [295]	Possible with A_n data
	0.003 [289]	Nab (LANL) [188, 289, 357, 358]	In preparation
	0.001 [291]	PERC (Munich) [291, 292]	Planned

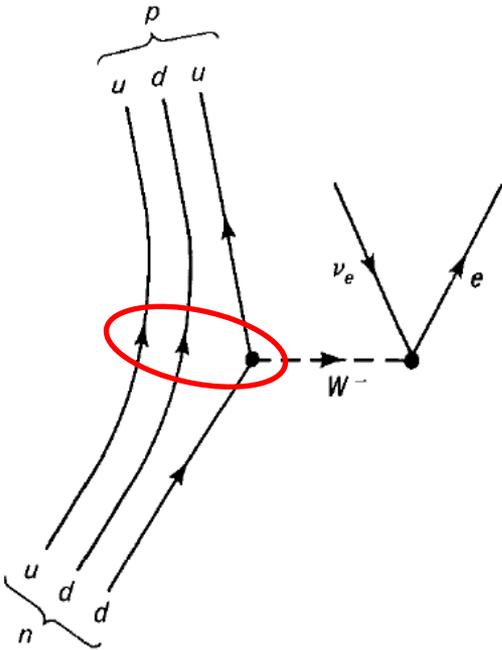
M. Gonzalez-Alonso, O. Naviliat-Cuncic, N.S., in Prog. Part. Nucl. Phys. (2018)
<https://doi.org/10.1016/j.pnpnp.2018.08.002> and arXiv:1803.08732

Table 3, continued

a_F	0.1% [306]	TRINAT (TRIUMF) [306, 310]	Planned (^{38}K)
	0.1% [343]	TAMUTRAP (TA&M) [343]	Superalloyed βp emitters
	0.1% [79]	WISArD (ISOLDE) [79, 177]	In preparation (^{32}Ar βp decay)
a	not stated	Ne-MOT (SARAF) [311, 312]	In preparation (^{18}Ne , ^{19}Ne , ^{23}Ne)
a_{GT}	$\mathcal{O}(0.1)\%$ [315]	^6He -MOT (Seattle) [313, 315]	Ongoing (^6He)
	not stated	EIBT (Weizmann Inst.) [316–318]	In preparation (^6He)
	0.5% [182]	LPCTrap (GANIL) [182, 321, 323, 324]	Analysis ongoing (^6He , ^{35}Ar)
a_{mirror}	0.5% [273]	NSL-Trap (Notre Dame) [273, 344, 345]	Planned (^{11}C , ^{13}N , ^{15}O , ^{17}F)
\tilde{a}_n	1.0% [350]	a CORN (NIST) [350, 352–354]	Data taking ongoing
a_n	1.0 – 1.5% [351]	a SPECT (ILL) [228, 229, 351]	Analysis being finalized
	0.15% [188, 358]	Nab (LANL) [188, 289, 357, 358]	In preparation
\tilde{A}_n	0.14% [391]	UCNA (LANL) [390]	Data taking planned
	0.18% [295]	PERKEO III (ILL) [295]	Analysis ongoing
\tilde{A}_{mirror}	$\mathcal{O}(0.1)\%$ [78]	TRINAT (TRIUMF) [78]	Planned
\tilde{B}_n	0.01% [397]	UCNB (LANL) [397]	Planned
$\tilde{A}_n(a_n, \tilde{B}_n, \dots)$	0.05% [291]	PERC (Munich) [291, 292]	In preparation
$\tilde{A}_n(a_n, \tilde{B}_n, \dots)$	$< \mathcal{O}(0.1)\%$ [399]	BRAND (ILL/ESS) [399, 400]	Proposed
D	$\mathcal{O}(10^{-4})$ [418]	MORA (GANIL / JYFL) [418]	In preparation (^{23}Mg)
R	$\mathcal{O}(10^{-3})$ [427]	MTV (TRIUMF) [427–429]	Data taking ongoing (^8Li)
D, R	$\mathcal{O}(0.1)\%$ [399]	BRAND (ILL) [399, 400]	Proposal

M. Gonzalez-Alonso, O. Naviliat-Cuncic, N.S., in Prog. Part. Nucl. Phys. (2018)
<https://doi.org/10.1016/j.pnpnp.2018.08.002> and arXiv:1803.08732

Taking into account effects of strong interaction



quark involved in β decay is not free
but **bound in a nucleon**

→ extra **terms induced** by the **strong interaction**,
in addition to those related to **F** and **GT** matrix elements;
largest is **‘weak magnetism’** term

$$J_{\mu}^{\text{HS}} = i \langle \bar{u}_p | g_V \gamma_{\mu} - \frac{g_M}{2M} \sigma_{\mu\nu} q^{\nu} + i \frac{g_S}{2M} q_{\mu} + g_A \gamma_5 \gamma_{\mu} - \frac{g_{II}}{2M} \sigma_{\mu\nu} \gamma_5 q^{\nu} + i \frac{g_P}{2M} \gamma_5 q_{\mu} | u_n \rangle, \quad (83)$$

where¹² $\sigma_{\mu\nu} = -(i/2)[\gamma_{\mu}, \gamma_{\nu}]$ and all C and g are functions of q^2 .

‘weak magnetism’ term:

- **modifies** values for **correlation coefficients** at level of **per mille to 1%**
- important for correlation measurements at sub-percent level

weak magnetism term b_{WM} (Impulse Approximation)

$$b_{WM} \cong A (g_M M_{GT} + g_V M_L)$$

Matrix element	Operator form
M_{GT}	$\langle \beta \sum \tau_i^\pm \vec{\sigma}_i \alpha \rangle$
M_L	$\langle \beta \sum \tau_i^\pm \vec{l}_i \alpha \rangle$

$$\frac{b_{WM}}{Ac} \cong \left[\frac{g_M}{g_A} + \frac{g_V}{g_A} \frac{M_L}{M_{GT}} \right]$$

$$c \cong g_A M_{GT}$$

A: mass of nucleus

g_M : weak magn. coupl. const. = 4.706 (= $\mu_p - \mu_n$)

g_V : vector coupl. const. = 1

g_A : axial-vector coupl. const. = 1.00 (quenched)

(Impulse approximation neglects interactions with neighboring nucleons)

weak magnetism for $T = 1/2$ $J^\pi \rightarrow J^\pi$ mirror β transitions

e.g. ${}^{19}_{10}\text{Ne}_9 \rightarrow {}^{19}_9\text{F}_{10} e^+ \bar{\nu}_e$

$$b_{WM}(\beta^\mp) = A \sqrt{\frac{J}{J+1}} M_F^0 \mu^\mp$$

$$\mu^\mp = \mp(\mu_M - \mu_D)$$

(based on CVC)

e.g. F.P. Calaprice and B.R. Holstein
Nucl. Phys. A 273 (1976) 301

observables usually expressed in terms of $\frac{b}{Ac}$

$c = g_A M_{GT}$ from Ft -value :

$$\mathcal{F}t^{mirror} \equiv f_V t (1 + \delta'_R) (1 + \delta_{NS}^V - \delta_C^V) = \frac{2\mathcal{F}t^{0^+ \rightarrow 0^+}}{\left(1 + \frac{f_A}{f_V} \rho^2\right)}$$

$$\rho \cong g_A M_{GT}^0 = c$$

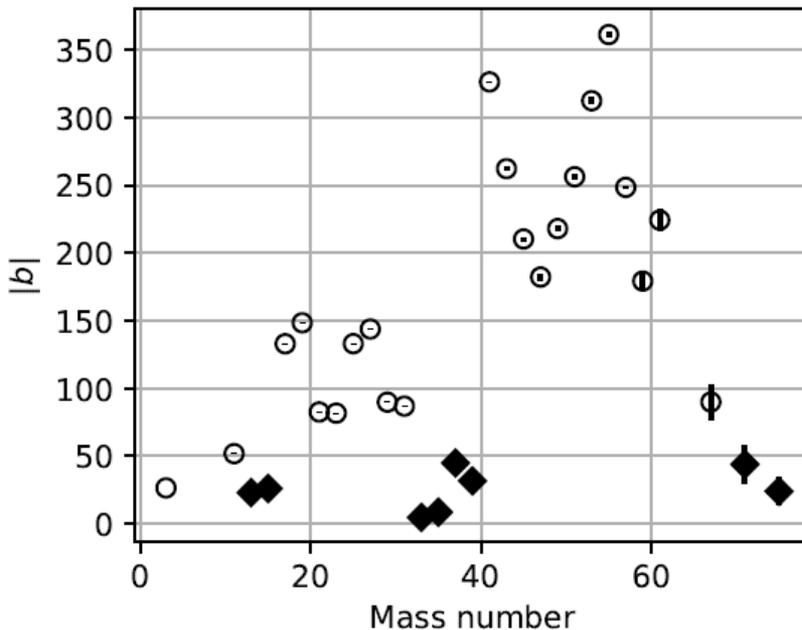
N. Severijns, I.S. Towner et al.,
Phys. Rev. C 78 (2008) 055501

weak magnetism term b_{WM} - T=1/2 mirror transitions

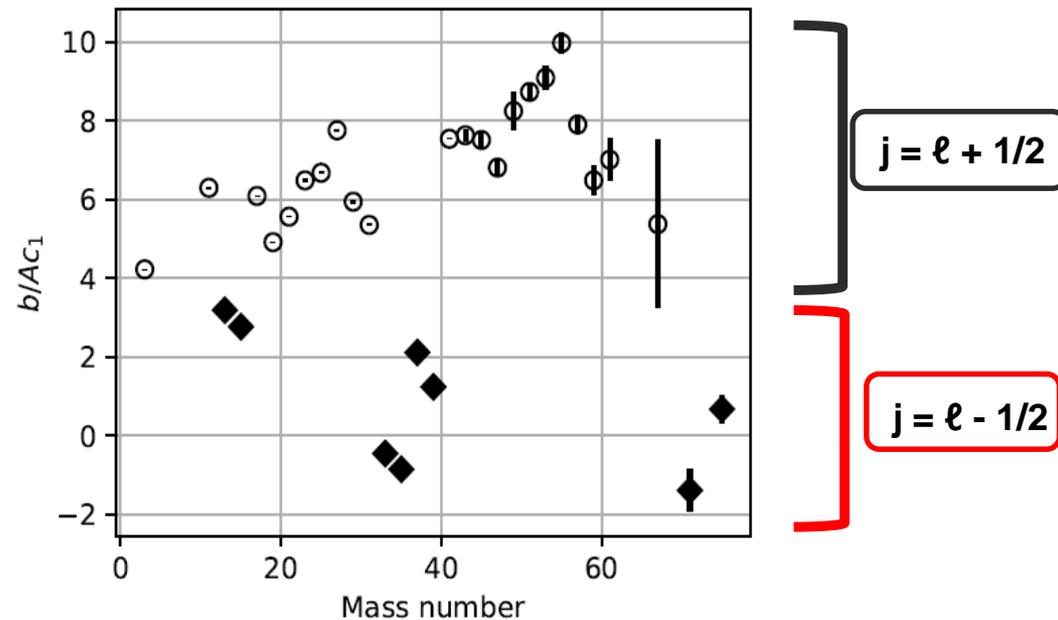
mirror β transitions - results

- updated Ft-values ($A < 75$; rel. prec. $< 0.2\%$ up to $A < 41$)
- extracted weak magnetism form factor

Weak magnetism form factor evolution



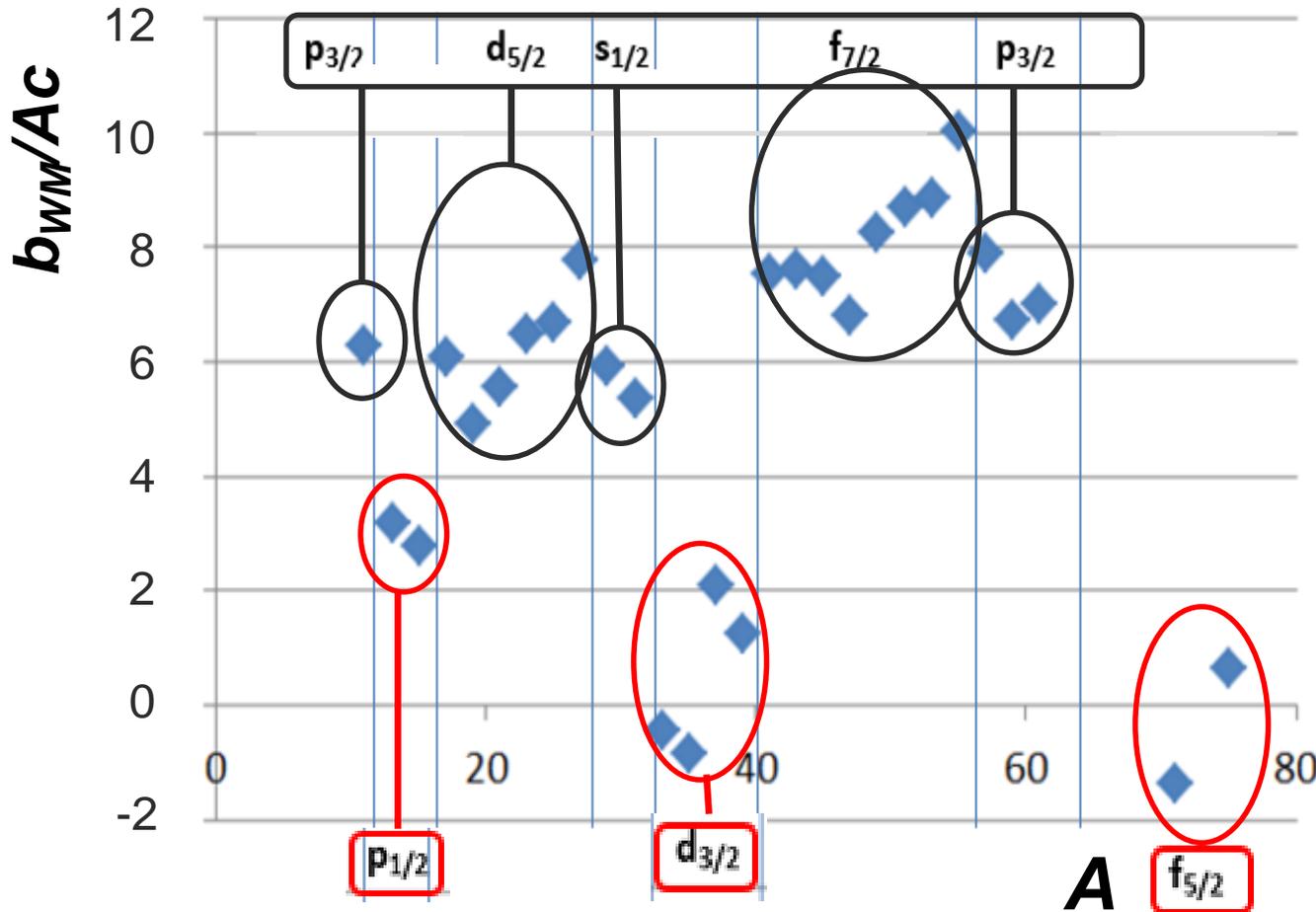
b/Ac_1 form factor evolution



N. Severijns, L. Hayen, I.S. Towner, et al., to be published

mirror β transitions - results

$$b_{WM} \approx \mu_{mother} - \mu_{daughter}$$



the value of b_{WM}/AC depends on the shell-model orbital of the odd-particle,

and is large for shells with $j = \ell + 1/2$:

$$j = \ell + 1/2$$

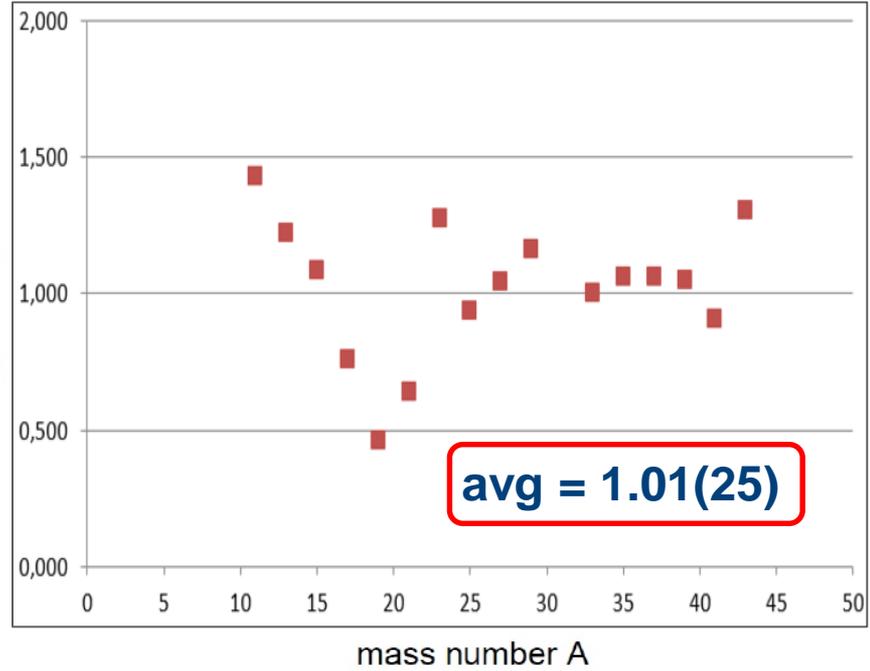
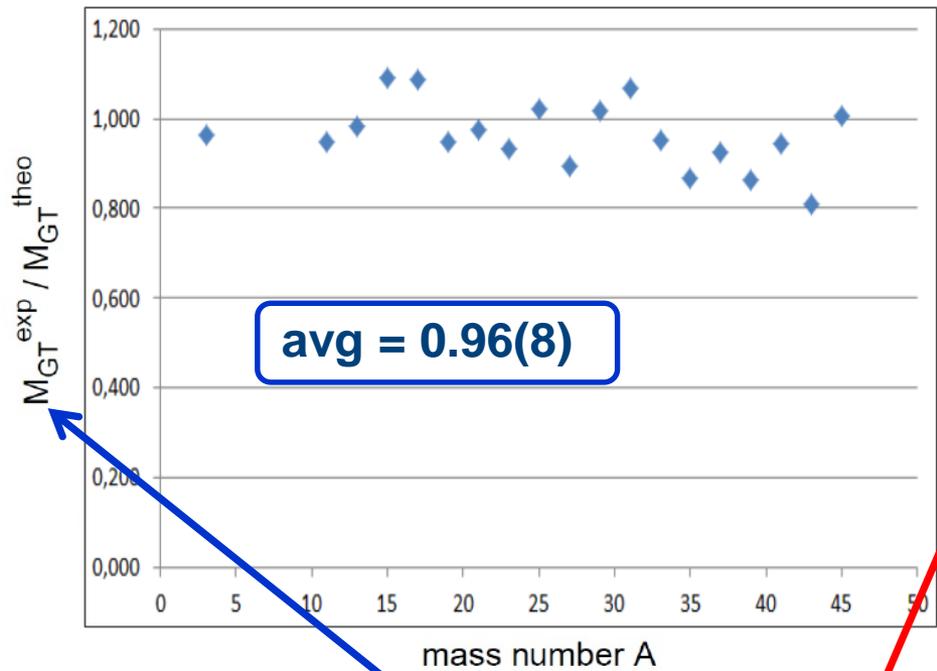
and small for shells with $j = \ell - 1/2$:

$$j = \ell - 1/2$$

(this is related to the Schmidt values)

KU LEUVEN

mirror β transitions – comparison with theory



$$c \cong g_A M_{GT}$$

(impulse approx.)

$$\frac{b_{WM}}{Ac} \cong \left[\frac{g_M}{g_A} + \frac{g_V M_L}{g_A M_{GT}} \right]$$

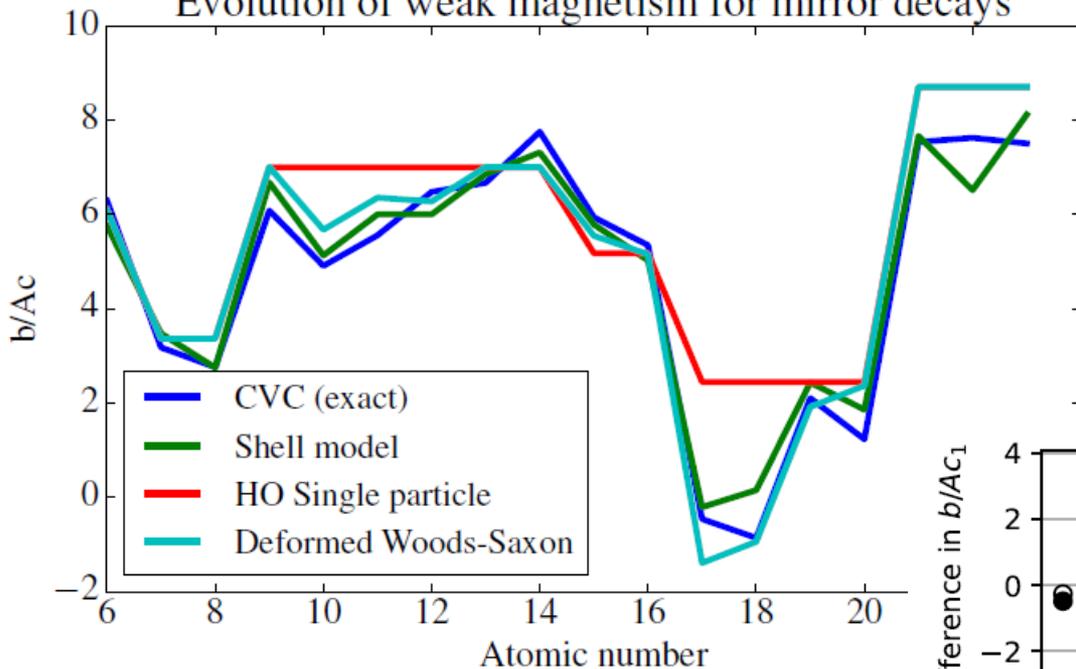
$(b/Ac)^{exp} / (b/Ac)^{theo}$	
mirror ($A = 3-45$)	0.97(11)
triplet ($A = 6-30$)	1.01(15)

B. R. Holstein, RMP 46 (1974) 789
 F.P. Calaprice et al., PR C 15 (1977) 2178

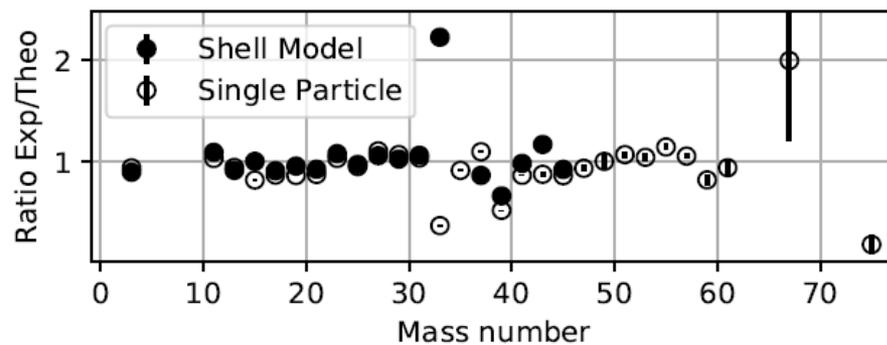
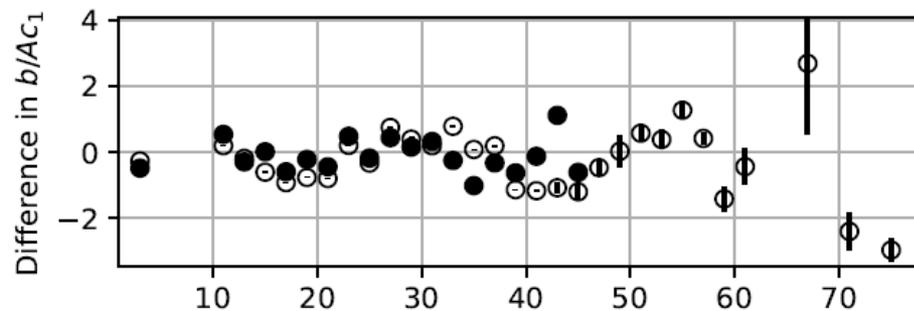
N. S., I.S. Towner, L. Hayen et al.,
 to be published

mirror β transitions – comparison with theory

Evolution of weak magnetism for mirror decays



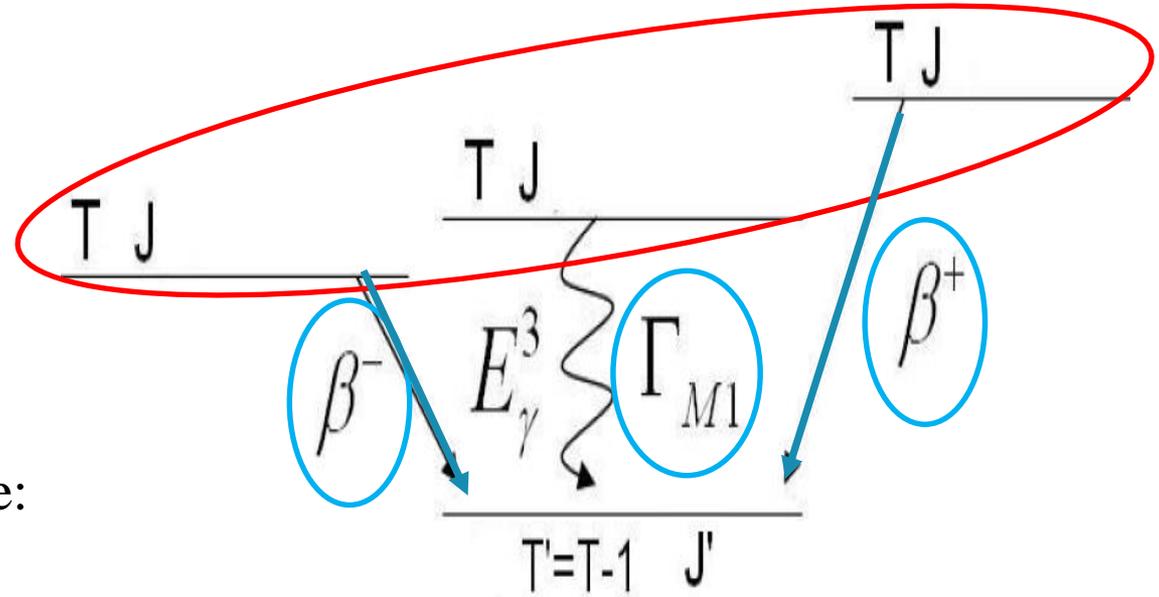
for mirror decays
up to mass 45



N. S., L. Hayen, I.S. Towner et al.,
to be published

weak magnetism b_{WM} - triplet states

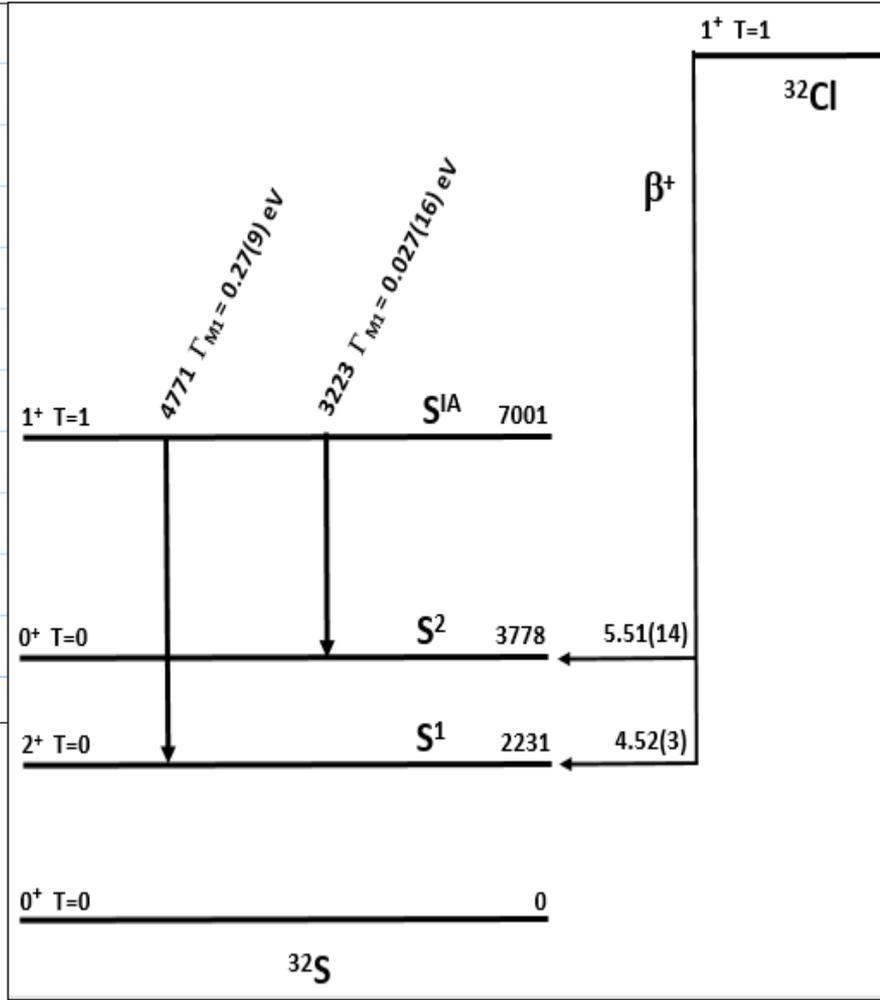
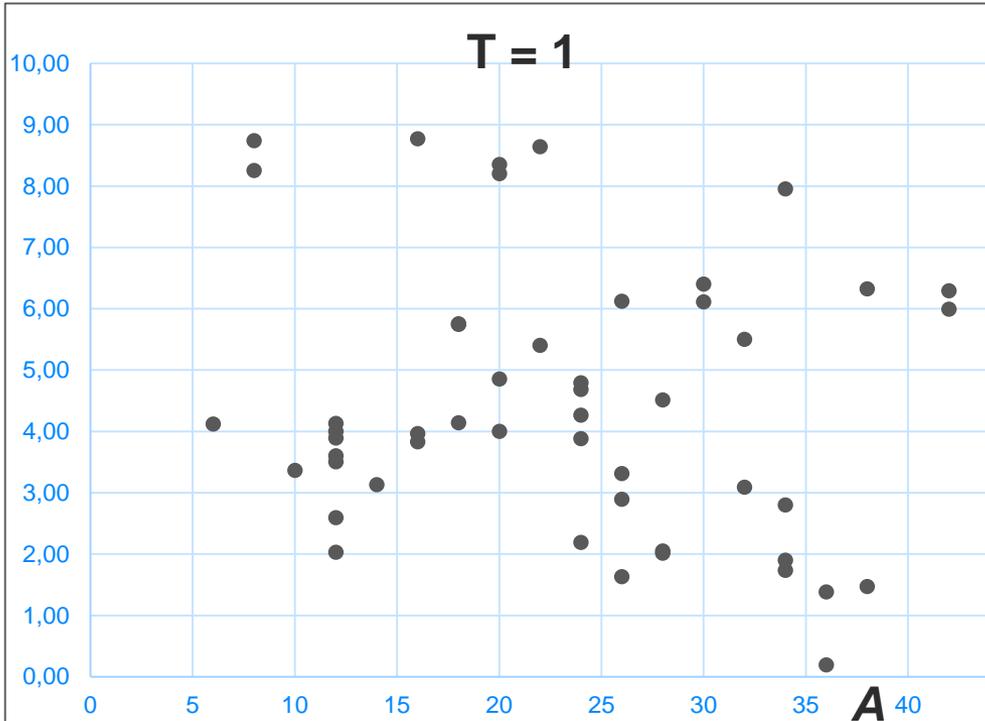
$$b_{WM}^2 = 6 \frac{\Gamma_{M1} M^2}{E_\gamma^3 \alpha}$$



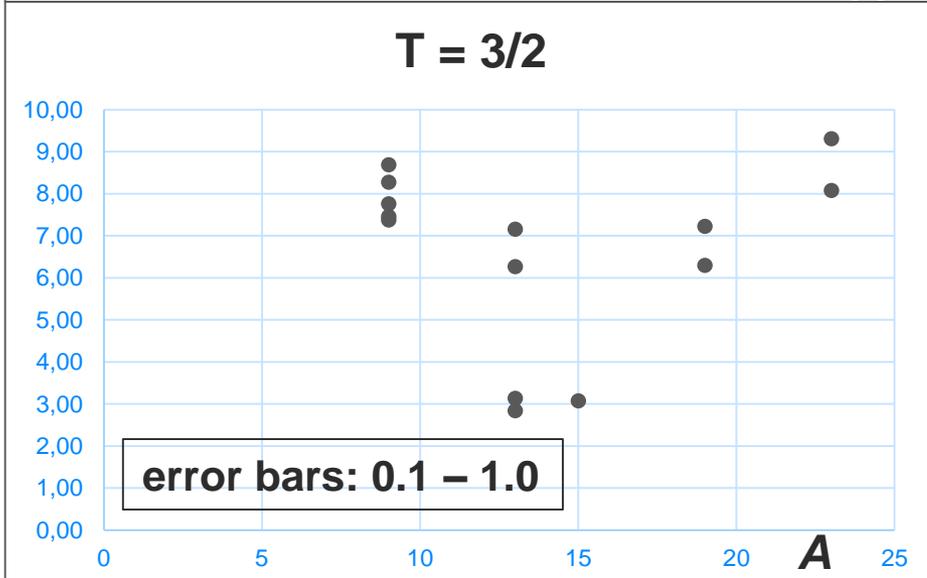
$c = g_A M_{GT}$ from ft -value:

$$ft = \frac{K}{G_F^2 V_{ud}^2} \frac{1}{[M_F^2 C_V^2 + M_{GT}^2 C_A^2]}$$

b/AC

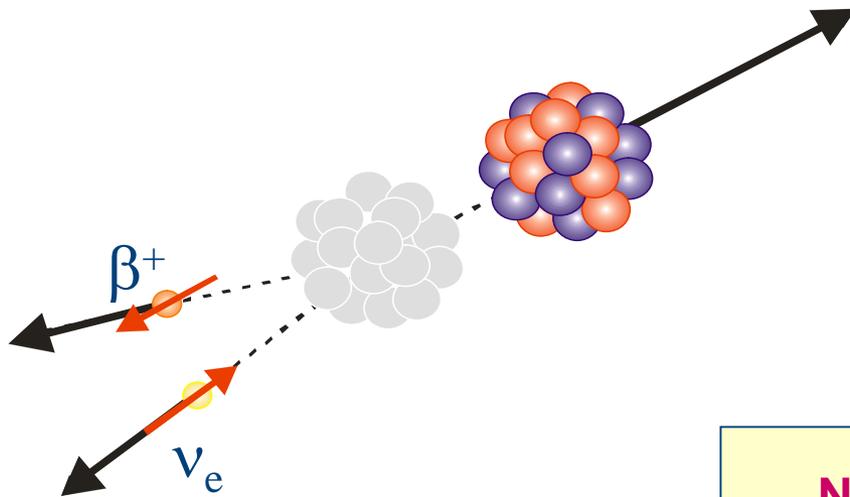


b/AC



N. Severijns et al., in preparation

5. Beta spectrum shape



Nathal Severijns
KU Leuven Univ., Belgium

β spectrum shape measurements

precise β -spectrum shape measurements:

$$d\Gamma \propto G_F F(Z, E) \left[1 + k \frac{1}{E_\beta} b_{\text{Fierz}} + k' E_\beta b_{\text{WM}} \right]$$

b_{Fierz} : scalar / tensor weak currents

b_{WM} : weak magnetism (Standard Model term)

- induced by strong interaction because decaying quark is not free but bound in a nucleon;
- is to be known better when reaching sub-percent precisions

Note the different energy dependence of both effects !!

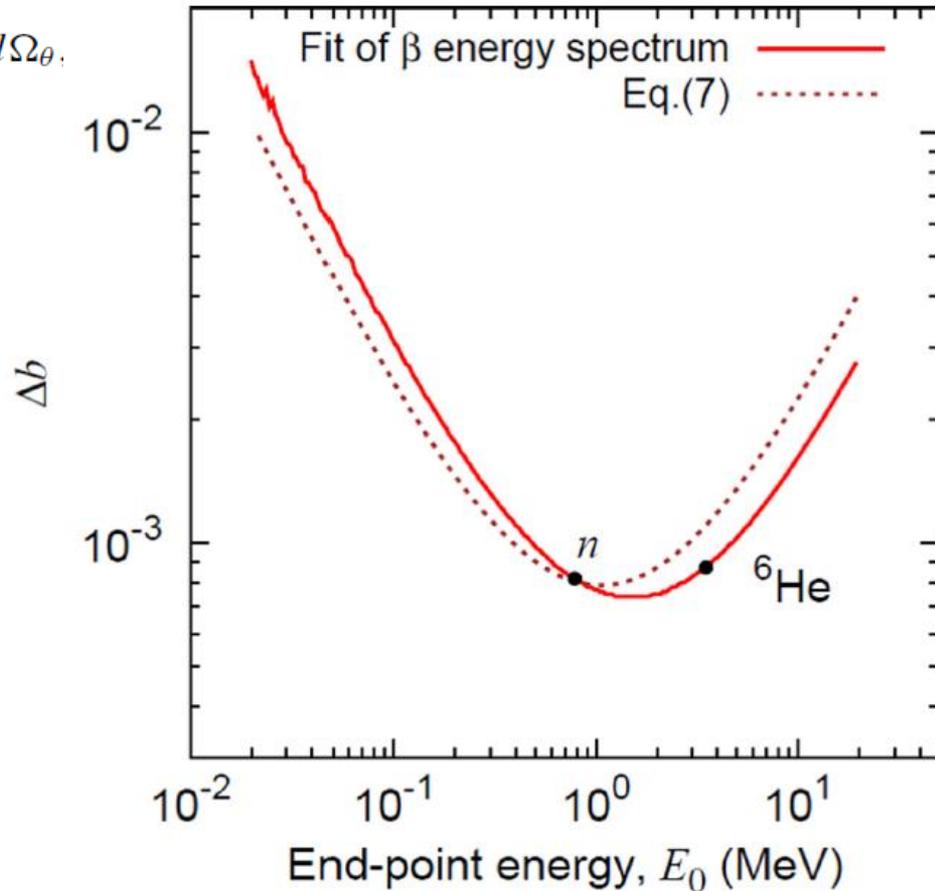
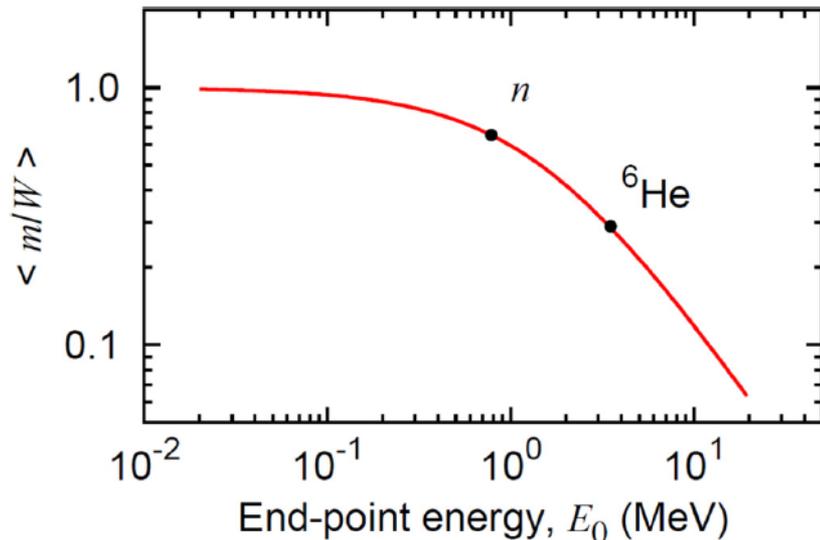
Kinematic sensitivity to the Fierz term of beta decay differential spectra

M. Gonzalez-Alonso, O. Naviliat-Cuncic
Phys. Rev. C 94 (2016) 035506

$$N(W, \theta) dW d\Omega_\theta = P(W) \left[1 + b \frac{m}{W} + a \frac{P}{W} \cos \theta \right] dW d\Omega_\theta,$$

with $P(W) dW = p W q^2 dW$.

$$\rightarrow N_0 = 1 + b \left\langle \frac{m}{W} \right\rangle$$



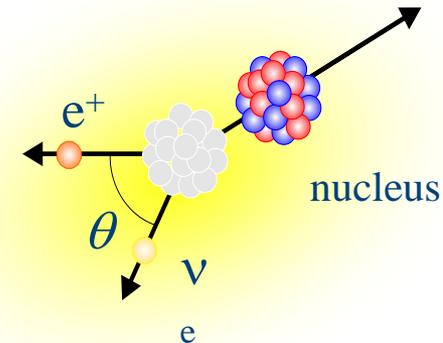
description of β spectrum shape

Analytical description + code, accurate to few 10^{-4} level

L. Hayen, N.S. et al., *Rev. Mod. Phys.* 90 (2018) 015008

Table VI Overview of the features present in the β spectrum shape (Eq. (4)), and the effects incorporated into the Beta Spectrum Generator Code. Here the magnitudes are listed as the maximal typical deviation for medium Z nuclei with a few MeV endpoint energy. Some of these corrections fall off very quickly (e.g. the exchange correction, X) but can be sizeable in a small energy region. Varying Z or W_0 can obviously allow for some migration within categories for several correction terms.

Item	Effect	Formula	Magnitude
1	Phase space factor	$pW(W_0 - W)^2$	Unity or larger
2	Traditional Fermi function	F_0 (Eq. (5))	
3	Finite size of the nucleus	L_0 (Eq. (17))	10^{-1} - 10^{-2}
4	Radiative corrections	R (Eq. (27))	
5	Shape factor	C (Eq. (125))	
6	Atomic exchange	X (Eq. (63))	
7	Atomic mismatch	r (Eq. (76))	
8	Atomic screening	S (Eq. (54)) ^a	
9	Shake-up	See item 7 &	
10	Shake-off	See item 7 &	
11	Distorted Coulomb potential due to recoil	Q (Eq. (26))	10^{-3} - 10^{-4}
12	Diffuse nuclear surface	U (Eq. (20))	
13	Recoiling nucleus	R_N (Eq. (22))	
14	Molecular screening	ΔS_{Mol} (Eq. (81))	
15	Molecular exchange	Case by case	
16	Bound state β decay	Γ_b/Γ_c (Eq. (77))	Smaller than $1 \cdot 10^{-4}$
17	Neutrino mass	Negligible	
18	Forbidden decays	Not incorporated	



^a Here the Salvat potential of Eq. (57) is used with X (Eq. (55)) set to unity.

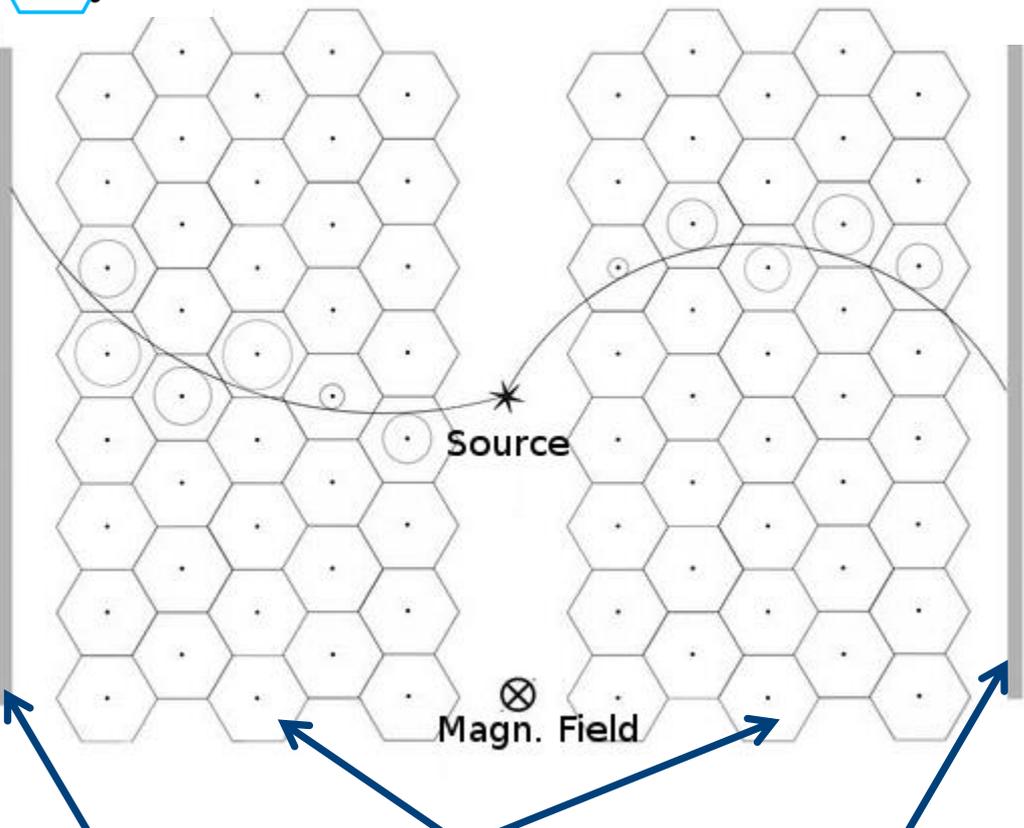
^b The effect of shake-up on screening was discussed in Sec. VI.C.1 with Eq. (66).

^c Shake-off influences on screening and exchange corrections were discussed separately in Sec. VI.C.2. This has to be evaluated in a case by case scenario.



1. miniBETA spectrometer

Leuven / Krakow



multi-wire drift chamber

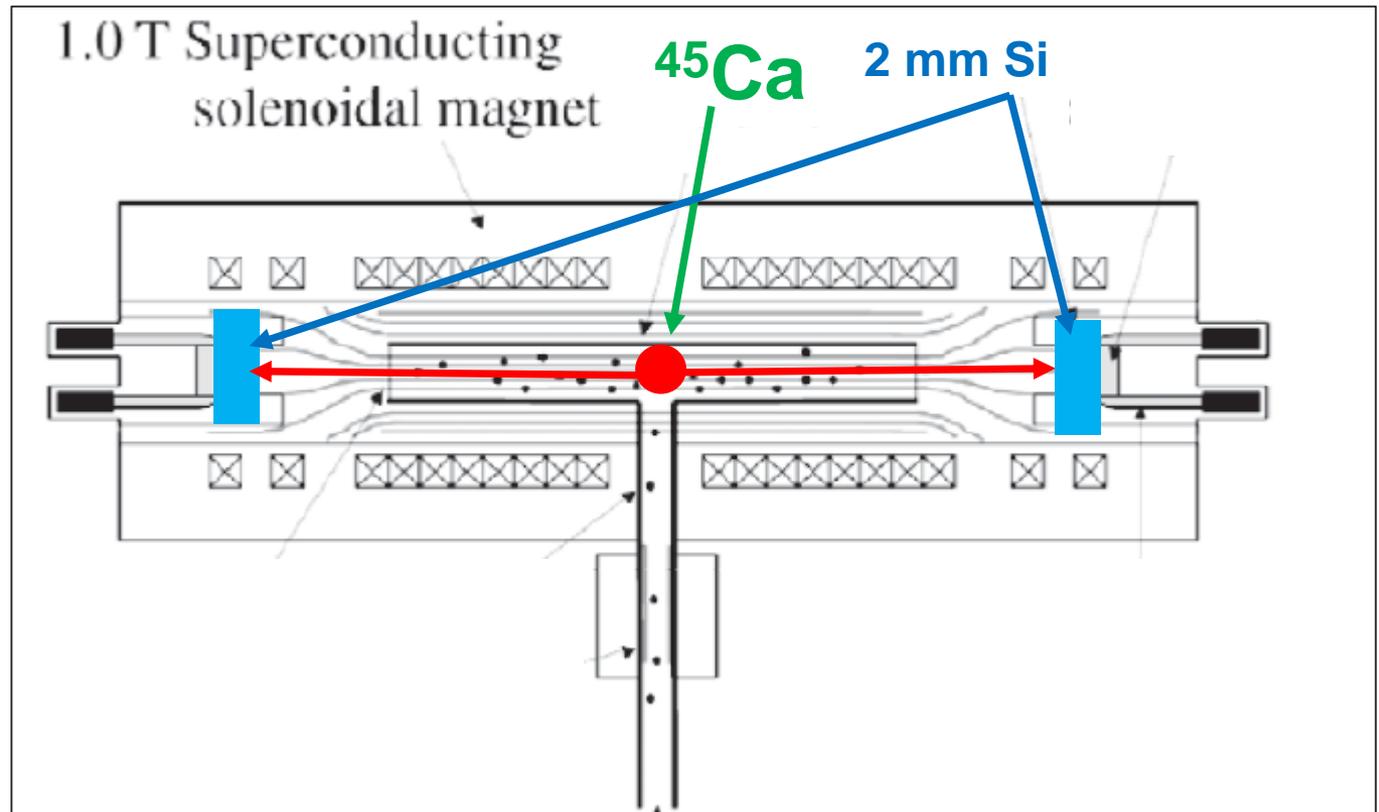
scintillator (later DSSDD)



2. double-Si spectrometer Leuven / LANL, A. Young

two 2 mm segmented **Si** detectors in B- field, replacing UCNA MWPCs

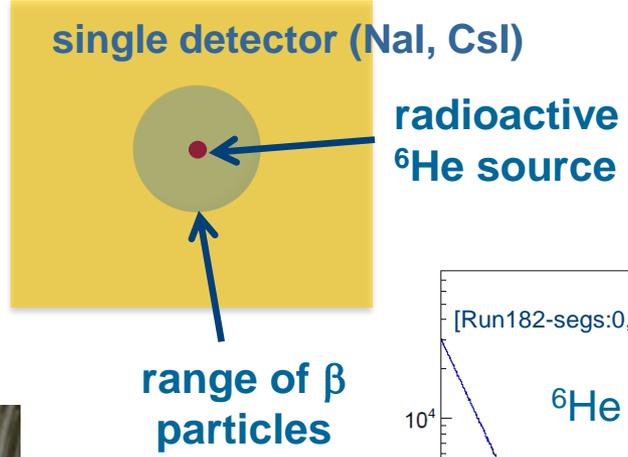
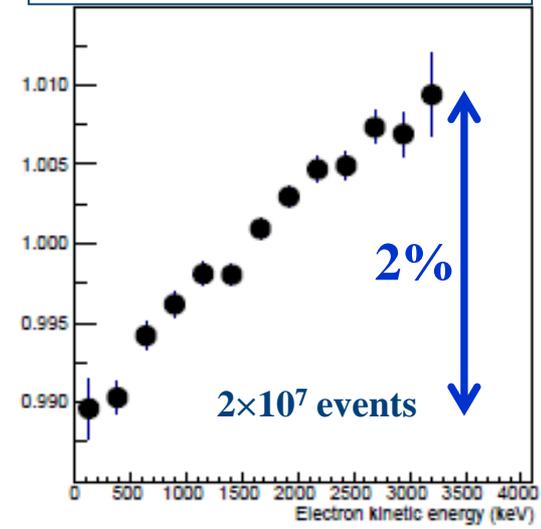
- data in May 2017
- analysis ongoing



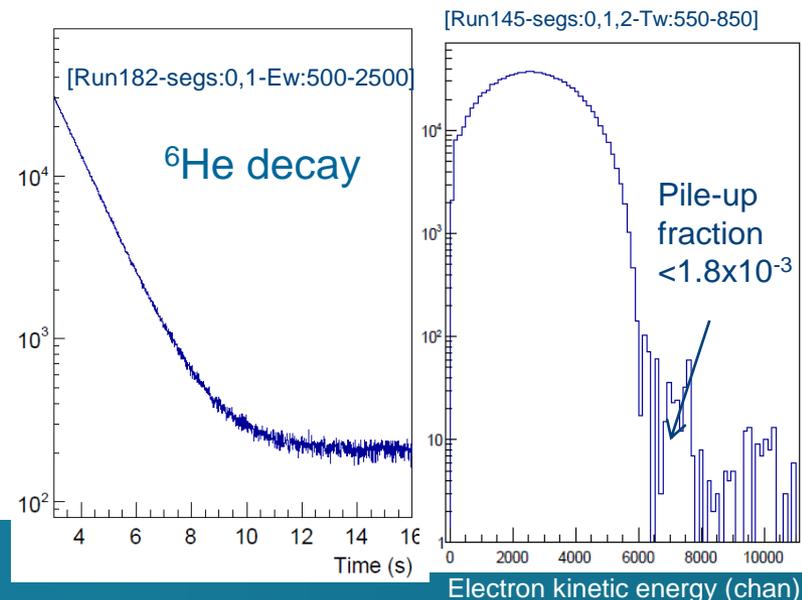
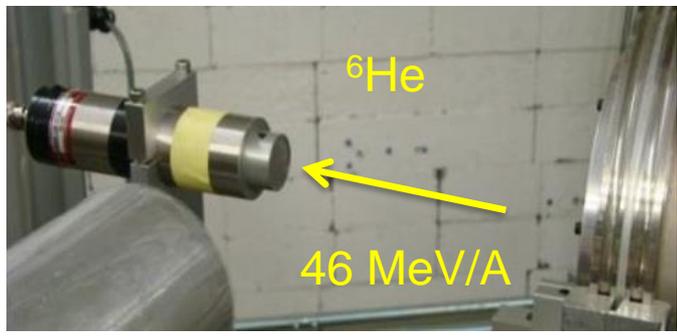
3. Beta energy spectrum shape in ${}^6\text{He}$ decay NSCL/MSU

- **Long term goal:** Measure the **Fierz interference term** (b) in ${}^6\text{He}$, ${}^{20}\text{F}$ decay to search for weak tensor currents.
- **Current goal:** measure the **weak magnetism** (WM) form factor in ${}^6\text{He}$, ${}^{20}\text{F}$ decay for a tests of the strong form of CVC. The WM is the largest "hadronic SM background" in a measurement of b .
- **Principle:** use a **fragmented separated beam** to eliminate distortions in beta spectrum due to **back-scattering, out-scattering or dead-layers**.

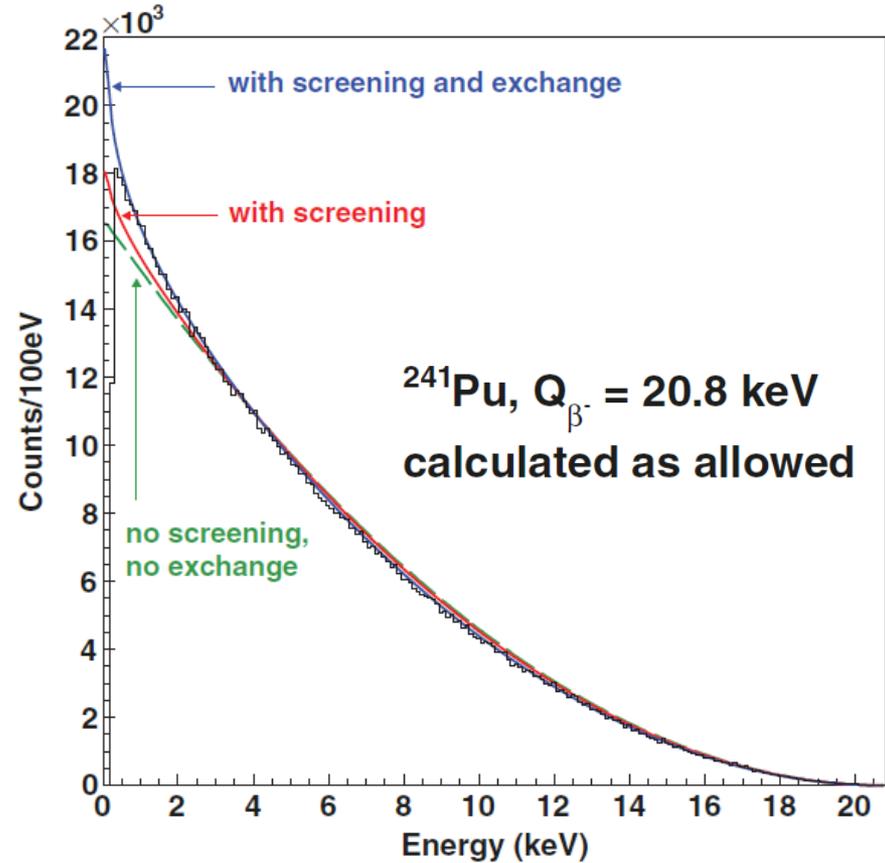
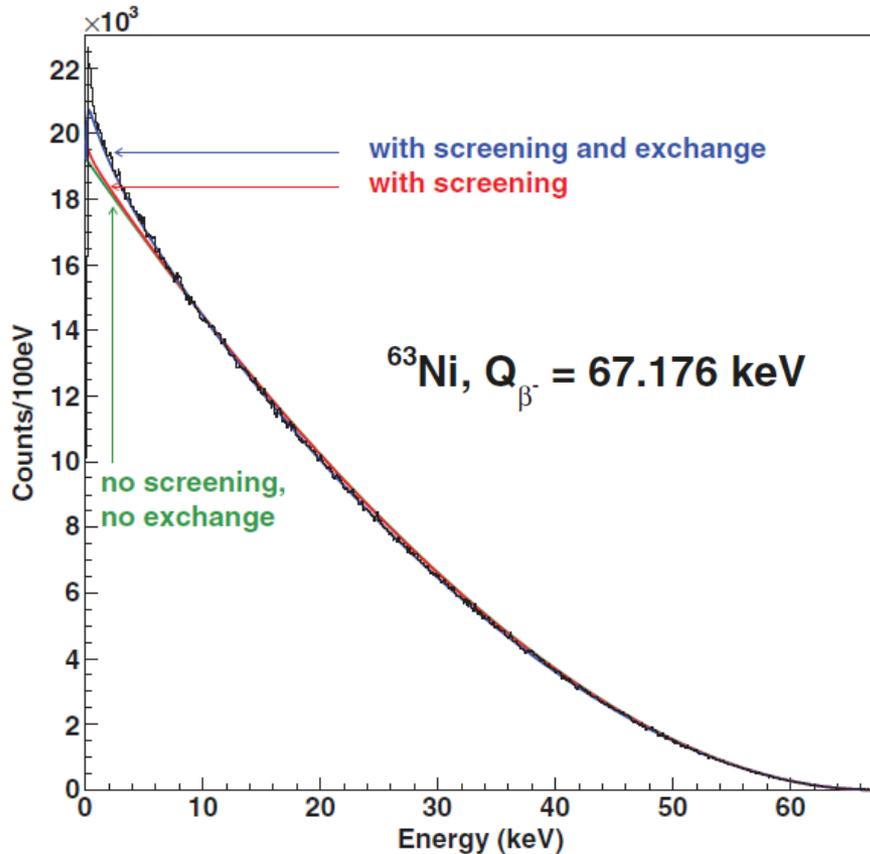
Effect of weak magnetism
(Monte-Carlo simulation)



Experiment at NSCL

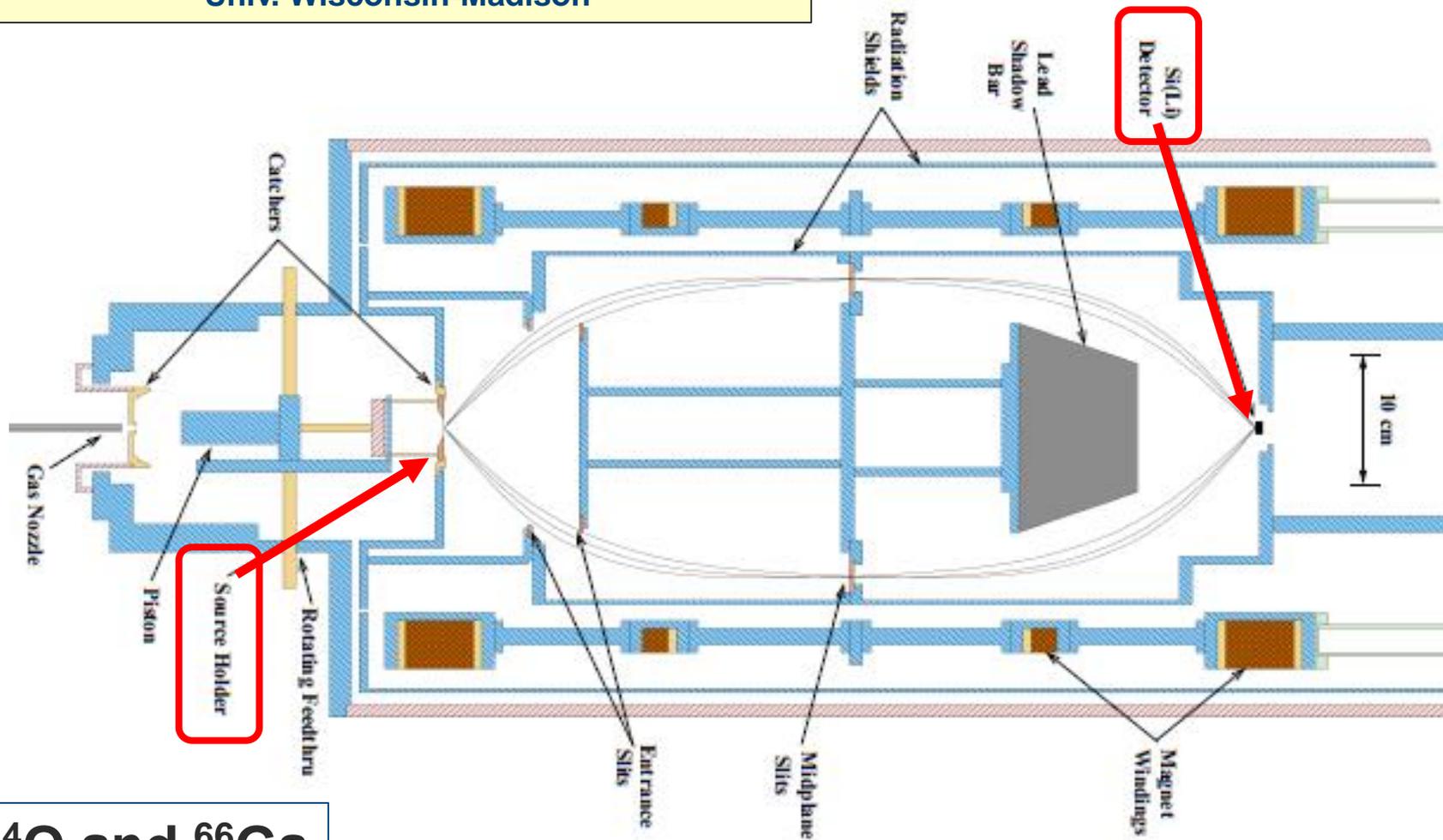


4. microcalorimeter measurements (CEA-Saclay)



X. Mougeot et al., PR A 86 (2012) 042506 and PR A 90 (2014) 012501

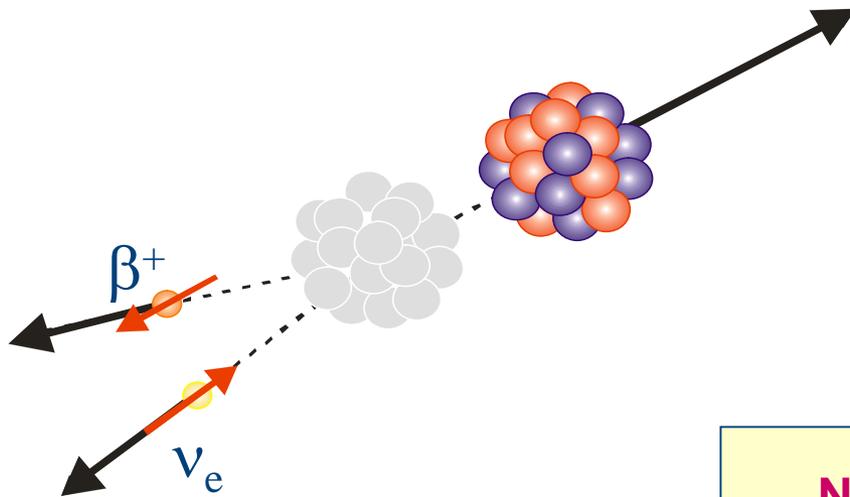
5. superconduct. β spectrometer Univ. Wisconsin-Madison



^{14}O and ^{66}Ga

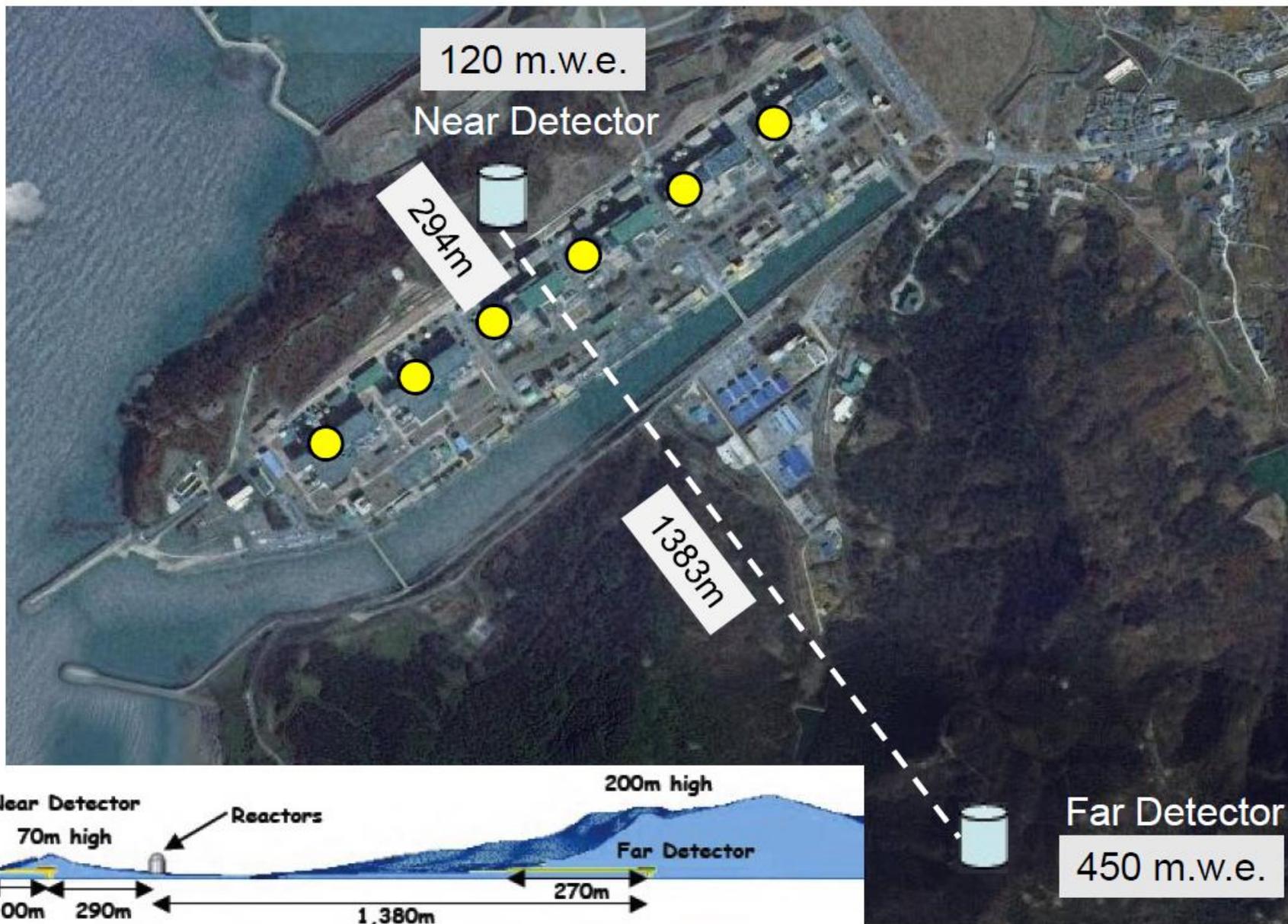
E.A. George et al., PR C 90 (2014) 065501 and G.W. Severin PR C 89 (2014) 057302

6. Solving the Reactor Antineutrino Problem(s)?

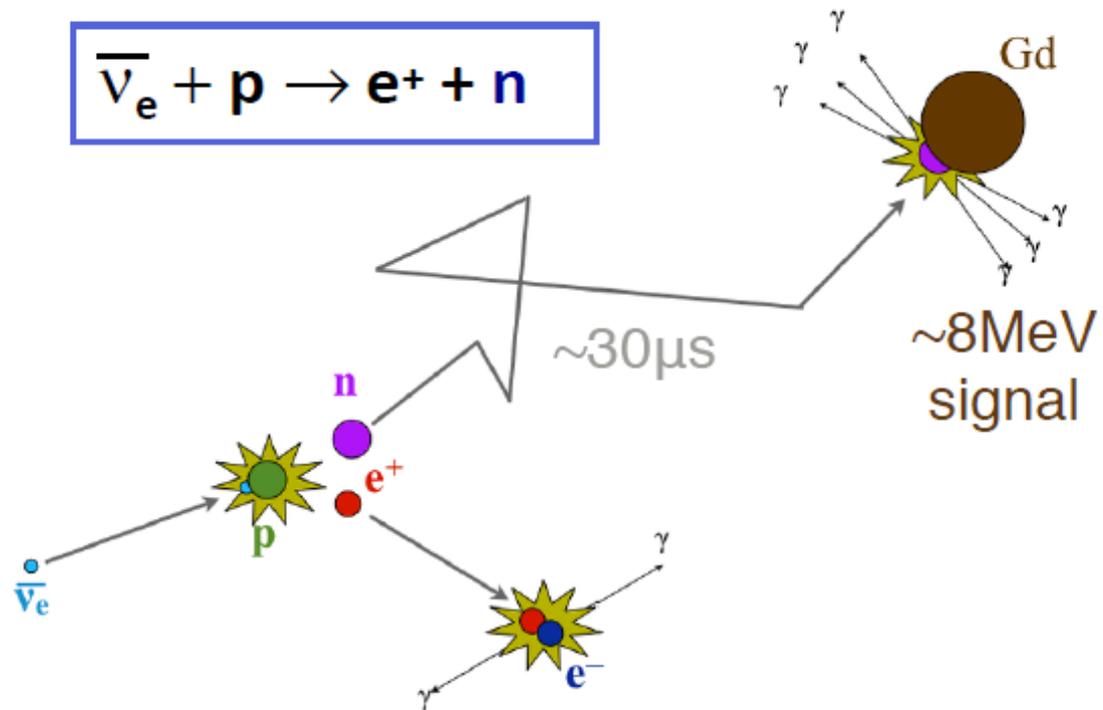


Nathal Severijns
KU Leuven Univ., Belgium

RENO Experimental Set-up

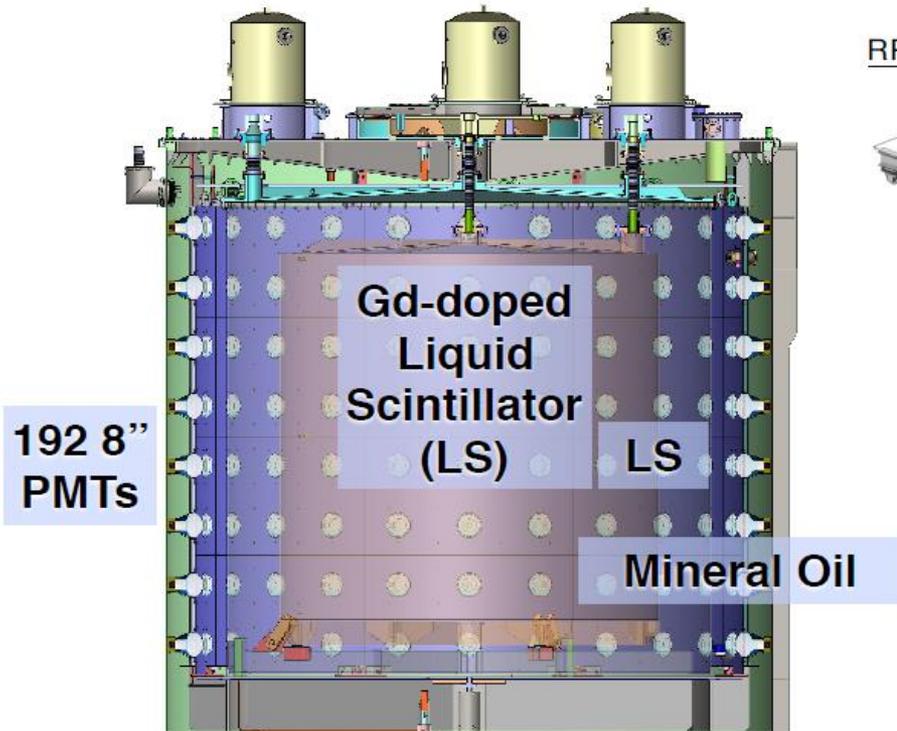


use inverse beta decay in water doped with Gd



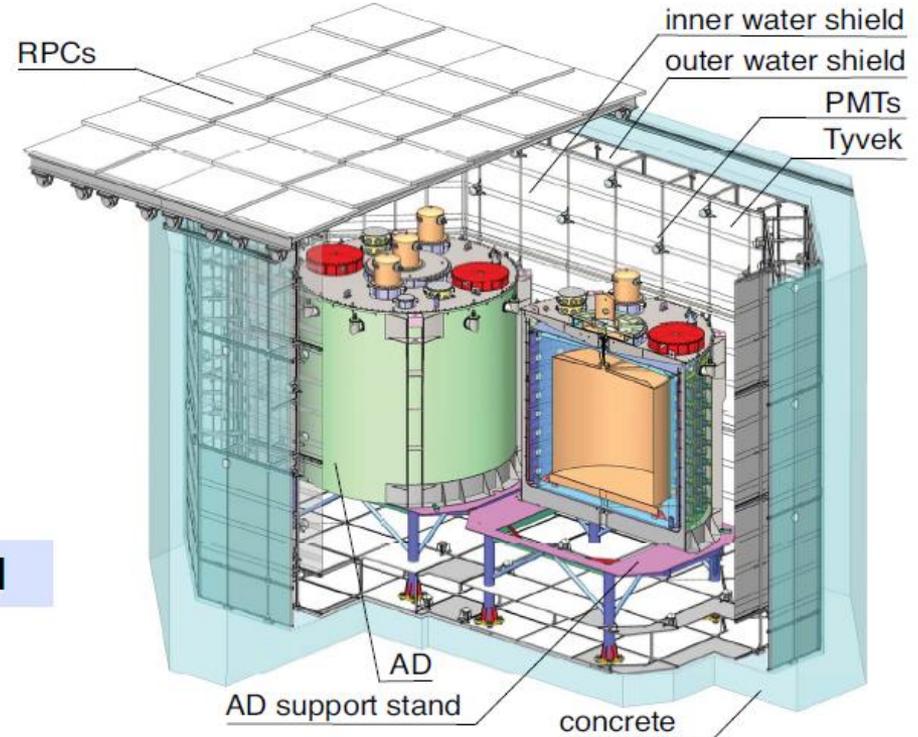
Daya Bay Detectors

- The antineutrino detectors (ADs) are “three-zone” cylindrical modules immersed in water pools:



Energy resolution:
 $\sigma_E/E \approx 8.5\%/ \sqrt{E} [\text{MeV}]$

NIM A 811, 133 (2016)



Double purpose: shield the ADs
and veto cosmic ray muons

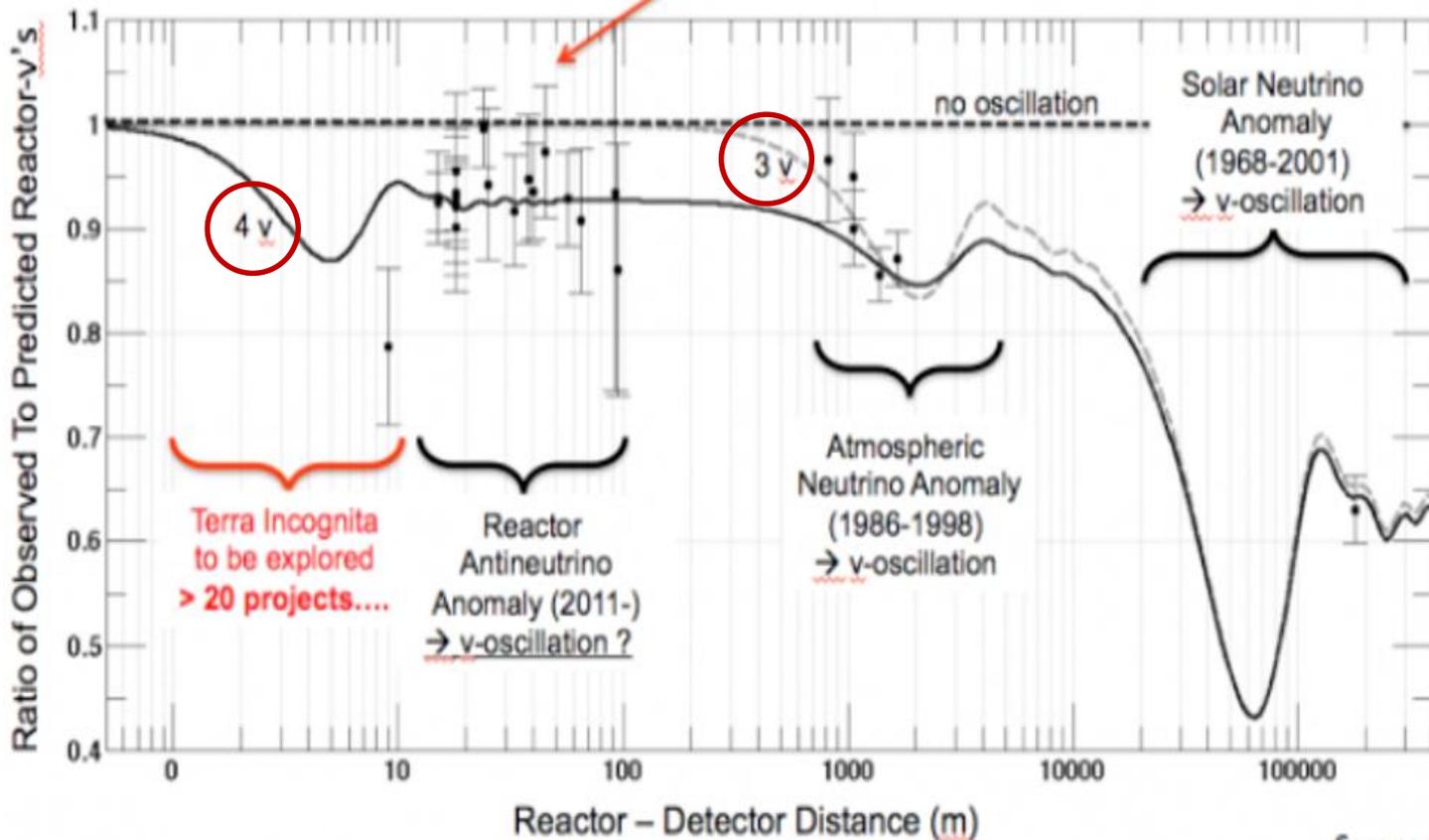
NIM A 773, 8 (2015)

Problem 1:

Abolute antineutrino flux: exp. 7% lower than theory

(observed with ALL neutrino detectors at 10 - 100 m from a reactor core)

▪ **Observed/predicted averaged event ratio: $R=0.927\pm0.023$ (3.0σ)**



Mueller et al.,
Phys. Rev. C 83
(2011) 054615

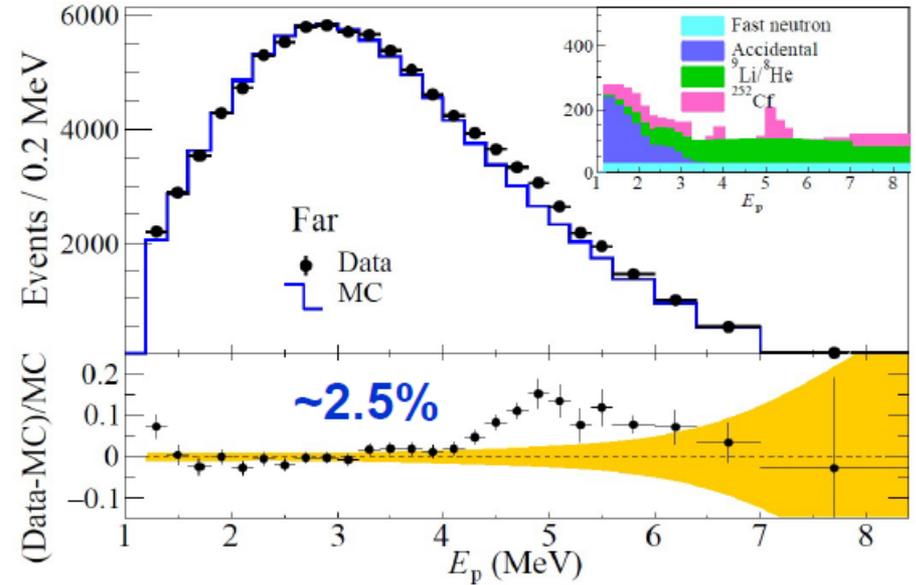
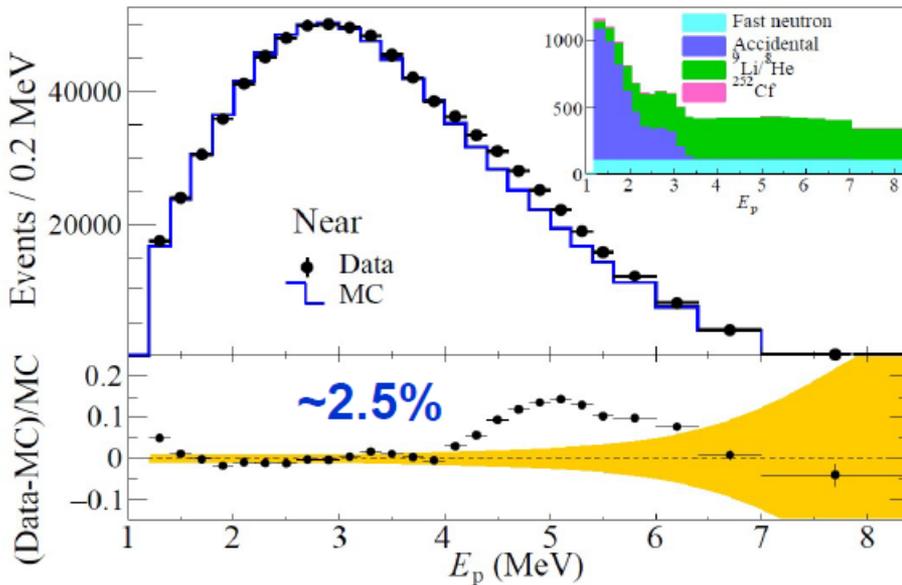
can be explained
by assuming a
4th, sterile
neutrino with
mass $\cong 1$ eV

from Th. Lasserre

Problem 2:

Clear excess in counts at ~5 MeV compared to theory

(observed at [Daya Bay \(China\)](#), [RENO \(Sth.Korea\)](#), [Double Chooz \(France\)](#))



Near Live time = 1807.88 days
of IBD candidate = 850,666
of background = 17,233 (2.0 %)

Far Live time = 2193.04 days
of IBD candidate = 103,212
of background = 4,879 (4.8 %)

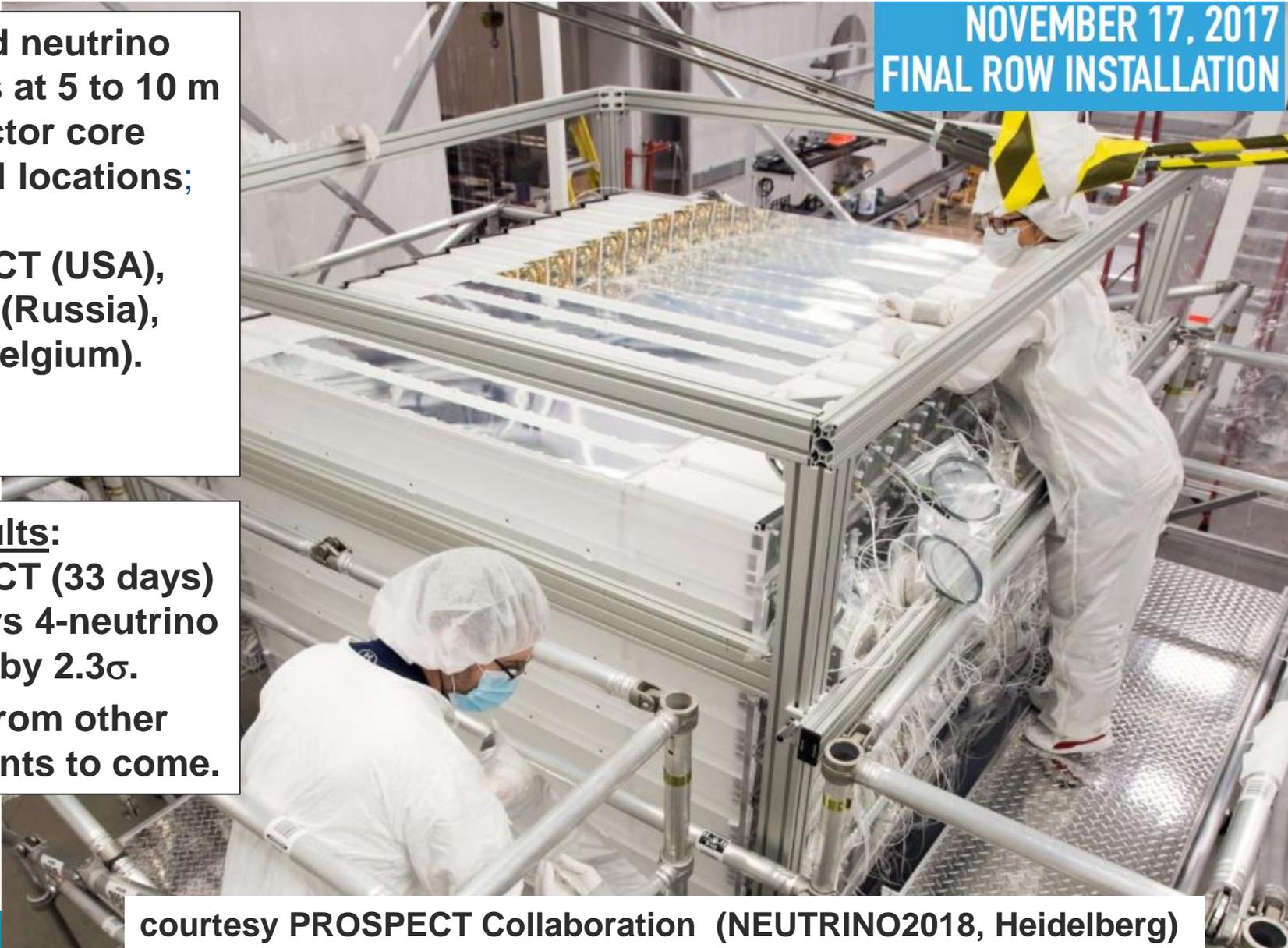
To the 'rate' problem

dedicated neutrino detectors at 5 to 10 m from reactor core at several locations; e.g. PROSPECT (USA), DANSSE (Russia), SOLID (Belgium).

...

First results:
PROSPECT (33 days) disfavours 4-neutrino scenario by 2.3σ .
Results from other experiments to come.

NOVEMBER 17, 2017
FINAL ROW INSTALLATION



courtesy PROSPECT Collaboration (NEUTRINO2018, Heidelberg)

The Reactor Antineutrino Problems

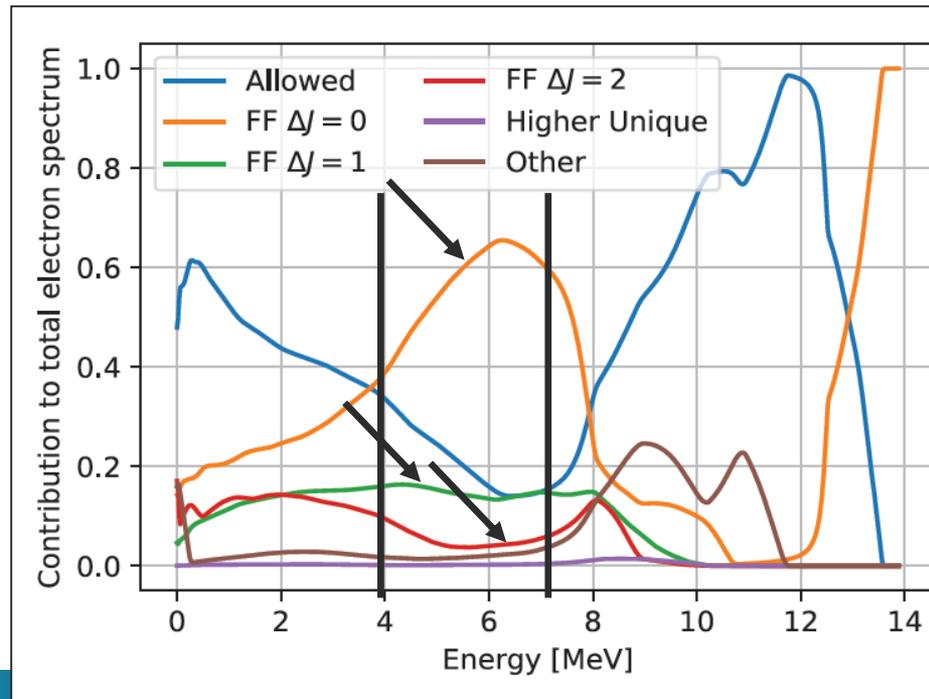
Problems:

1. **rate deficit of about 7%** in observed vs. predicted antineutrino rate in 'near' detectors (at $d = 10 - 100$ m from core) - **requires 4th, sterile ν !!**
2. energy spectrum exp/theo has a **bump in 4 to 7 MeV region**

Difficulty: theory depends on knowledge of ~ 8000 (**forbidden**) β decays: **HARD!**

BUT: **forbidden decays dominate** in most of experimental range (account for $\sim 80\%$ in bump region!)

Action: used **Shell Model** to calculate 29 dominant forbidden transitions (not approximating them as allowed anymore)



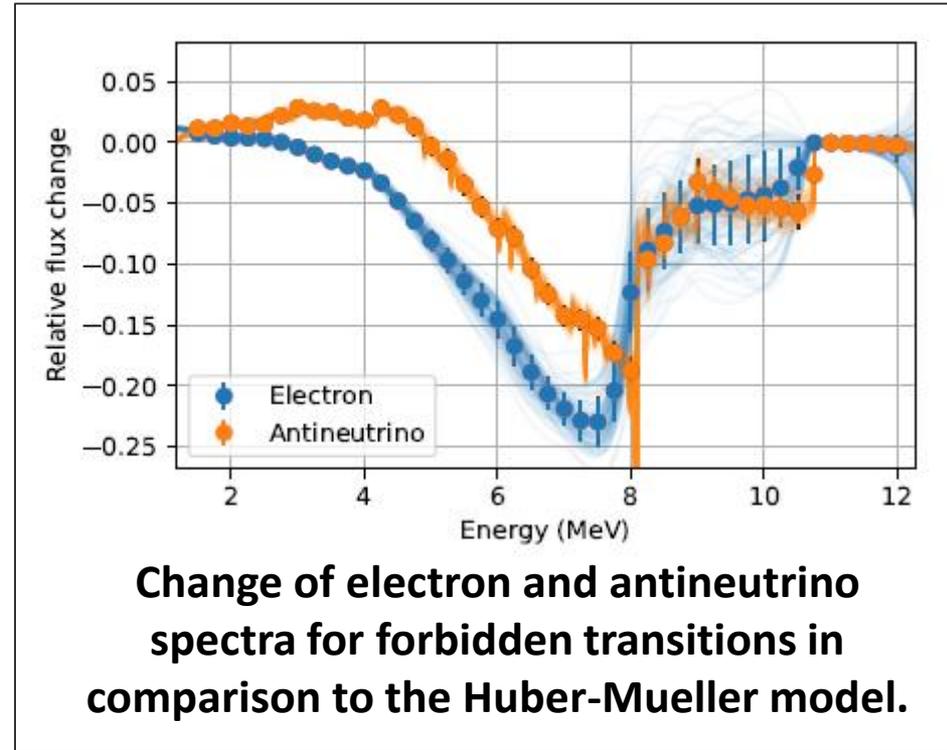
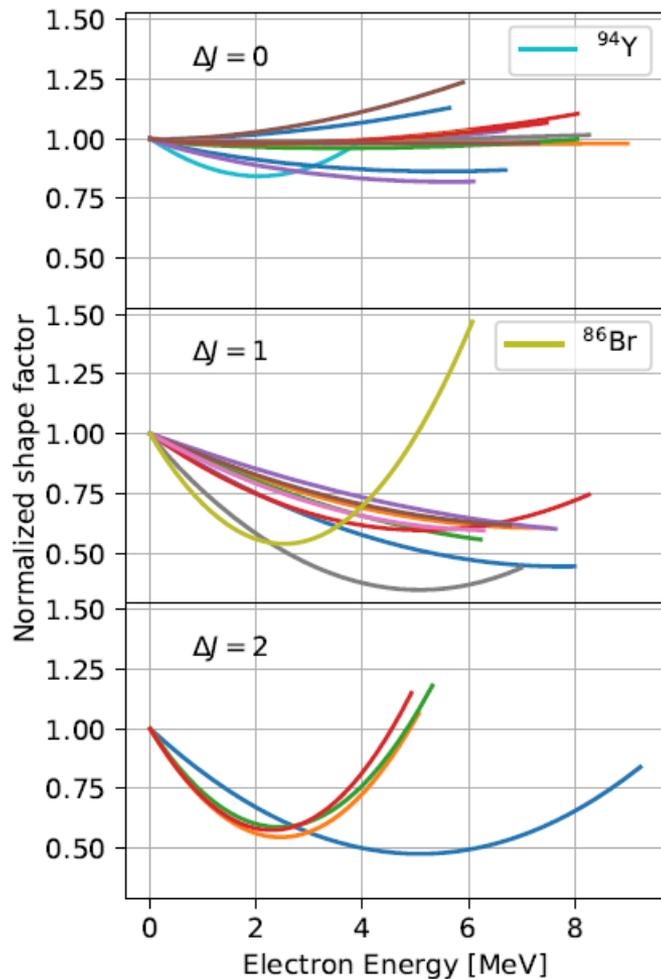


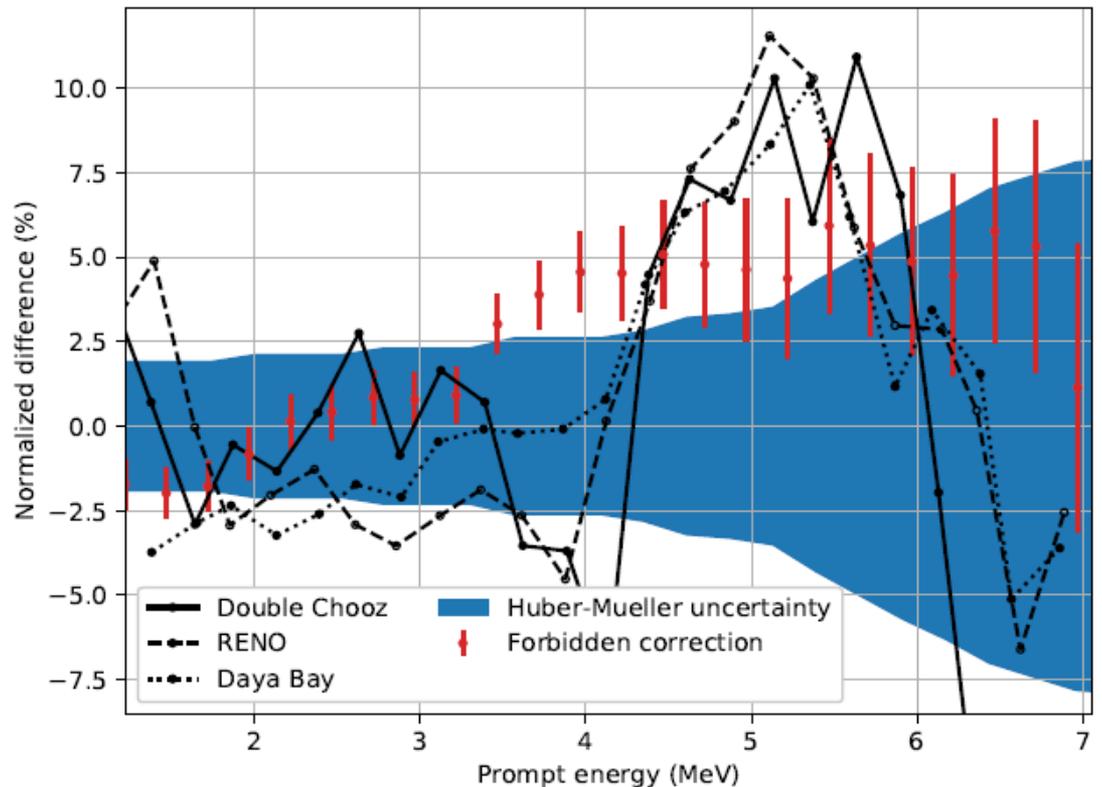
Figure 1. Overview of the calculated shape factors C , categorized according to the spin-parity change of the transition. For allowed transitions $C = 1$. Each shape factor was normalized to its value at $E = 0$. Two cases stand out: ^{94}Y ($2^- \rightarrow 2^+$) and ^{86}Br ($1^- \rightarrow 2^+$). Both contain strong admixtures of $\Delta J = 2$ operators, since both 2^+ final states identify as vibrational excitations of the 0^+ ground state.

Taking into account the
(first-forbidden)
decays of

$^{86}\text{Br}(0^+)$, $^{86}\text{Br}(2^+)$, ^{87}Se , ^{88}Rb ,
 $^{89}\text{Br}(3/2^+)$, $^{89}\text{Br}(5/2^+)$, ^{90}Rb ,
 $^{91}\text{Kr}(5/2^-)$, $^{91}\text{Kr}(3/2^-)$, ^{92}Rb ,
 ^{92}Y , ^{93}Rb , $^{94}\text{Y}(0^+)$, $^{94}\text{Y}(0^+)$,
 $^{95}\text{Rb}(7/2^+)$, $^{95}\text{Rb}(3/2^+)$, ^{95}Sr ,
 ^{96}Y , ^{97}Y , ^{98}Y , ^{133}Sn , $^{134m}\text{Sb}(6^+)$,
 $^{134m}\text{Sb}(6^+?)$, ^{135}Te , ^{136m}I , ^{137}I ,
 ^{138}I , ^{139}Xe , ^{140}Cs , ^{142}Cs

(account for about 60 %
of rate in bump region !)

decreases the $\bar{\nu}$ flux by
5% !



The spectral sholder appears due to forbidden
spectral corrections !